# sequence modeling: Viterbi algorithm

# CS 585, Fall 2018

Introduction to Natural Language Processing <a href="http://people.cs.umass.edu/~miyyer/cs585/">http://people.cs.umass.edu/~miyyer/cs585/</a>

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some slides from Jordan Boyd-Graber

# questions from last time...

- audio on recorded lectures?????? idk, communicating w/ the echo360 ppl now
- could you go slower / repeat important concepts that aren't on the slides? yes, sorry!
- is it possible to do the project alone? in a team of 3, one person ends up doing nothing eventually! unfortunately not, but we will evaluate team members separately

# POS Tagging

- Input: Plays well with others
- Ambiguity: NNS/VBZ UH/JJ/NN/RB IN NNS

Penn Treebank POS tags

• Output: Plays/VBZ well/RB with/IN others/NNS

# Hidden Markov Models

- We have an input sentence x = x<sub>1</sub>, x<sub>2</sub>, ..., x<sub>n</sub> (x<sub>i</sub> is the i'th word in the sentence)
- We have a tag sequence y = y<sub>1</sub>, y<sub>2</sub>, ..., y<sub>n</sub> (y<sub>i</sub> is the i'th tag in the sentence)
- We'll use an HMM to define

$$p(x_1, x_2, \ldots, x_n, y_1, y_2, \ldots, y_n)$$

for any sentence  $x_1 \dots x_n$  and tag sequence  $y_1 \dots y_n$  of the same length.

Then the most likely tag sequence for x is

$$\arg \max_{y_1...y_n} p(x_1...x_n, y_1, y_2, ..., y_n)$$

### **HMM Definition**

Assume K parts of speech, a lexicon size of V, a series of observations  $\{x_1, \ldots, x_N\}$ , and a series of unobserved states  $\{z_1, \ldots, z_N\}$ .

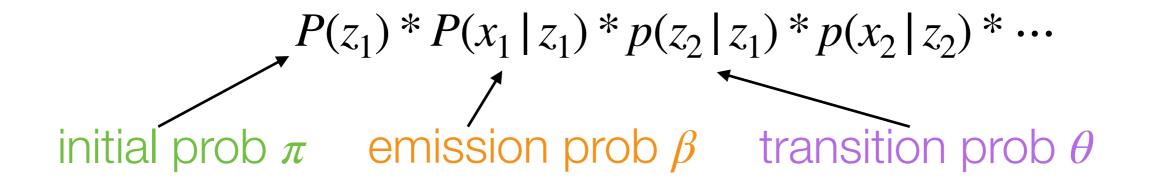
- $\pi$  A distribution over start states (vector of length K):  $\pi_i = p(z_1 = i)$
- $\theta$  Transition matrix (matrix of size K by K):  $\theta_{i,j} = p(z_n = j | z_{n-1} = i)$
- $\beta$  An emission matrix (matrix of size K by V):  $\beta_{j,w} = p(x_n = w | z_n = j)$

Two problems: How do we move from data to a model? (Estimation) How do we move from a model and unlabled data to labeled data? (Inference)

today: inference!

# probability of a tag sequence

$$P(x = x_1, x_2, \dots, x_n, z = z_1, z_2, \dots, z_n) =$$



let's quickly review estimation before continuing.... Reminder: How do we estimate a probability?

 For a multinomial distribution (i.e. a discrete distribution, like over words):

$$\theta_i = \frac{n_i + \alpha_i}{\sum_k n_k + \alpha_k} \tag{1}$$

•  $\alpha_i$  is called a smoothing factor, a pseudocount, etc.

just like in naive Bayes, we'll be counting to estimate these probabilities!

| x = tokens<br>z = POS tags | x<br>z     |             | come<br>V  |             |            | ор          |             |
|----------------------------|------------|-------------|------------|-------------|------------|-------------|-------------|
| a<br>DET                   | crowd<br>N |             | peopl<br>N | e stop<br>\ | -          | and<br>CONJ | stared<br>V |
|                            | gotta<br>V | -           | you<br>PRO |             | my<br>PRO  | life<br>V   |             |
|                            |            | and<br>CONJ | I<br>PRO   | love<br>V   | her<br>PRO |             |             |

