

Parsing with Context-Free Grammars

CS 585, Fall 2017

Introduction to Natural Language Processing
<http://people.cs.umass.edu/~brenocon/inlp2017>

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Context-Free Grammar

- CFG describes a generative process for an (infinite) set of strings
 - 1. Nonterminal symbols
 - “S”: START symbol / “Sentence” symbol
 - 2. Terminal symbols: word vocabulary
 - 3. Rules (a.k.a. Productions). Practically, two types:

“Grammar”: one NT expands to ≥ 1 NT
always one NT on left side of rulep

Lexicon: NT expands to a terminal

| | | |
|----------------|-------------------------------------|---------------------------------|
| <i>S</i> | \rightarrow <i>NP VP</i> | I + want a morning flight |
| <i>NP</i> | \rightarrow <i>Pronoun</i> | I |
| | <i>Proper-Noun</i> | Los Angeles |
| | <i>Det Nominal</i> | a + flight |
| <i>Nominal</i> | \rightarrow <i>Nominal Noun</i> | morning + flight |
| | <i>Noun</i> | flights |
| <i>VP</i> | \rightarrow <i>Verb</i> | do |
| | <i>Verb NP</i> | want + a flight |
| | <i>Verb NP PP</i> | leave + Boston + in the morning |
| | <i>Verb PP</i> | leaving + on Thursday |
| <i>PP</i> | \rightarrow <i>Preposition NP</i> | from + Los Angeles |

| | |
|--------------------|---|
| <i>Noun</i> | \rightarrow <i>flights breeze trip morning ...</i> |
| <i>Verb</i> | \rightarrow <i>is prefer like need want fly</i> |
| <i>Adjective</i> | \rightarrow <i>cheapest non – stop first latest</i> |
| | <i>other direct ...</i> |
| <i>Pronoun</i> | \rightarrow <i>me I you it ...</i> |
| <i>Proper-Noun</i> | \rightarrow <i>Alaska Baltimore Los Angeles</i> |
| | <i>Chicago United American ...</i> |
| <i>Determiner</i> | \rightarrow <i>the a an this these that ...</i> |
| <i>Preposition</i> | \rightarrow <i>from to on near ...</i> |
| <i>Conjunction</i> | \rightarrow <i>and or but ...</i> |

Constituent Parse Trees

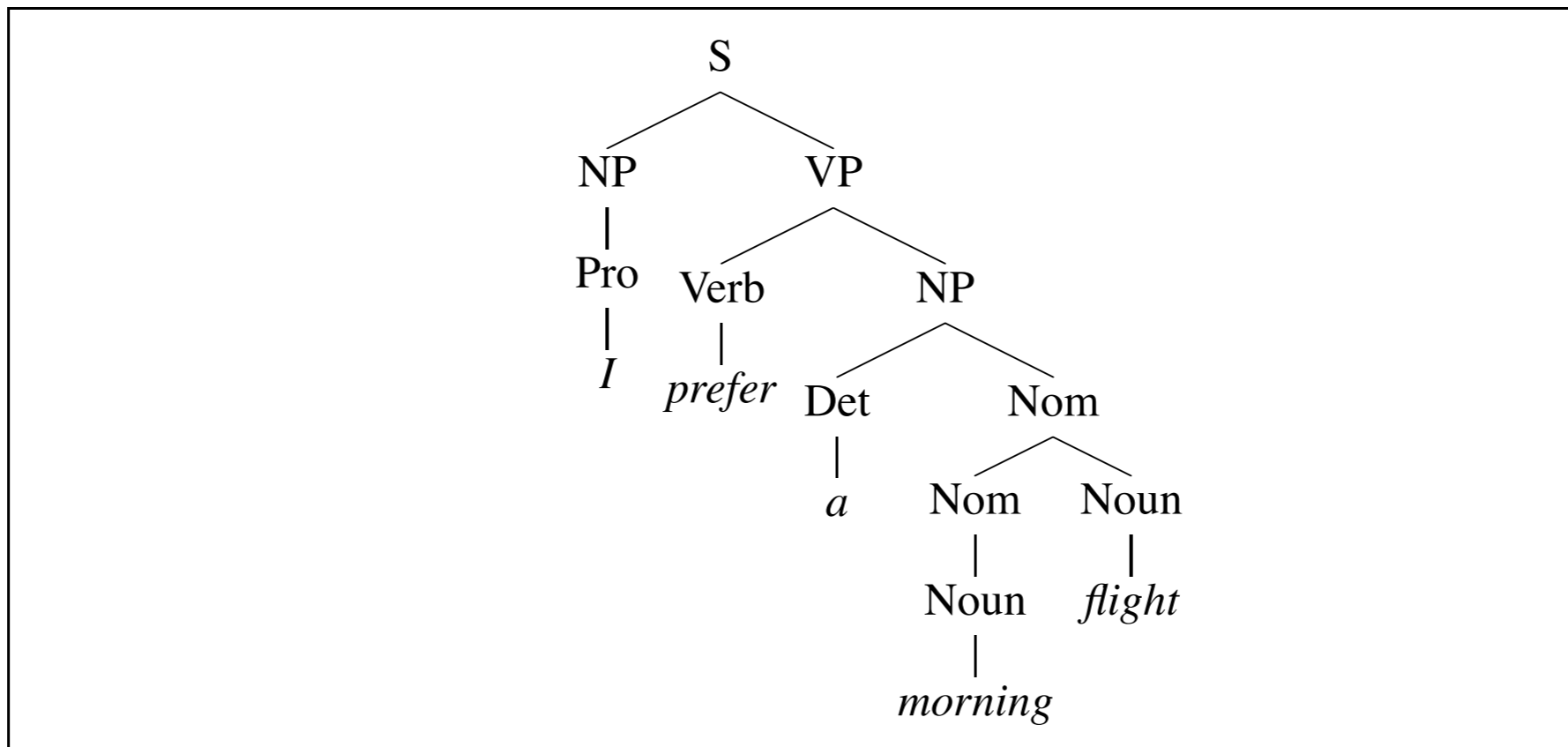


Figure 12.4 The parse tree for “I prefer a morning flight” according to grammar \mathcal{L}_0 .

Representations:

Bracket notation

(12.2) $[_S [_{NP} [_{Pro} I]] [_{VP} [_{V} prefer] [_{NP} [_{Det} a] [_{Nom} [_{N} morning] [_{Nom} [_{N} flight]]]]]]]$

Non-terminal positional spans

e.g. (NP, 0, 1), (VP, 1, 5), (NP, 2, 5), etc.

Ambiguity in parsing

Syntactic ambiguity is endemic to natural language:¹

- ▶ Attachment ambiguity: **we eat sushi with chopsticks, I shot an elephant in my pajamas.**

¹Examples borrowed from Dan Klein

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- ▶ Coordination scope: *“I see,” said the blind man, as he picked up the hammer and saw.*

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- ▶ Complement structure: *The tourists objected to the guide that they couldn't hear.*
- ▶ Coordination scope: *“I see,” said the blind man, as he picked up the hammer and saw.*
- ▶ Multiple gap constructions: *The chicken is ready to eat*

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Attachment ambiguity

Probability of attachment sites

- ▶ [imposed [a ban [on asbestos]]]
- ▶ [imposed [a ban] [on asbestos]]

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Include head of embedded NP

- ▶ ...[it [would end [its venture [with Maserati]]]]
- ▶ ...[it [would end [its venture] [with Maserati]]]

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- ▶ ...[it [would end [its venture [with Maserati]]]]]
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Resolve multiple ambiguities simultaneously

- ▶ Cats scratch people with claws with knives

Ambiguities make parsing hard

- **1. Computationally: how to reuse work across combinatorially many trees?**
- 2. How to make good attachment decisions?

Parsing with a CFG

- Task: given text and a CFG, answer:
 - Does there exist at least one parse?
 - Enumerate parses (backpointers)
- Approaches: top-down, left-to-right, bottom-up
- CKY (Cocke-Kasami-Younger) algorithm
 - Bottom-up dynamic programming:
Find possible nonterminals for short spans of sentence, then possible combinations for higher spans
 - Requires converting CFG to Chomsky Normal Form
a.k.a. binarization: ≤ 2 nonterminals in expansion
 - instead of $NP \rightarrow NP CC NP$, could do:
 - $NP \rightarrow NP_CC NP$
 - $NP_CC \rightarrow NP CC$