#### Initial Probability $\pi$

| POS  | Frequency | Probability |
|------|-----------|-------------|
| MOD  | 1.1       | 0.234       |
| DET  | 1.1       | 0.234       |
| CONJ | 1.1       | 0.234       |
| N    | 0.1       | 0.021       |
| PREP | 0.1       | 0.021       |
| PRO  | 0.1       | 0.021       |
| V    | 1.1       | 0.234       |

let's use add-alpha smoothing with alpha = 0.1

|          |            | here<br>ЛОD |          | old<br>MOD   | flatto<br>N | р         |             |
|----------|------------|-------------|----------|--------------|-------------|-----------|-------------|
| a<br>DET |            |             | • •      | e stop<br>۱  | -           |           | stared<br>V |
|          | gotta<br>V | -           | -        | into<br>PREP | •           | life<br>N |             |
|          |            | and<br>CONJ | l<br>PRO | love<br>V    | her<br>PRO  |           |             |

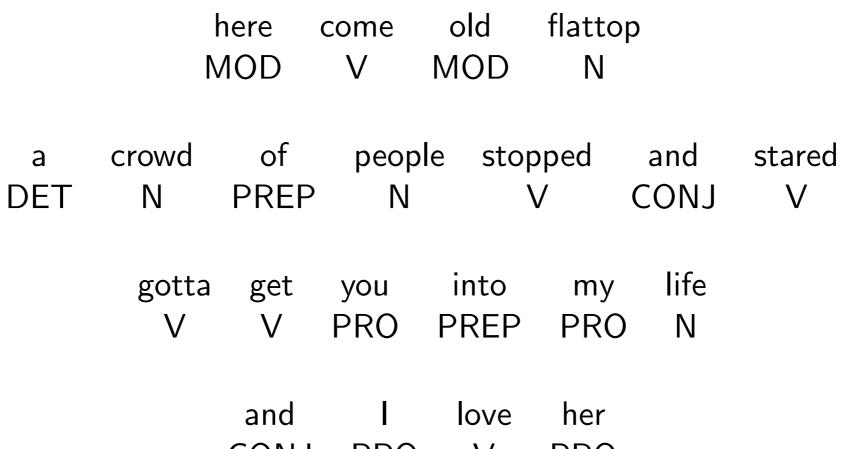
|          |            |             | come<br>V | old<br>MOD   | flatto <sub>l</sub><br>N | 0         |             |
|----------|------------|-------------|-----------|--------------|--------------------------|-----------|-------------|
| a<br>DET |            |             |           | le stop      | -                        |           | stared<br>V |
|          | gotta<br>V | _           | -         | into<br>PREP | _                        | life<br>N |             |
|          |            | and<br>CONJ | I<br>PRO  | love<br>V    | her<br>PRO               |           |             |

|          |            | here<br>MOD |          | old<br>MOD   | flatto<br>N | р                        |             |
|----------|------------|-------------|----------|--------------|-------------|--------------------------|-------------|
| a<br>DET | crowd<br>N |             | • •      | le stop      | •           | and<br><mark>CONJ</mark> | stared<br>V |
|          | gotta<br>V | _           | -        | into<br>PREP | -           | life<br>N                |             |
|          |            | and<br>CONJ | l<br>PRO | love<br>V    | her<br>PRO  |                          |             |

#### **Transition Probability** $\theta$

- We can ignore the words; just look at the parts of speech. Let's compute one row, the row for verbs.
- We see the following transitions: V  $\rightarrow$  MOD, V  $\rightarrow$  CONJ, V  $\rightarrow$  V, V  $\rightarrow$  PRO, and V  $\rightarrow$  PRO

| POS  | Frequency | Probability |
|------|-----------|-------------|
| MOD  | 1.1       | 0.193       |
| DET  | 0.1       | 0.018       |
| CONJ | 1.1       | 0.193       |
| N    | 0.1       | 0.018       |
| PREP | 0.1       | 0.018       |
| PRO  | 2.1       | 0.368       |
| V    | 1.1       | 0.193       |