CKY

Grammar

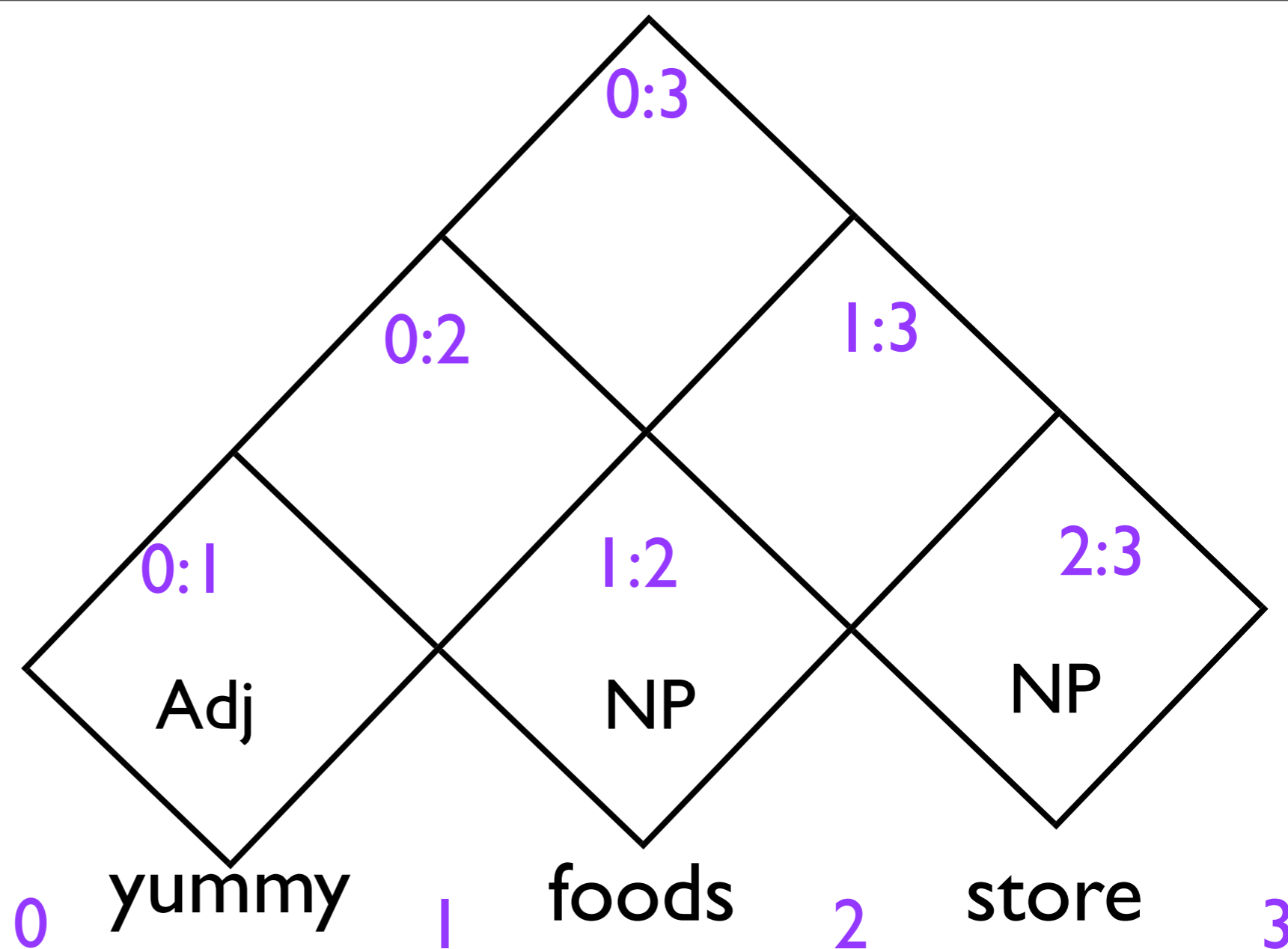
Adj \rightarrow yummy

NP \rightarrow foods

NP \rightarrow store

NP \rightarrow NP NP

NP \rightarrow Adj NP



For cell $[i,j]$ (loop through them bottom-up)

For possible splitpoint $k=(i+1)..(j-1)$:

For every B in $[i,k]$ and C in $[k,j]$,

If exists rule $A \rightarrow B C$,

add A to cell $[i,j]$ (Recognizer)

... or ...

add (A,B,C, k) to cell $[i,j]$ (Parser)

Recognizer: per span, record list of possible nonterminals

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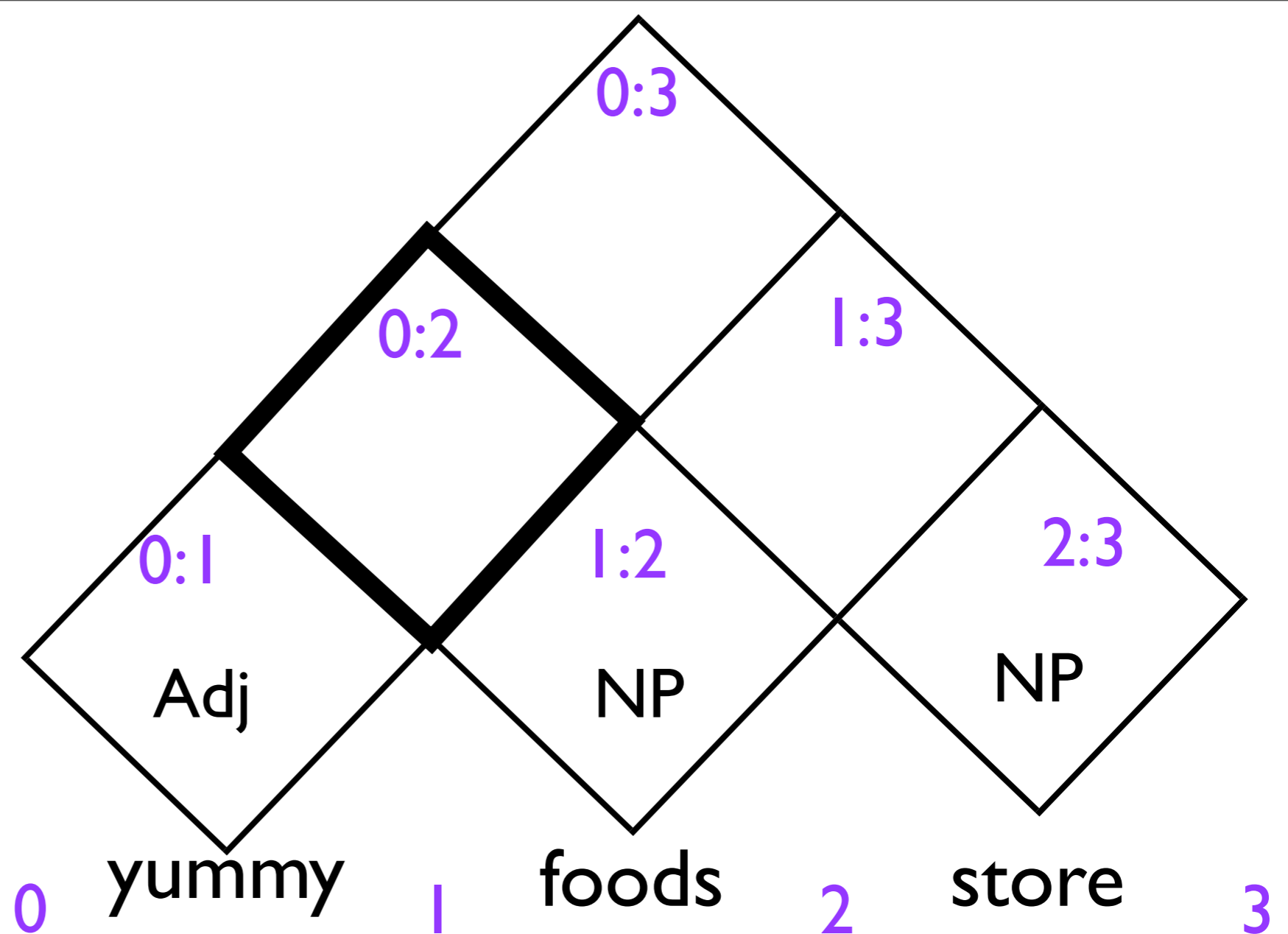
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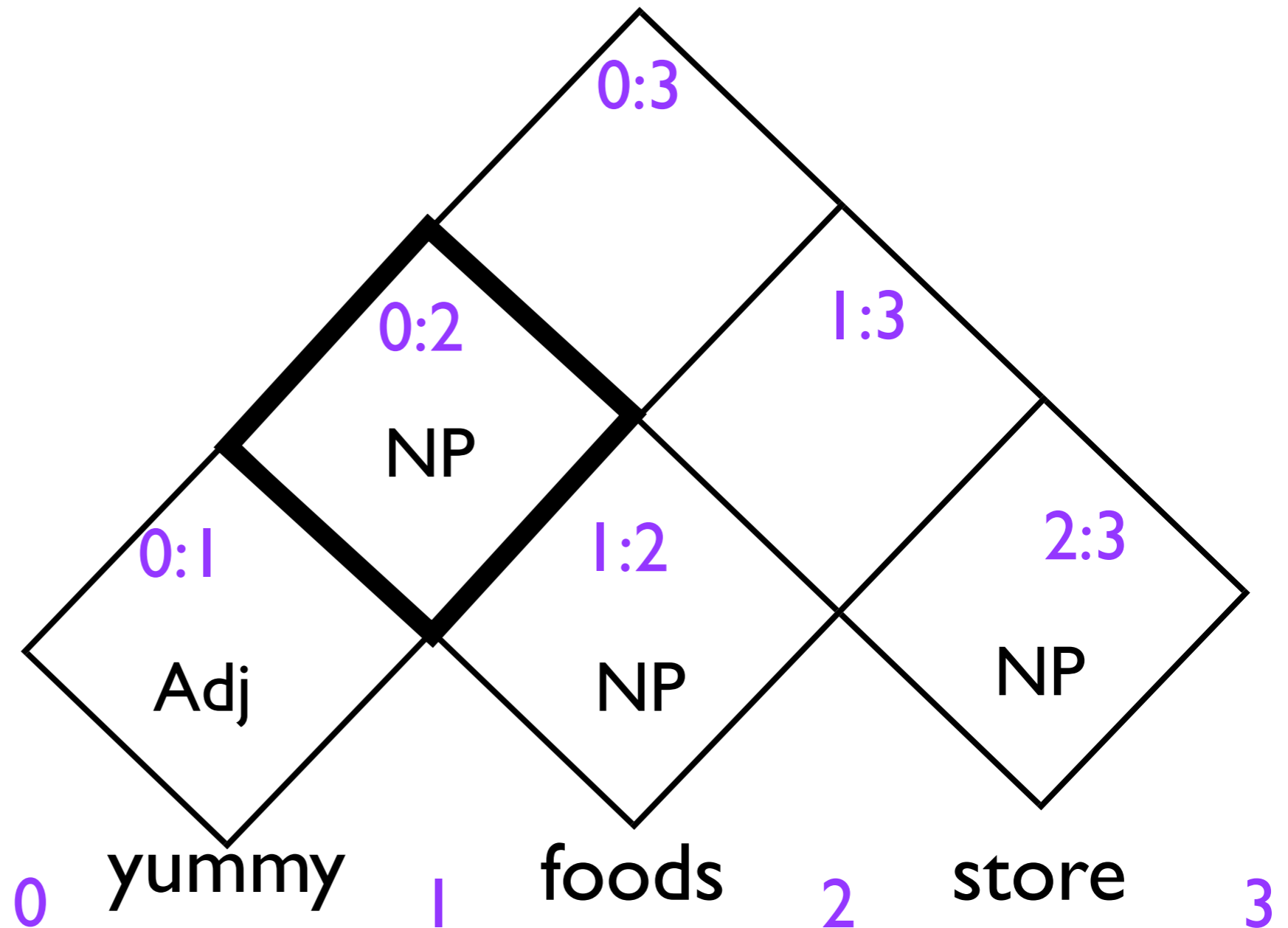