CONJ PRO V PRO

|          |                         |             | come<br>V | old<br>MOD                 | flatto<br>N | р         |                          |
|----------|-------------------------|-------------|-----------|----------------------------|-------------|-----------|--------------------------|
| a<br>DET |                         |             | • •       | le <mark>sto</mark> p<br>\ |             |           | <mark>stared</mark><br>V |
|          | <mark>gotta</mark><br>V |             | -         | into<br>PREP               | •           | life<br>N |                          |
|          |                         | and<br>CONJ | l<br>PRO  | love<br>V                  | her<br>PRO  |           |                          |

#### Emission Probability $\beta$

Let's look at verbs ...

| Let S IUUK at |        |        |        |        |         |
|---------------|--------|--------|--------|--------|---------|
| Word          | а      | and    | come   | crowd  | flattop |
| Frequency     | 0.1    | 0.1    | 1.1    | 0.1    | 0.1     |
| Probability   | 0.0125 | 0.0125 | 0.1375 | 0.0125 | 0.0125  |
| Word          | get    | gotta  | her    | here   | i       |
| Frequency     | 1.1    | 1.1    | 0.1    | 0.1    | 0.1     |
| Probability   | 0.1375 | 0.1375 | 0.0125 | 0.0125 | 0.0125  |
| Word          | into   | it     | life   | love   | my      |
| Frequency     | 0.1    | 0.1    | 0.1    | 1.1    | 0.1     |
| Probability   | 0.0125 | 0.0125 | 0.0125 | 0.1375 | 0.0125  |
| Word          | of     | old    | people | stared | stopped |
| Frequency     | 0.1    | 0.1    | 0.1    | 1.1    | 1.1     |
| Probability   | 0.0125 | 0.0125 | 0.0125 | 0.1375 | 0.1375  |

now... given that we've estimated an HMM, how do we use it to get POS tags for unlabeled data?

• Given an unobserved sequence of length L,  $\{x_1, \ldots, x_L\}$ , we want to find a sequence  $\{z_1 \ldots z_L\}$  with the highest probability.

how many different possible tag sequences exist?

- Given an unobserved sequence of length L,  $\{x_1, \ldots, x_L\}$ , we want to find a sequence  $\{z_1 \ldots z_L\}$  with the highest probability.
- It's impossible to compute K<sup>L</sup> possibilities.
- So, we use dynamic programming to compute most likely tags for each token subsequence from 0 to t that ends in state k.
- Memoization: fill a table of solutions of sub-problems
- Solve larger problems by composing sub-solutions
- Base case:

$$\delta_1(k) = \pi_k \beta_{k,x_i} \tag{1}$$

• Recursion:

$$\delta_n(k) = \max_j \left( \delta_{n-1}(j) \theta_{j,k} \right) \beta_{k,x_n} \tag{2}$$

- Given an unobserved sequence of length L,  $\{x_1, \ldots, x_L\}$ , we want to find a sequence  $\{z_1 \ldots z_L\}$  with the highest probability.
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(2)

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$$\delta_1(k) = \pi_k \beta_{k,x_i} \tag{1}$$

• Recursion:

$$\delta_n(k) = \max_j \left( \delta_{n-1}(j) \theta_{j,k} \right) \beta_{k,x_n} \tag{2}$$

# what is the complexity of this algorithm? $K^2L$

# need to keep backpointers!

 But just computing the max isn't enough. We also have to remember where we came from. (Breadcrumbs from best previous state.)

$$\Psi_n = \operatorname{argmax}_j \delta_{n-1}(j) \theta_{j,k} \tag{3}$$

# let's do an example for the sentence come and get it

| POS  | $\pi_k$ | $\beta_{k,x_1}$ | $\log \delta_1(k) =$ | $\log(\pi_k \beta_{k,x_1})$ |
|------|---------|-----------------|----------------------|-----------------------------|
| MOD  | 0.234   | 0.024           | -5.18                |                             |
| DET  | 0.234   | 0.032           | -4.89                |                             |
| CONJ | 0.234   | 0.024           | -5.18                |                             |
| Ν    | 0.021   | 0.016           | -7.99                |                             |
| PREP | 0.021   | 0.024           | -7.59                |                             |
| PRO  | 0.021   | 0.016           | -7.99                |                             |
| V    | 0.234   | 0.121           | -3.56                |                             |

come and get it

Why logarithms?

- 1. More interpretable than a float with lots of zeros.
- 2. Underflow is less of an issue
- 3. Addition is cheaper than multiplication

$$log(ab) = log(a) + log(b)$$

| POS  | $\log \delta_1(j)$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------|
| MOD  | -5.18              |                              |
| DET  | -4.89              |                              |
| CONJ | -5.18              |                              |
| N    | -7.99              |                              |
| PREP | -7.59              |                              |
| PRO  | -7.99              |                              |
| V    | -3.56              |                              |

| POS  | $\log \delta_1(j)$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------|
| MOD  | -5.18              |                              |
| DET  | -4.89              |                              |
| CONJ | -5.18              | ???                          |
| N    | -7.99              |                              |
| PREP | -7.59              |                              |
| PRO  | -7.99              |                              |
| V    | -3.56              |                              |

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,CONJ}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------------|------------------------------|
| MOD  | -5.18              |                                    |                              |
| DET  | -4.89              |                                    |                              |
| CONJ | -5.18              |                                    | ???                          |
| N    | -7.99              |                                    |                              |
| PREP | -7.59              |                                    |                              |
| PRO  | -7.99              |                                    |                              |
| V    | -3.56              |                                    |                              |

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,CONJ}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------------|------------------------------|
| MOD  | -5.18              |                                    |                              |
| DET  | -4.89              |                                    |                              |
| CONJ | -5.18              |                                    | ???                          |
| N    | -7.99              |                                    |                              |
| PREP | -7.59              |                                    |                              |
| PRO  | -7.99              |                                    |                              |
| V    | -3.56              |                                    |                              |

$$\log \left( \delta_0(\mathsf{V}) \theta_{\mathsf{V}, \mathsf{CONJ}} \right) = \log \delta_0(k) + \log \theta_{\mathsf{V}, \mathsf{CONJ}} = -3.56 + -1.65$$

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,\text{CONJ}}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|---|------------------------------|
| MOD  | -5.18              |   |                              |
| DET  | -4.89              |   |                              |
| CONJ | -5.18              |   | ???                          |
| N    | -7.99              |   |                              |
| PREP | -7.59              |   |                              |
| PRO  | -7.99              |   |                              |
| V    | -3.56              | -5.21                                     |                              |

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,CONJ}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------------|------------------------------|
| MOD  | -5.18              |                                    |                              |
| DET  | -4.89              |                                    |                              |
| CONJ | -5.18              |                                    | ???                          |
| N    | -7.99              | $\leq -7.99$                       |                              |
| PREP | -7.59              | $\leq -7.59$                       |                              |
| PRO  | -7.99              | $\leq -7.99$                       |                              |
| V    | -3.56              | -5.21                              |                              |

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,CONJ}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------------|------------------------------|
| MOD  | -5.18              | -8.48                              |                              |
| DET  | -4.89              | -7.72                              |                              |
| CONJ | -5.18              | -8.47                              | ???                          |
| N    | -7.99              | $\leq -7.99$                       |                              |
| PREP | -7.59              | $\leq -7.59$                       |                              |
| PRO  | -7.99              | $\leq -7.99$                       |                              |
| V    | -3.56              | -5.21                              |                              |

| $\log \delta_1(j)$ | $\log \delta_1(j)\theta_{j,CONJ}$                  | $\log \delta_2(\text{CONJ})$   |
|--------------------|--|--|
| -5.18              | -8.48  |  |
| -4.89              | -7.72  |  |
| -5.18              | -8.47  | ???  |
| -7.99              | $\leq -7.99$                                       |  |
| -7.59              | $\leq -7.59$                                       |  |
| -7.99              | $\leq -7.99$                                       |  |
| -3.56              | -5.21  |  |
|                    | -5.18<br>-4.89<br>-5.18<br>-7.99<br>-7.59<br>-7.99 | $-5.18$ $-8.48$ $-4.89$ $-7.72$ $-5.18$ $-8.47$ $-7.99$ $\leq -7.99$ $-7.59$ $\leq -7.59$ $-7.99$ $\leq -7.99$ |

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,CONJ}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------------|------------------------------|
| MOD  | -5.18              | -8.48                              |                              |
| DET  | -4.89              | -7.72                              |                              |
| CONJ | -5.18              | -8.47                              |                              |
| N    | -7.99              | $\leq -7.99$                       |                              |
| PREP | -7.59              | $\leq -7.59$                       |                              |
| PRO  | -7.99              | $\leq -7.99$                       |                              |
| V    | -3.56              | -5.21                              |                              |