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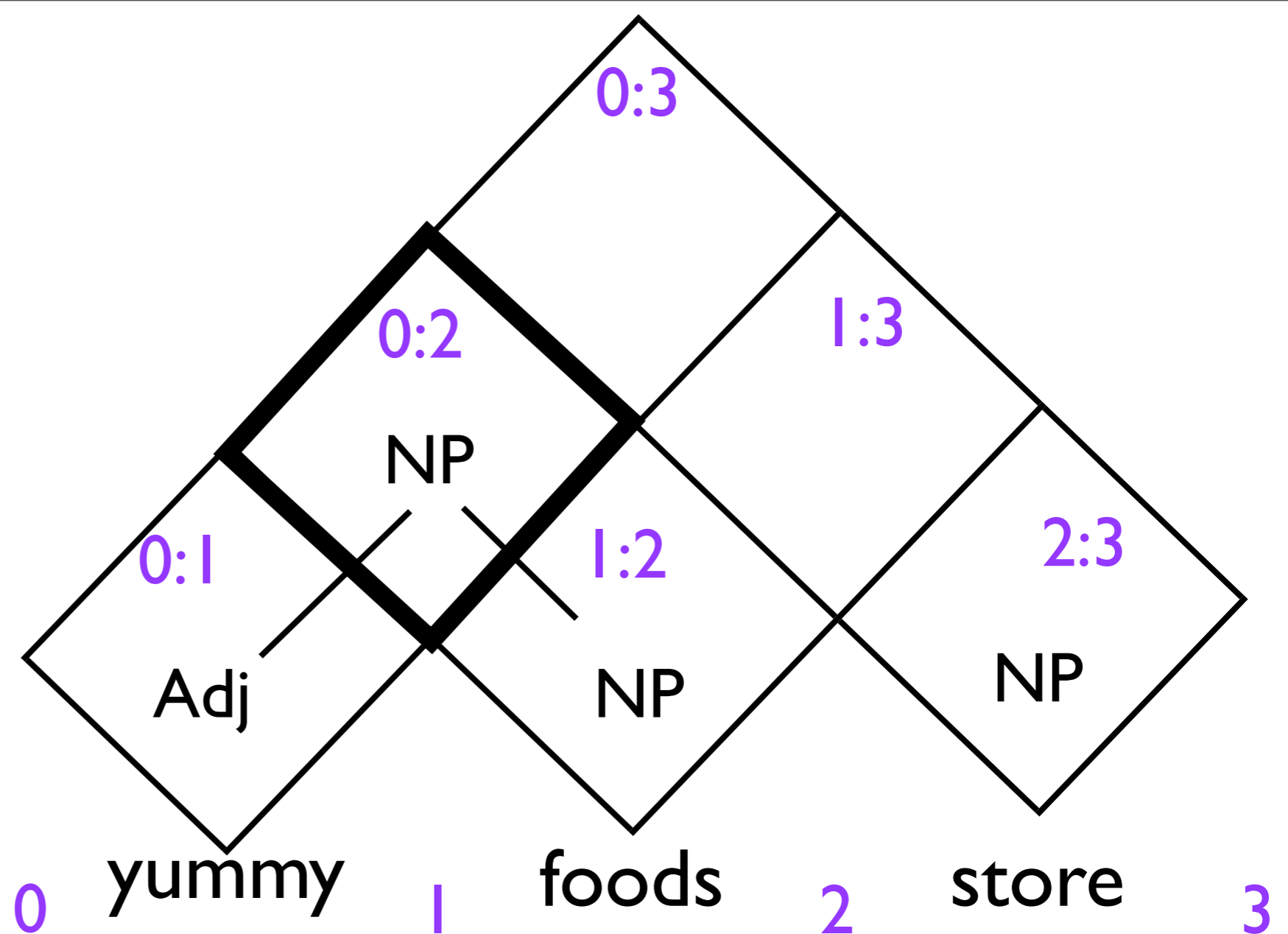
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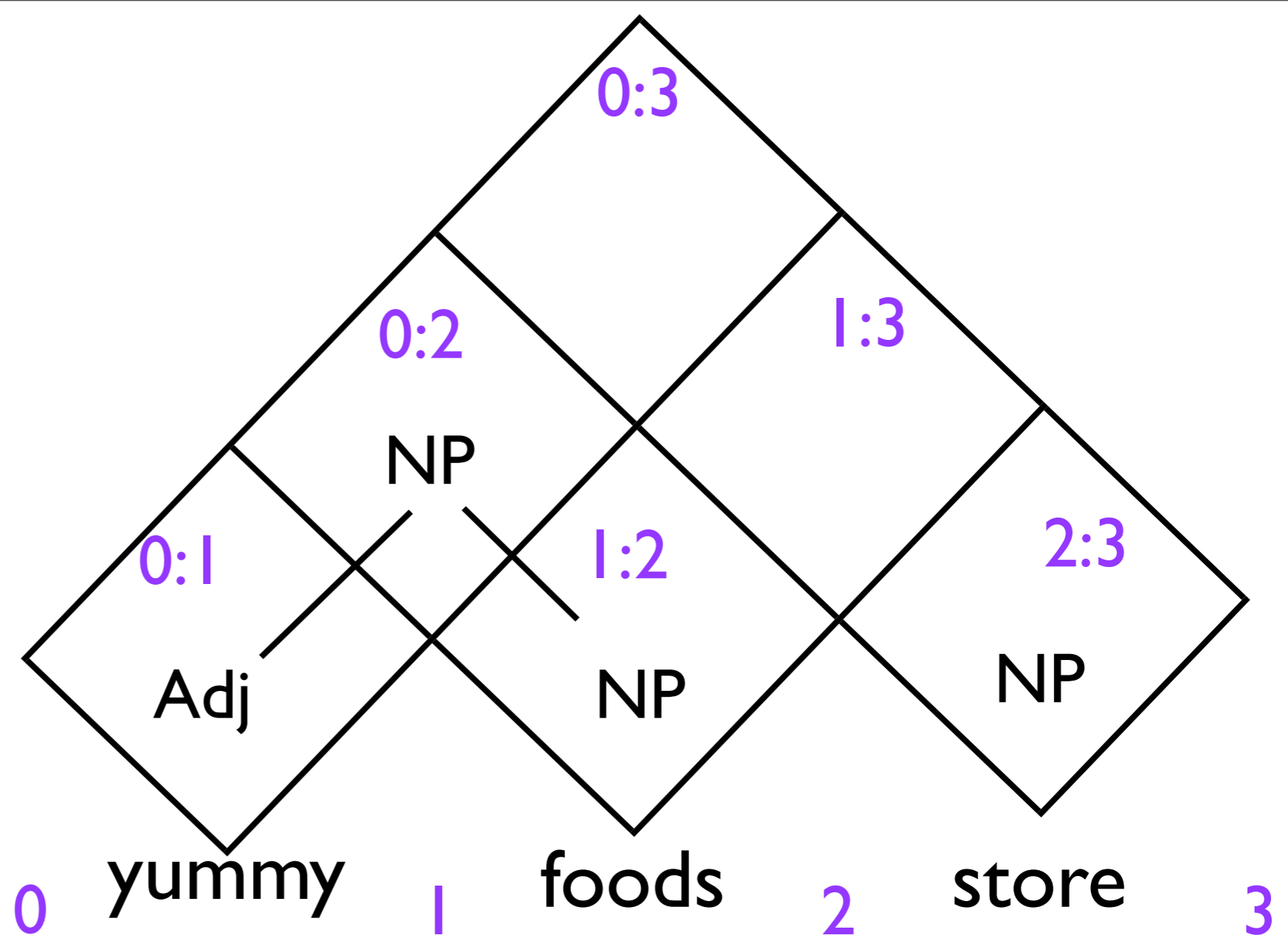
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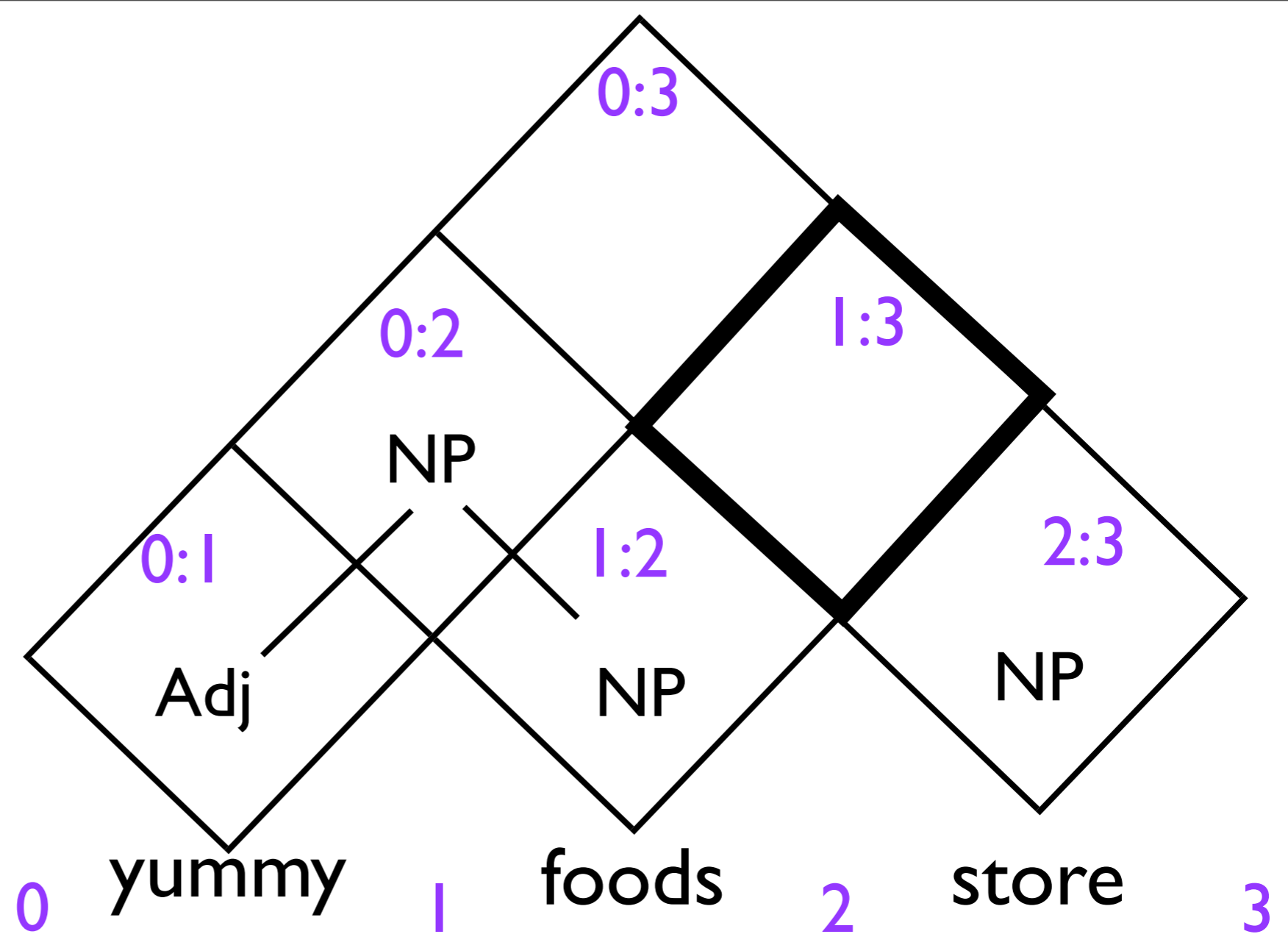
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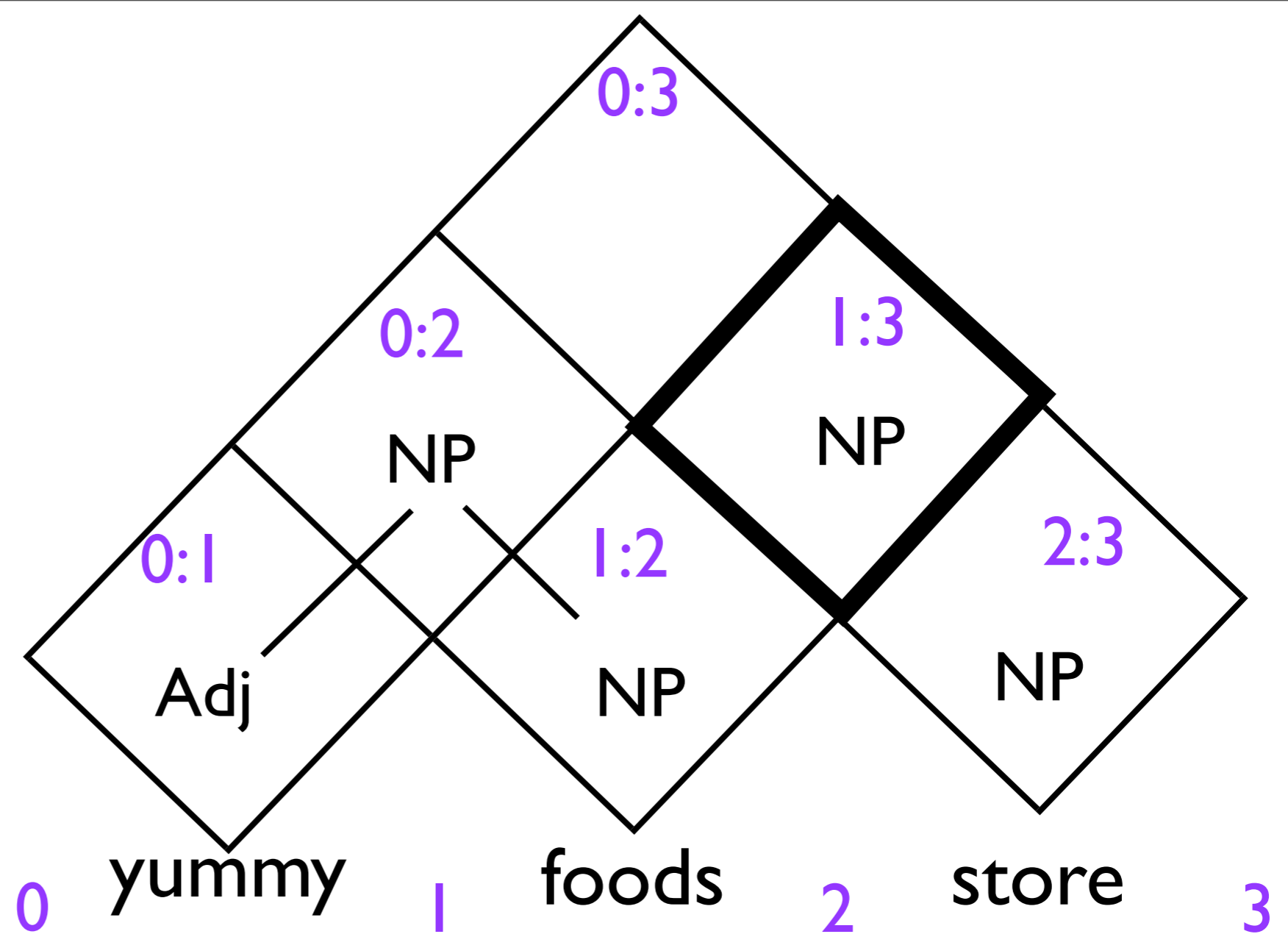
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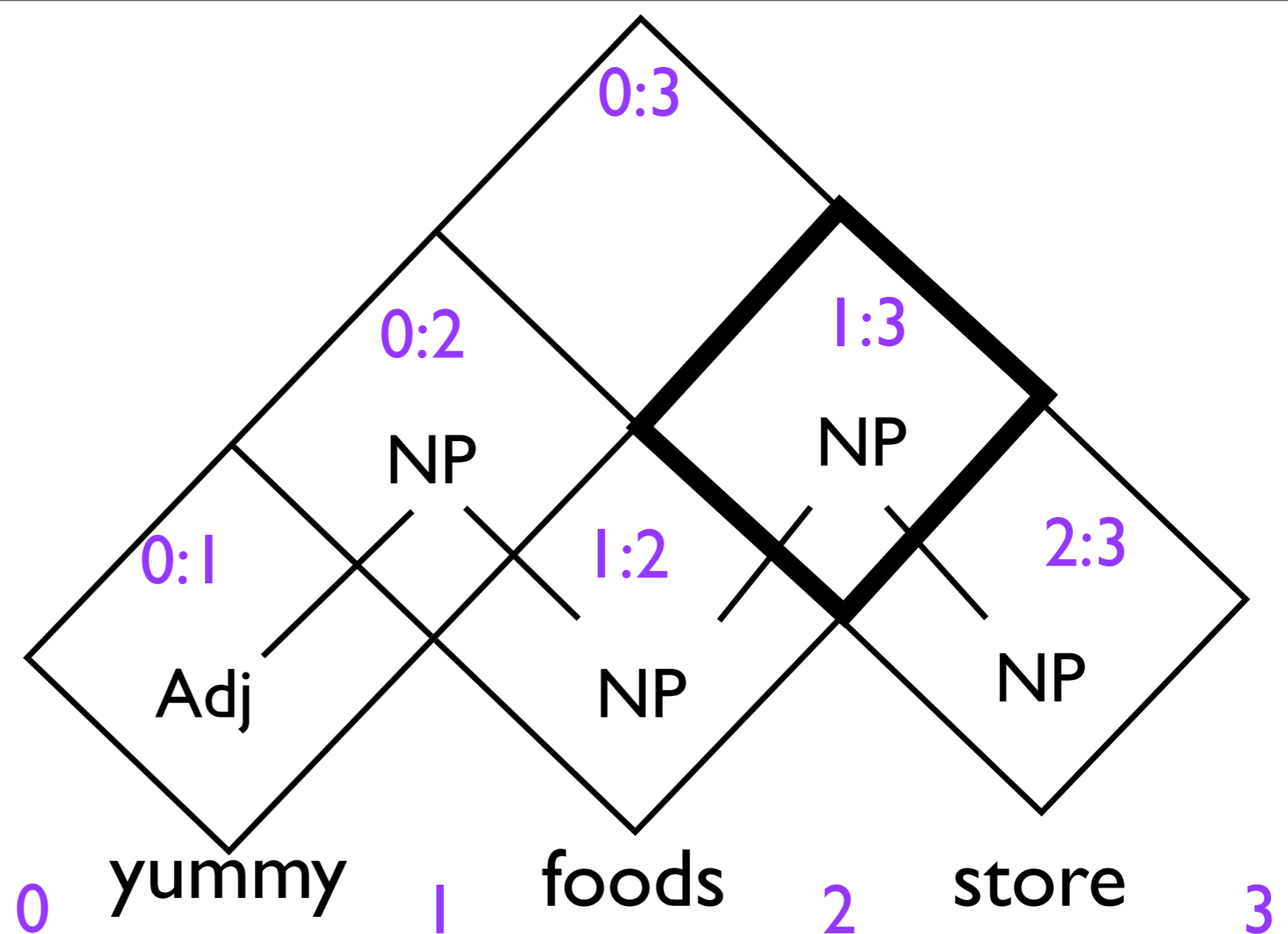
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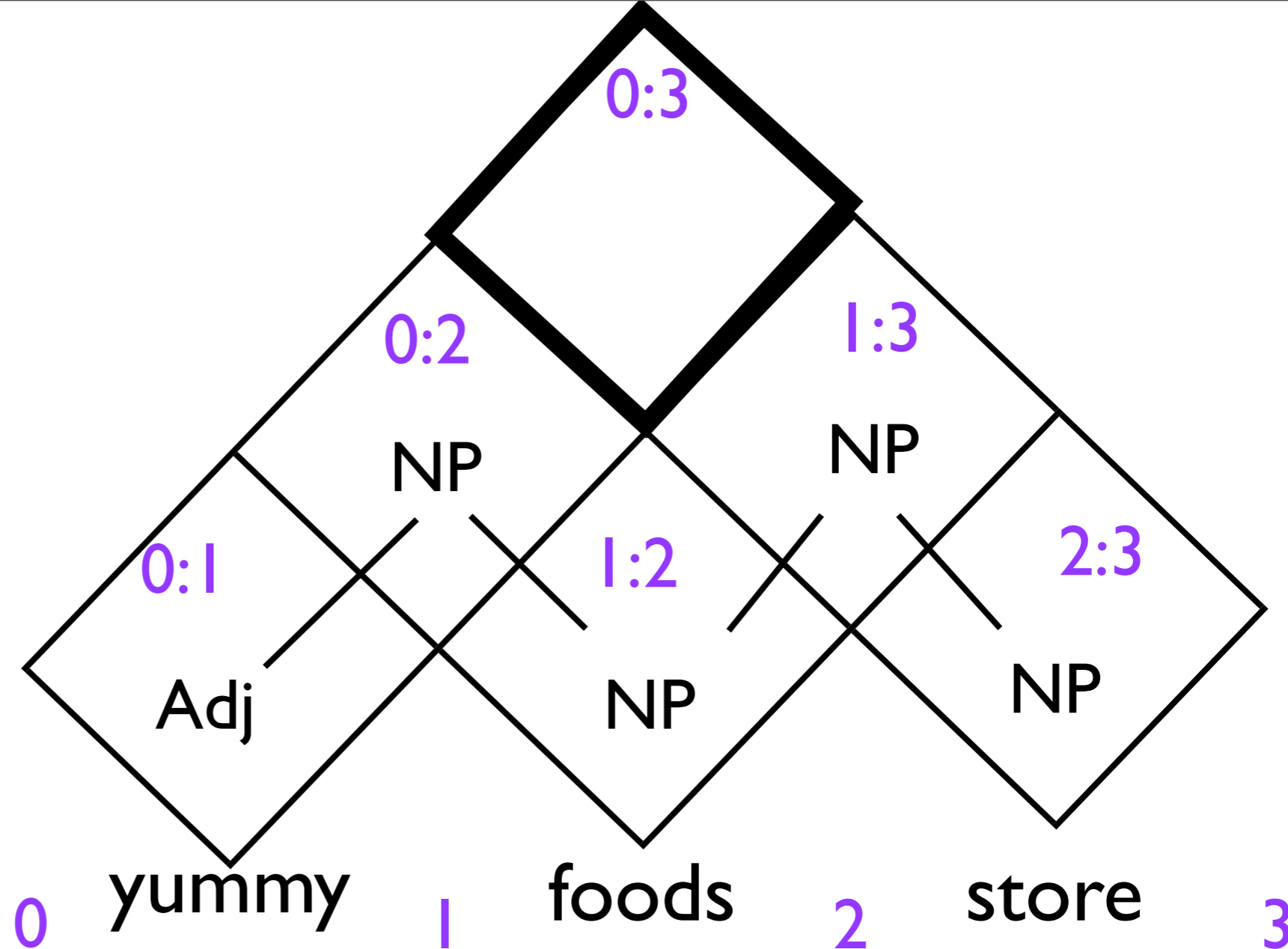