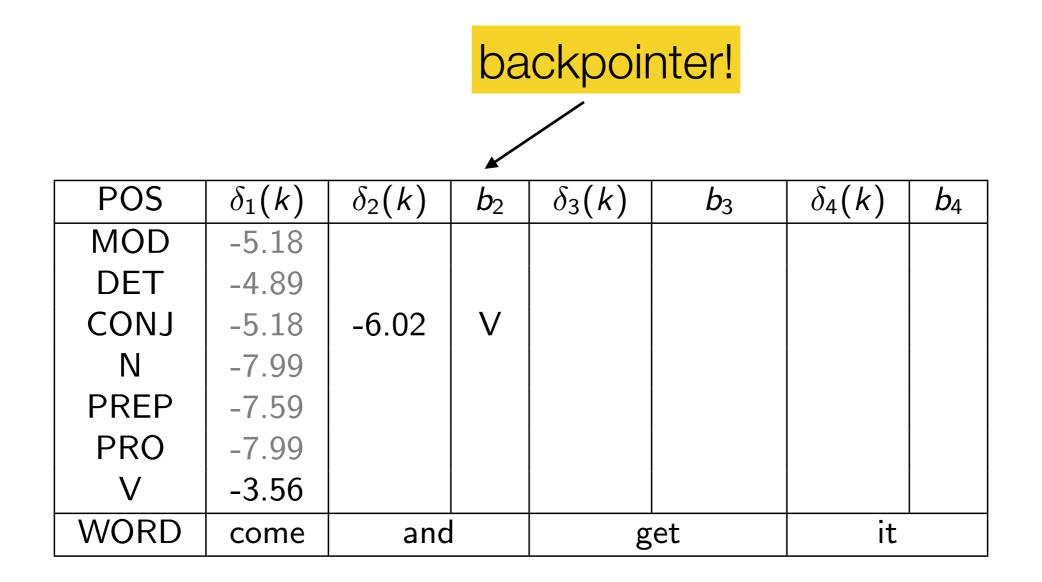
$$\log \delta_1(k) = -5.21 - \log \beta_{\text{CONJ}}$$
, and =

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,CONJ}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------------|------------------------------|
| MOD  | -5.18              | -8.48                              |                              |
| DET  | -4.89              | -7.72                              |                              |
| CONJ | -5.18              | -8.47                              |                              |
| N    | -7.99              | $\leq -7.99$                       |                              |
| PREP | -7.59              | $\leq -7.59$                       |                              |
| PRO  | -7.99              | $\leq -7.99$                       |                              |
| V    | -3.56              | -5.21                              |                              |

$$\log \delta_1(k) = -5.21 - \log \beta_{\text{CONJ, and}} = -5.21 - 0.64$$

| POS  | $\log \delta_1(j)$ | $\log \delta_1(j) \theta_{j,CONJ}$ | $\log \delta_2(\text{CONJ})$ |
|------|--------------------|------------------------------------|------------------------------|
| MOD  | -5.18              | -8.48                              |                              |
| DET  | -4.89              | -7.72                              |                              |
| CONJ | -5.18              | -8.47                              | -6.02                        |
| N    | -7.99              | $\leq -7.99$                       |                              |
| PREP | -7.59              | $\leq -7.59$                       |                              |
| PRO  | -7.99              | $\leq -7.99$                       |                              |
| V    | -3.56              | -5.21                              |                              |

come and get it



| POS  | $\delta_1(k)$ | $\delta_2(k)$ | <i>b</i> <sub>2</sub> | $\delta_3(k)$ | <i>b</i> <sub>3</sub> | $\delta_4(k)$ | $b_4$ |
|------|---------------|---------------|-----------------------|---------------|-----------------------|---------------|-------|
| MOD  | -5.18         | -0.00         | Х                     |               |                       |               |       |
| DET  | -4.89         | -0.00         | Х                     |               |                       |               |       |
| CONJ | -5.18         | -6.02         | V                     |               |                       |               |       |
| N    | -7.99         | -0.00         | Х                     |               |                       |               |       |
| PREP | -7.59         | -0.00         | Х                     |               |                       |               |       |
| PRO  | -7.99         | -0.00         | Х                     |               |                       |               |       |
| V    | -3.56         | -0.00         | Х                     |               |                       |               |       |
| WORD | come          | and           |                       | g             | et                    | it            |       |

| POS  | $\delta_1(k)$ | $\delta_2(k)$ | <i>b</i> <sub>2</sub> | $\delta_3(k)$ | <i>b</i> <sub>3</sub> | $\delta_4(k)$ | <i>b</i> 4 |
|------|---------------|---------------|-----------------------|---------------|-----------------------|---------------|------------|
| MOD  | -5.18         | -0.00         | Х                     | -0.00         | Х                     |               |            |
| DET  | -4.89         | -0.00         | Х                     | -0.00         | Х                     |               |            |
| CONJ | -5.18         | -6.02         | V                     | -0.00         | Х                     |               |            |
| N    | -7.99         | -0.00         | Х                     | -0.00         | Х                     |               |            |
| PREP | -7.59         | -0.00         | Х                     | -0.00         | Х                     |               |            |
| PRO  | -7.99         | -0.00         | Х                     | -0.00         | Х                     |               |            |
| V    | -3.56         | -0.00         | Х                     | -9.03         | CONJ                  |               |            |
| WORD | come          | and           |                       | g             | jet                   | it            |            |

| POS  | $\delta_1(k)$ | $\delta_2(k)$ | <i>b</i> <sub>2</sub> | $\delta_3(k)$ | <i>b</i> <sub>3</sub> | $\delta_4(k)$ | <i>b</i> 4 |
|------|---------------|---------------|-----------------------|---------------|-----------------------|---------------|------------|
| MOD  | -5.18         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| DET  | -4.89         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| CONJ | -5.18         | -6.02         | V                     | -0.00         | Х                     | -0.00         | Х          |
| N    | -7.99         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| PREP | -7.59         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| PRO  | -7.99         | -0.00         | Х                     | -0.00         | Х                     | -14.6         | V          |
| V    | -3.56         | -0.00         | Х                     | -9.03         | CONJ                  | -0.00         | Х          |
| WORD | come          | and           |                       | g             | jet                   | it            |            |

#### most probable POS seq: V CONJ V PRO

| POS  | $\delta_1(k)$ | $\delta_2(k)$ | <b>b</b> <sub>2</sub> | $\delta_3(k)$ | <i>b</i> <sub>3</sub> | $\delta_4(k)$ | <i>b</i> 4 |
|------|---------------|---------------|-----------------------|---------------|-----------------------|---------------|------------|
| MOD  | -5.18         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| DET  | -4.89         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| CONJ | -5.18         | -6.02         | V                     | -0.00         | Х                     | -0.00         | Х          |
| N    | -7.99         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| PREP | -7.59         | -0.00         | Х                     | -0.00         | Х                     | -0.00         | Х          |
| PRO  | -7.99         | -0.00         | Х                     | -0.00         | Х                     | -14.6         | V          |
| V    | -3.56         | -0.00         | Х                     | -9.03         | CONJ                  | -0.00         | Х          |
| WORD | come          | and           |                       | g             | et                    | it            |            |

### let's talk about projects!

# Timeline

- Project proposal: 2-4 pages, due Oct 19
- Progress report: 4-6 pages, due Nov 16
- Poster presentations: near end of classes
- Final report: 12+ pages, due Dec 20

# Project

- Either *build* natural language processing systems, or *apply* them for some task.
- Use or develop a dataset. Report empirical results or analyses with it.
- Different possible areas of focus
  - Implementation & development of algorithms
  - Defining a new task or applying a linguistic formalism
  - Exploring a dataset or task

# Formulating a proposal

- What is the **research question**?
- What's been done before?
- What experiments will you do?
- How will you know whether it worked?
  - If data: held-out accuracy
  - If no data: manual evaluation of system output.
    Or, annotate new data

## The Heilmeier Catechism

- What are you trying to do? Articulate your objectives using absolutely no jargon.
- How is it done today, and what are the limits of current practice?
- What is new in your approach and why do you think it will be successful?
- Who cares? If you are successful, what difference will it make?
- What are the risks?
- How much will it cost?
- How long will it take?
- What are the mid-term and final "exams" to check for success?