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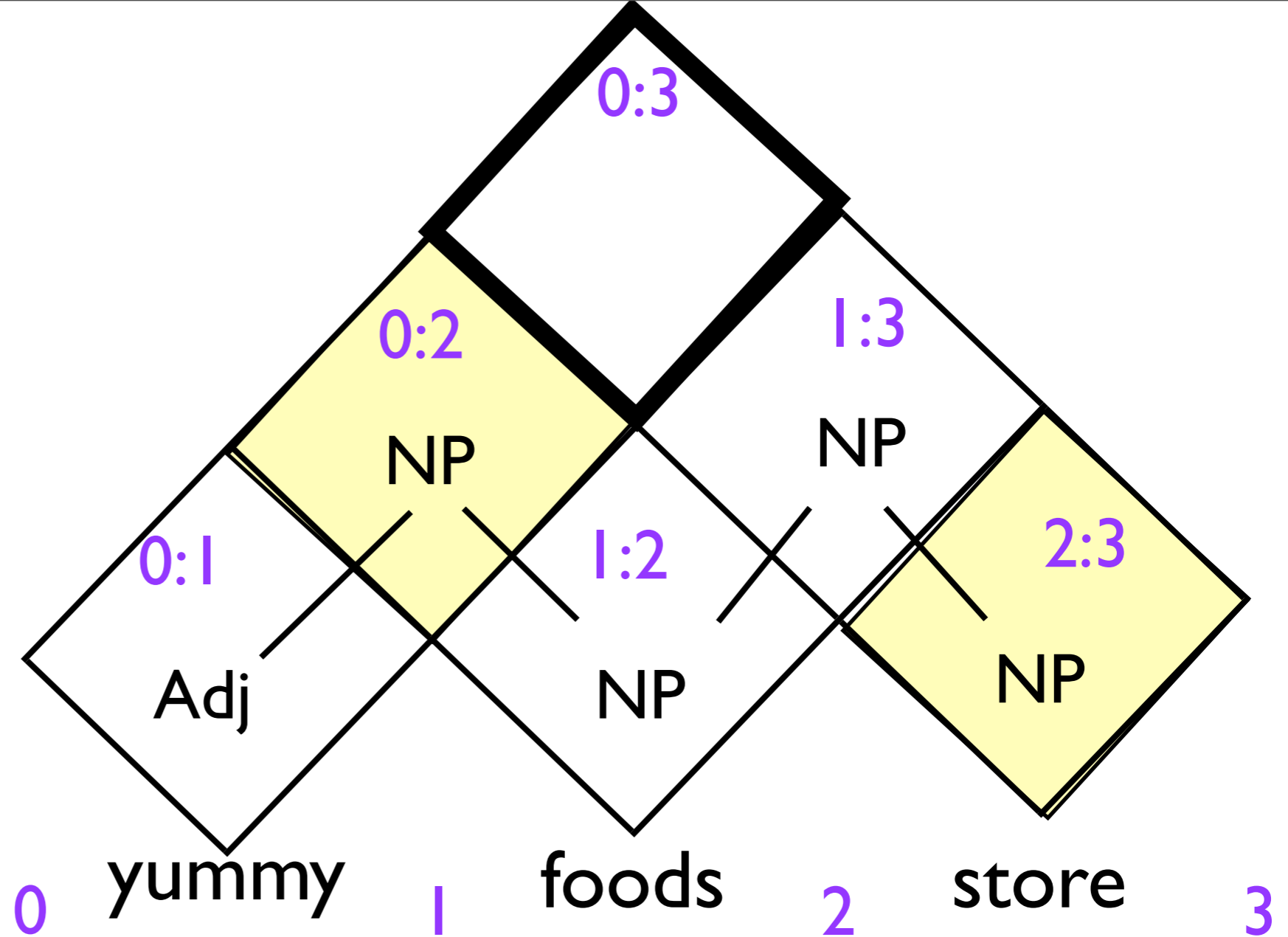
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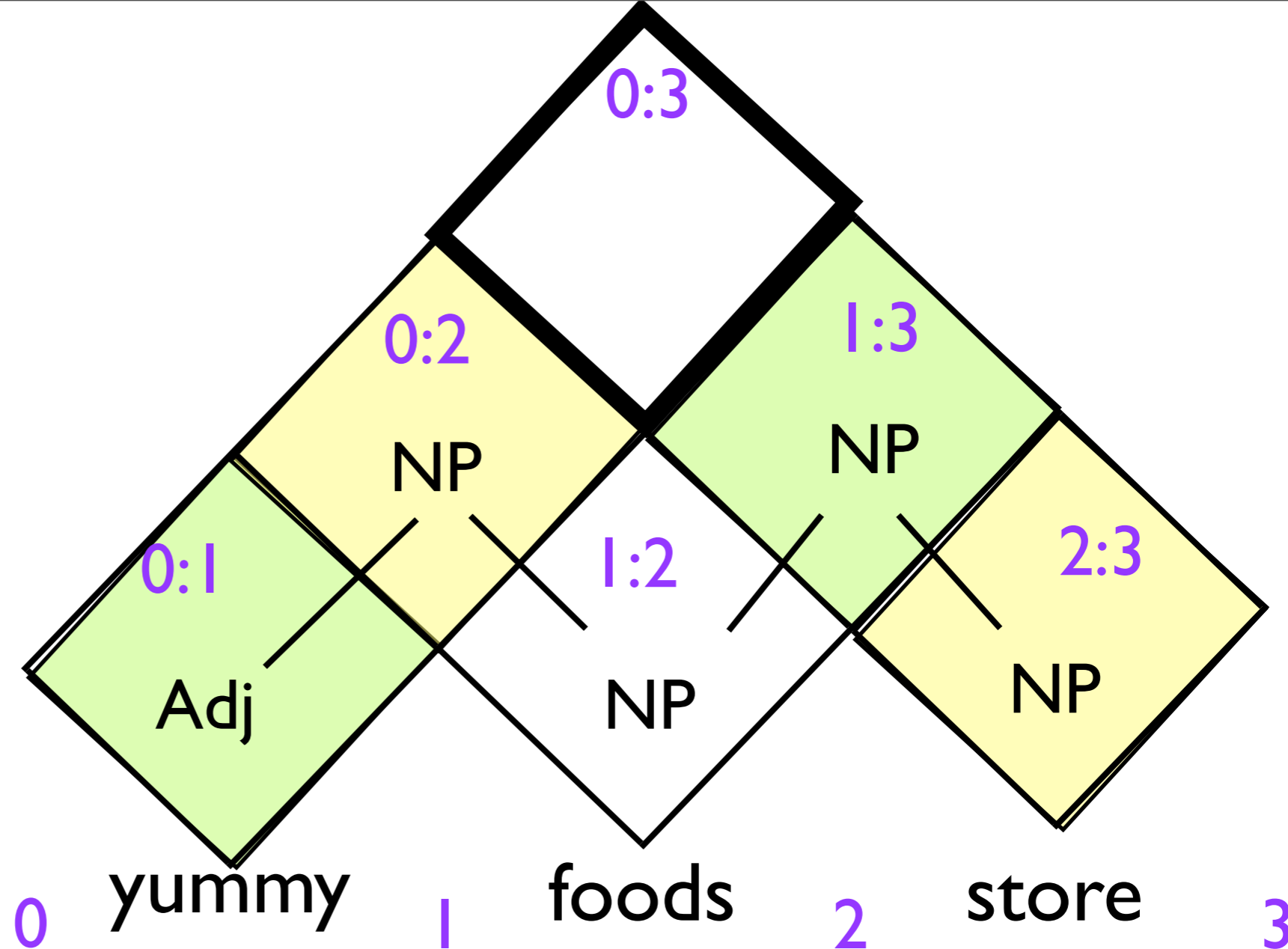
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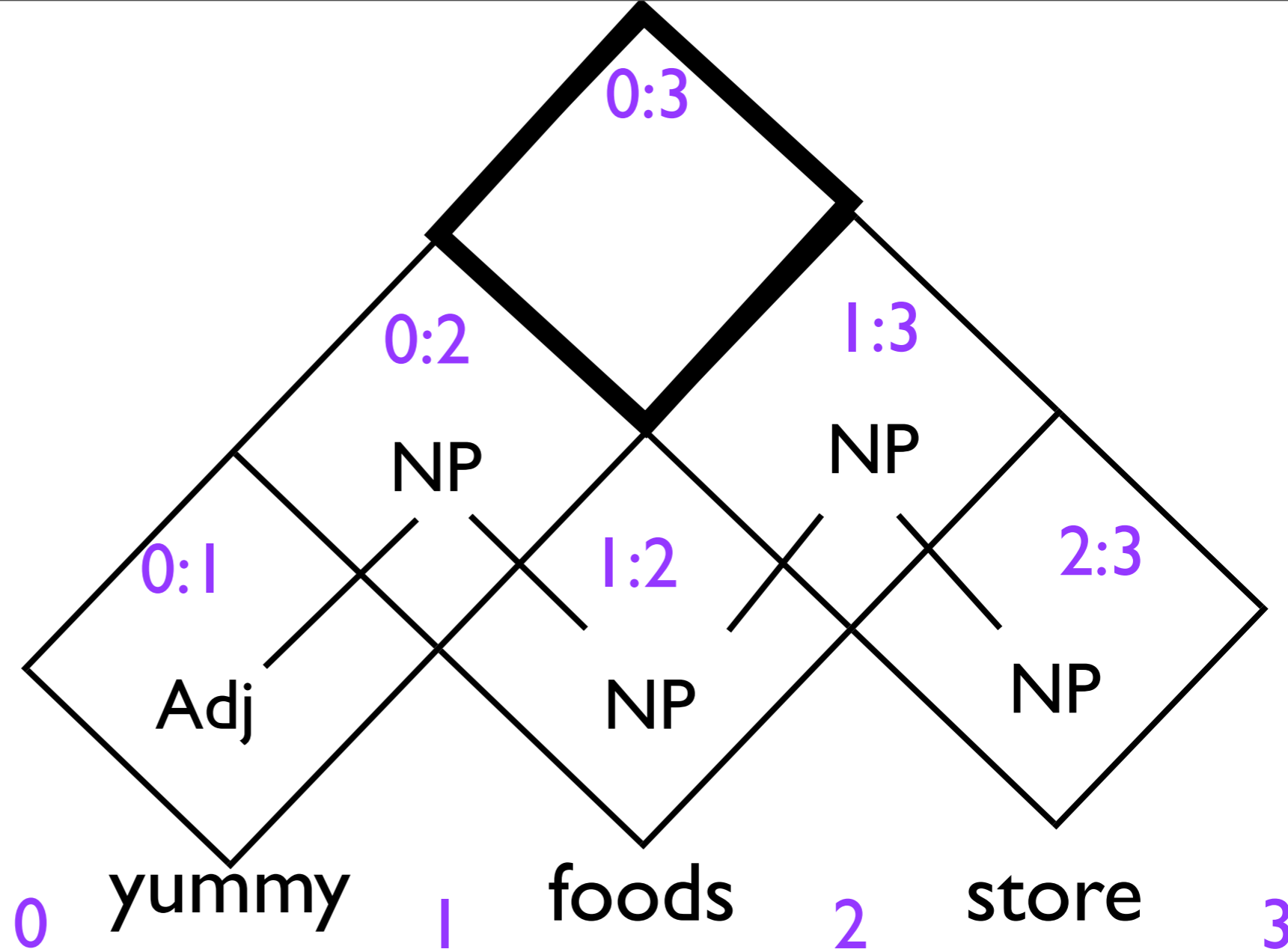