https://en.wikipedia.org/wiki/George\_H.\_Heilmeier#Heilmeier.27s\_Catechism

# An example proposal

- Introduction / problem statement
- Motivation (why should we care? why is this problem interesting?)
- Literature review (what has prev. been done?)
- Possible datasets
- Evaluation
- Tools and resources
- Project milestones / tentative schedule

# NLP Research

- All the best publications in NLP are open access!
  - Conference proceedings: ACL, EMNLP, NAACL (EACL, LREC...)
  - Journals: TACL, CL
  - "aclweb": ACL Anthology-hosted papers <u>http://aclweb.org/anthology/</u>
  - NLP-related work appears in other journals/conferences too: data mining (KDD), machine learning (ICML, NIPS), AI (AAAI), information retrieval (SIGIR, CIKM), social sciences (Text as Data), etc.
- Reading tips
  - Google Scholar
    - Find papers
    - See paper's number of citations (imperfect but useful correlate of paper quality) and what later papers cite it
    - [... or SemanticScholar...]
  - For topic X: search e.g. [[nlp X]], [[aclweb X]], [[acl X]], [[X research]]...
  - Authors' webpages find researchers who are good at writing and whose work you like
  - Misc. NLP research reading tips: http://idibon.com/top-nlp-conferences-journals/

# A few examples

- Detection tasks
  - Sentiment detection
  - Sarcasm and humor detection
  - Emoticon detection / learning
- Structured linguistic prediction
  - Targeted sentiment analysis (i liked \_\_\_\_\_\_)
  - Relation, event extraction (who did what to whom)
  - Narrative chain extraction
  - Parsing (syntax, semantics, discourse...)
- Text generation tasks
  - Machine translation
  - Document summarization
  - Poetry / lyrics generation (e.g. recent work on hip-hop lyrics)
  - Text normalization (e.g. translate online/Twitter text to standardized English)

- End to end systems
  - Question answering
  - Conversational dialogue systems (hard to eval?)
- Predict external things from text
  - Movie revenues based on movie reviews ... or online buzz? http:// www.cs.cmu.edu/~ark/movie\$-data/
- Visualization and exploration (harder to evaluate)
  - Temporal analysis of events, show on timeline
  - Topic models: cluster and explore documents
- Figure out a task with a cool dataset
  - e.g. Urban Dictionary

# Sources of data

- All projects must use (or make, and use) a textual dataset. Many possibilities.
  - For some projects, creating the dataset may be a large portion of the work; for others, just download and more work on the system/modeling side
- SemEval and CoNLL Shared Tasks: dozens of datasets/tasks with labeled NLP annotations
  - Sentiment, NER, Coreference, Textual Similarity, Syntactic Parsing, Discourse Parsing, and many other things...
  - e.g. SemEval 2015 ... CoNLL Shared Task 2015 ...
  - <u>https://en.wikipedia.org/wiki/SemEval</u> (many per year)
  - <u>http://ifarm.nl/signll/conll/</u> (one per year)
- General text data (not necessarily task specific)
  - Books (e.g. Project Gutenberg)
  - Reviews (e.g. Yelp Academic Dataset <a href="https://www.yelp.com/academic\_dataset">https://www.yelp.com/academic\_dataset</a>)
  - Web
  - Tweets

# Tools

- Tagging, parsing, NER, coref, ...
  - Stanford CoreNLP <u>http://nlp.stanford.edu/software/corenlp.shtml</u>
  - spaCy (English-only, no coref) <u>http://spacy.io/</u>
  - Twitter-specific tools (ARK, GATE)

### Many other tools and resources

<u>tools</u> ... word segmentation ... morph analyzers ... <u>resources</u> ... pronunciation dictionaries ... wordnet, word embeddings, word clusters ...

### • Long list of NLP resources

https://medium.com/@joshdotai/a-curated-list-of-speech-and-natural-language-processingresources-4d89f94c032a

### • Deep learning? Try out AllenNLP, PyTorch, Tensorflow (https://allennlp.org, https://pytorch.org/, https://www.tensorflow.org/)