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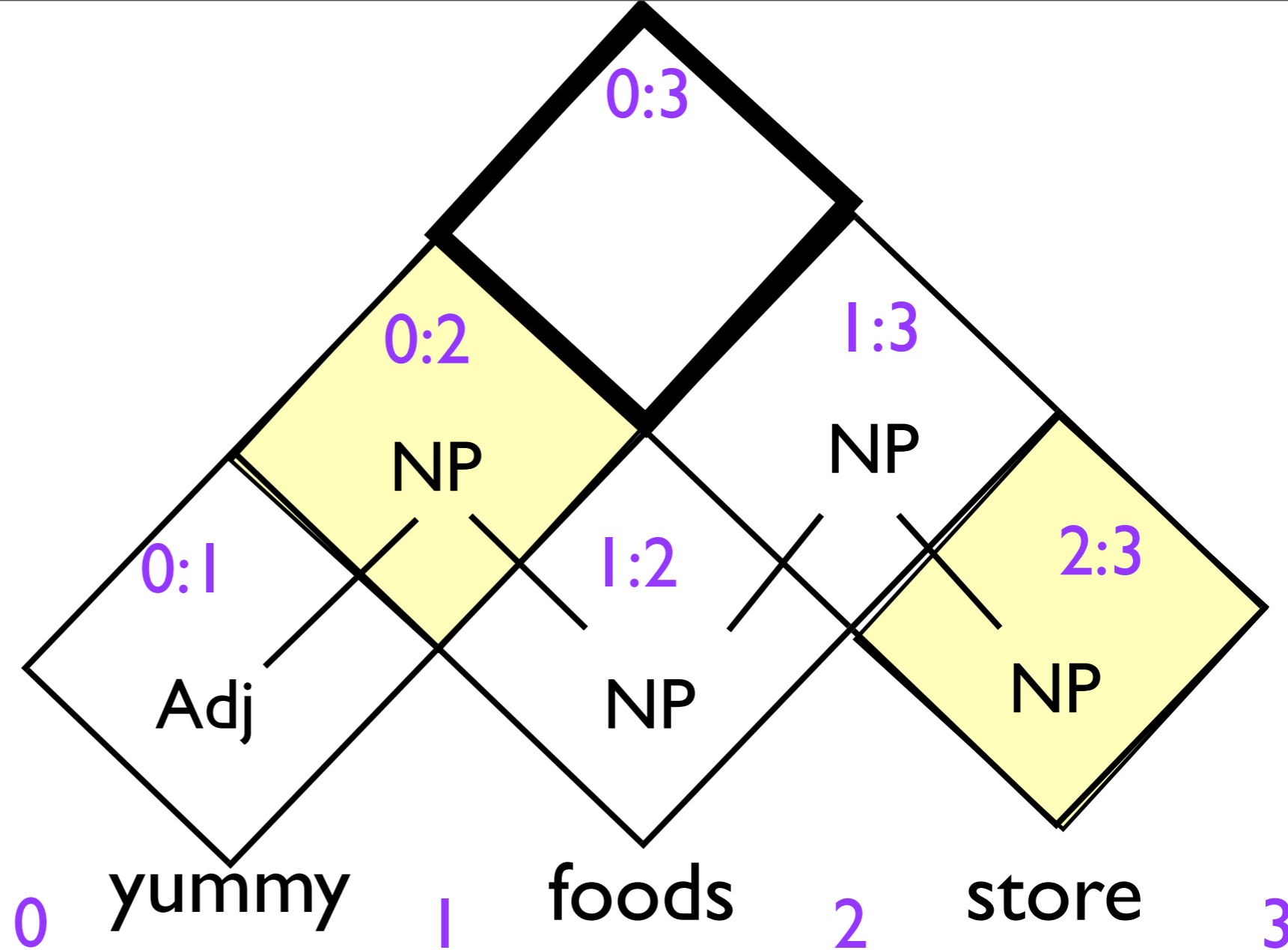
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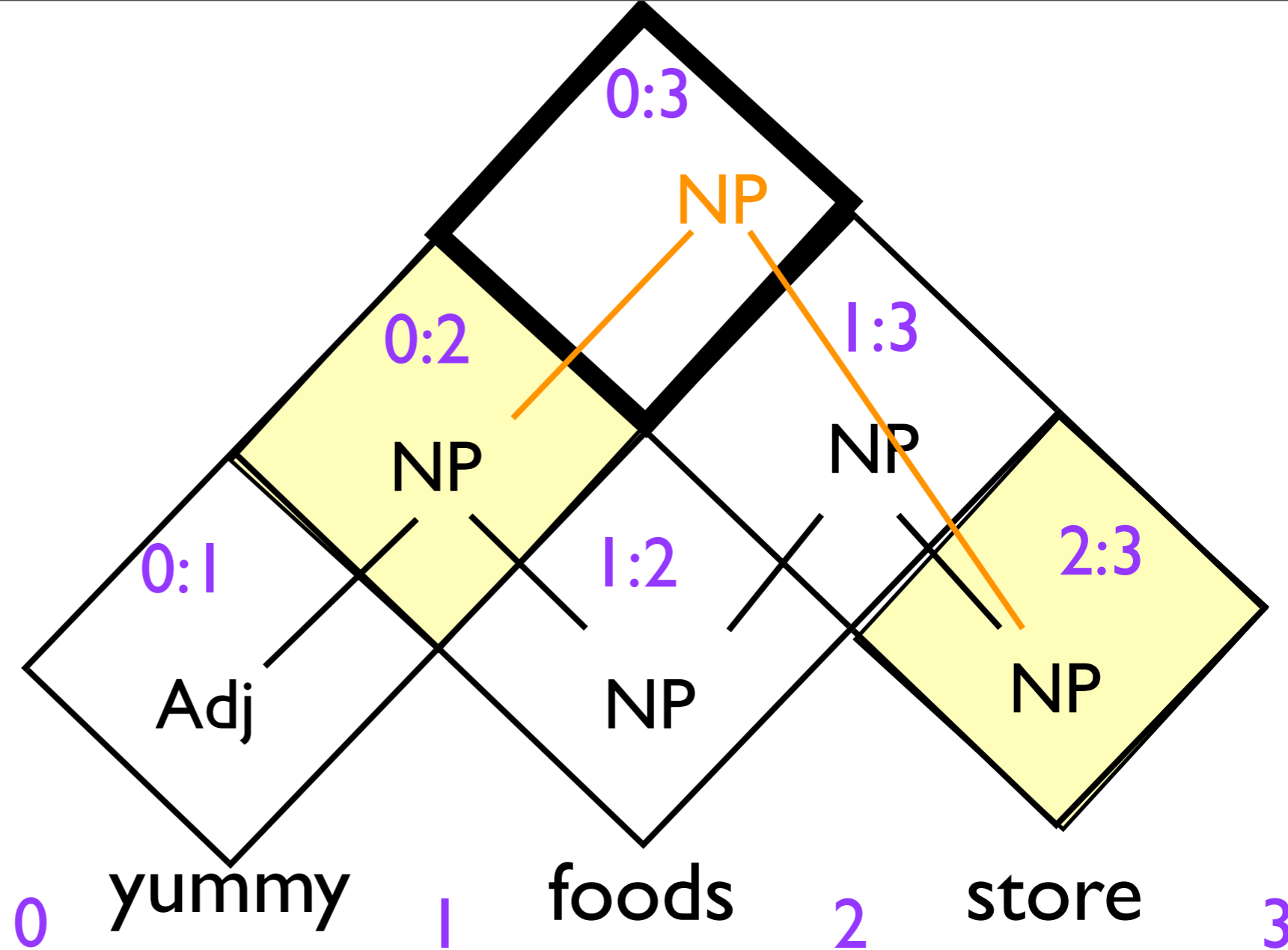
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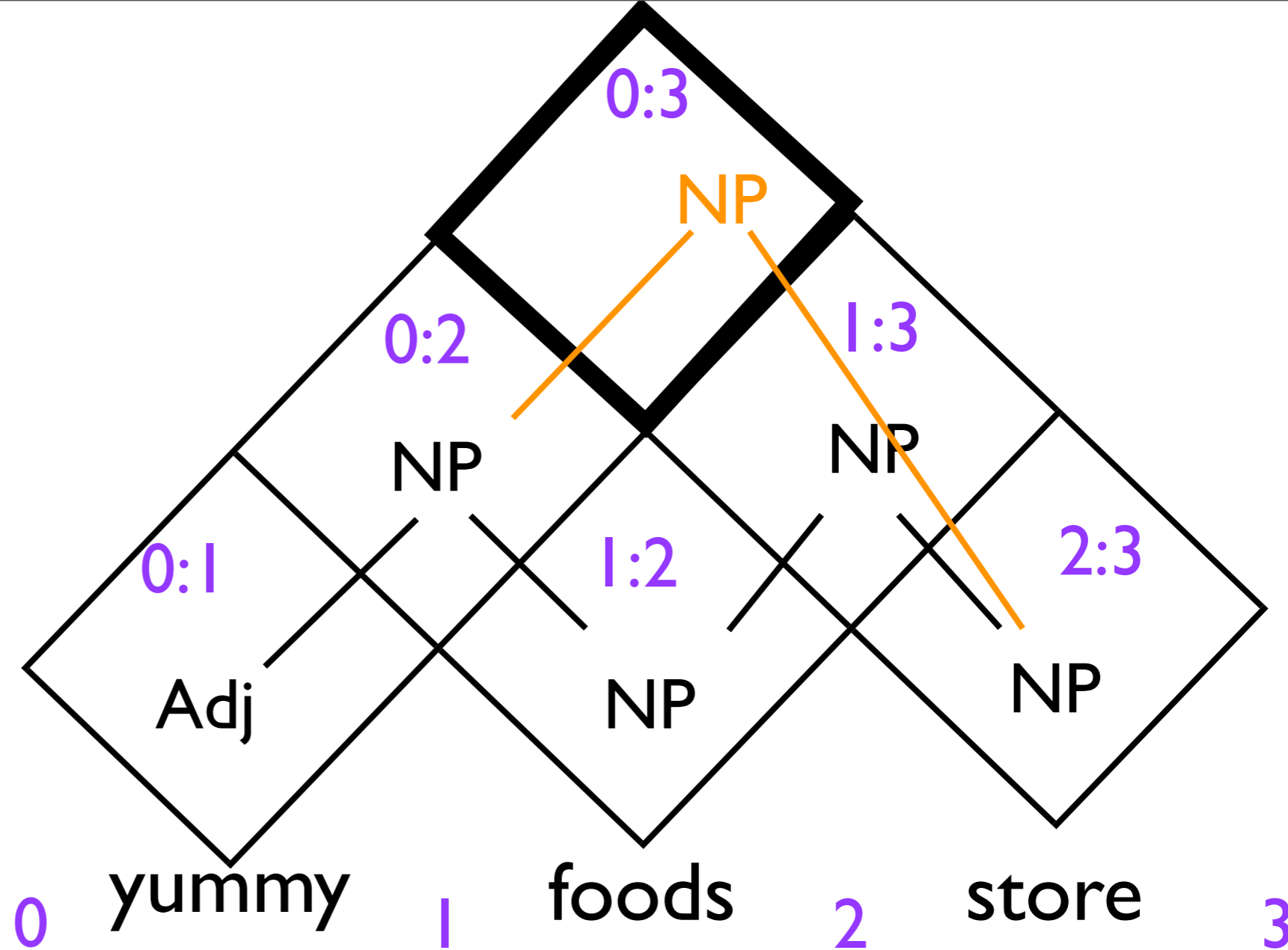
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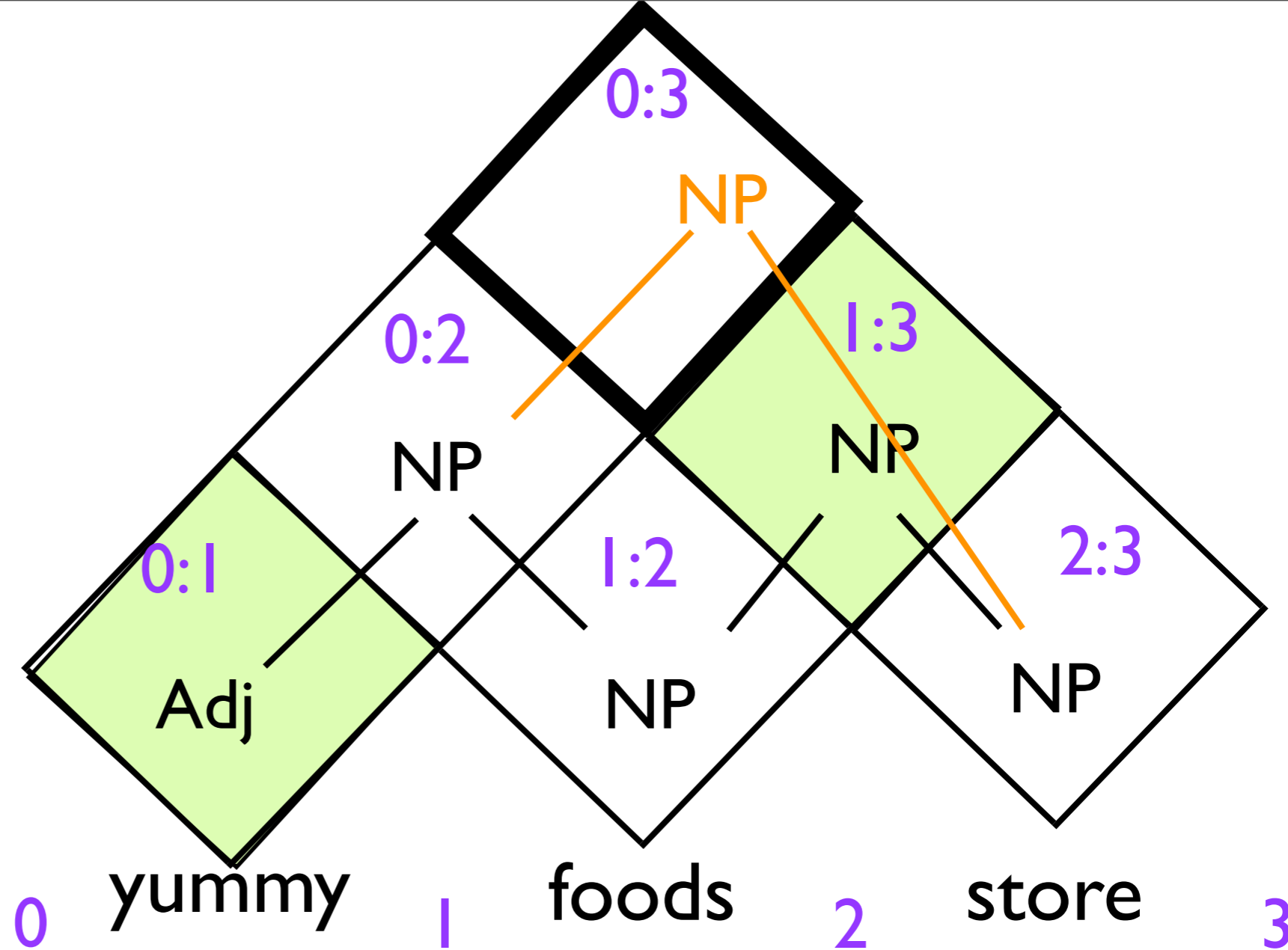
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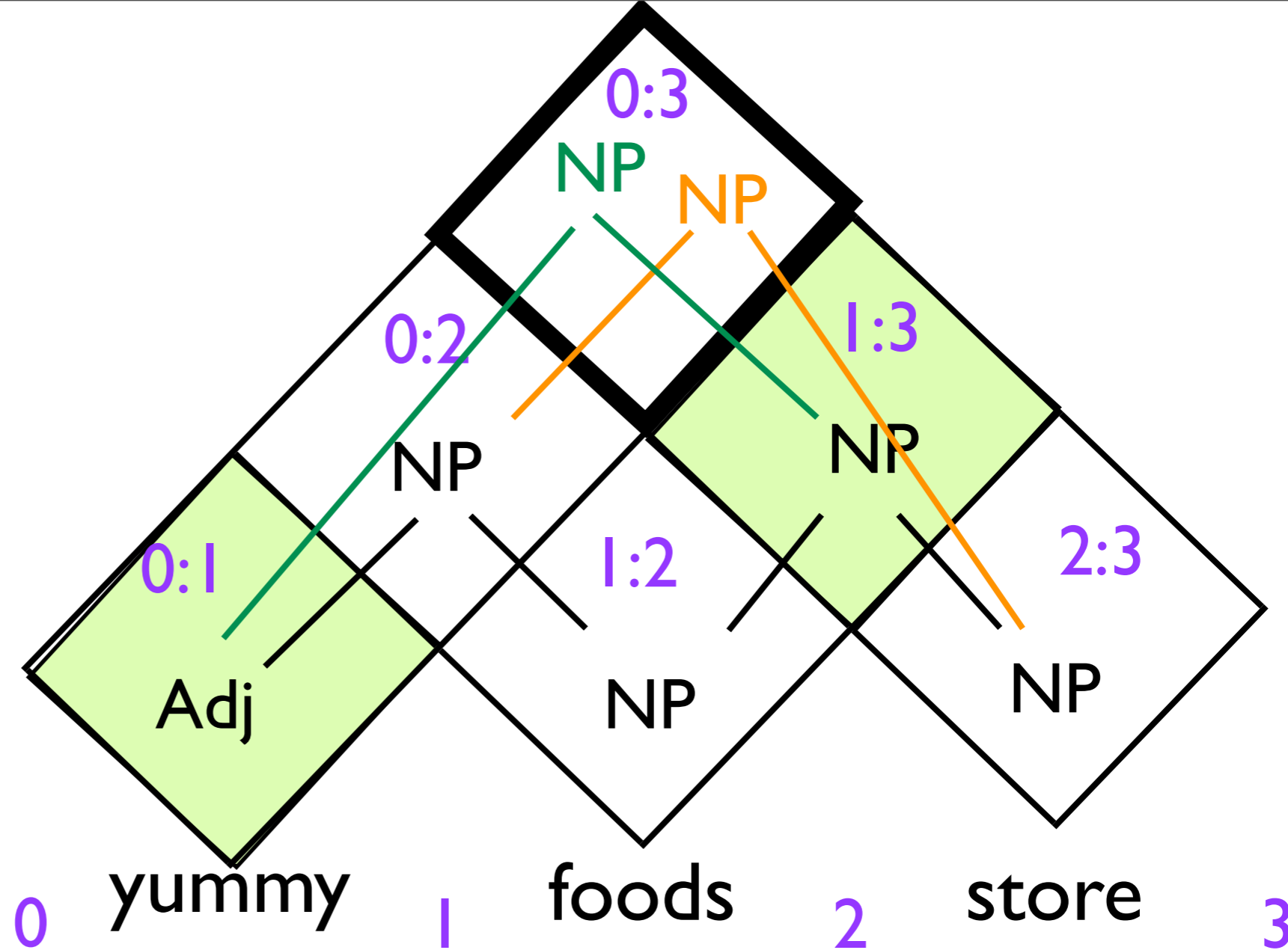
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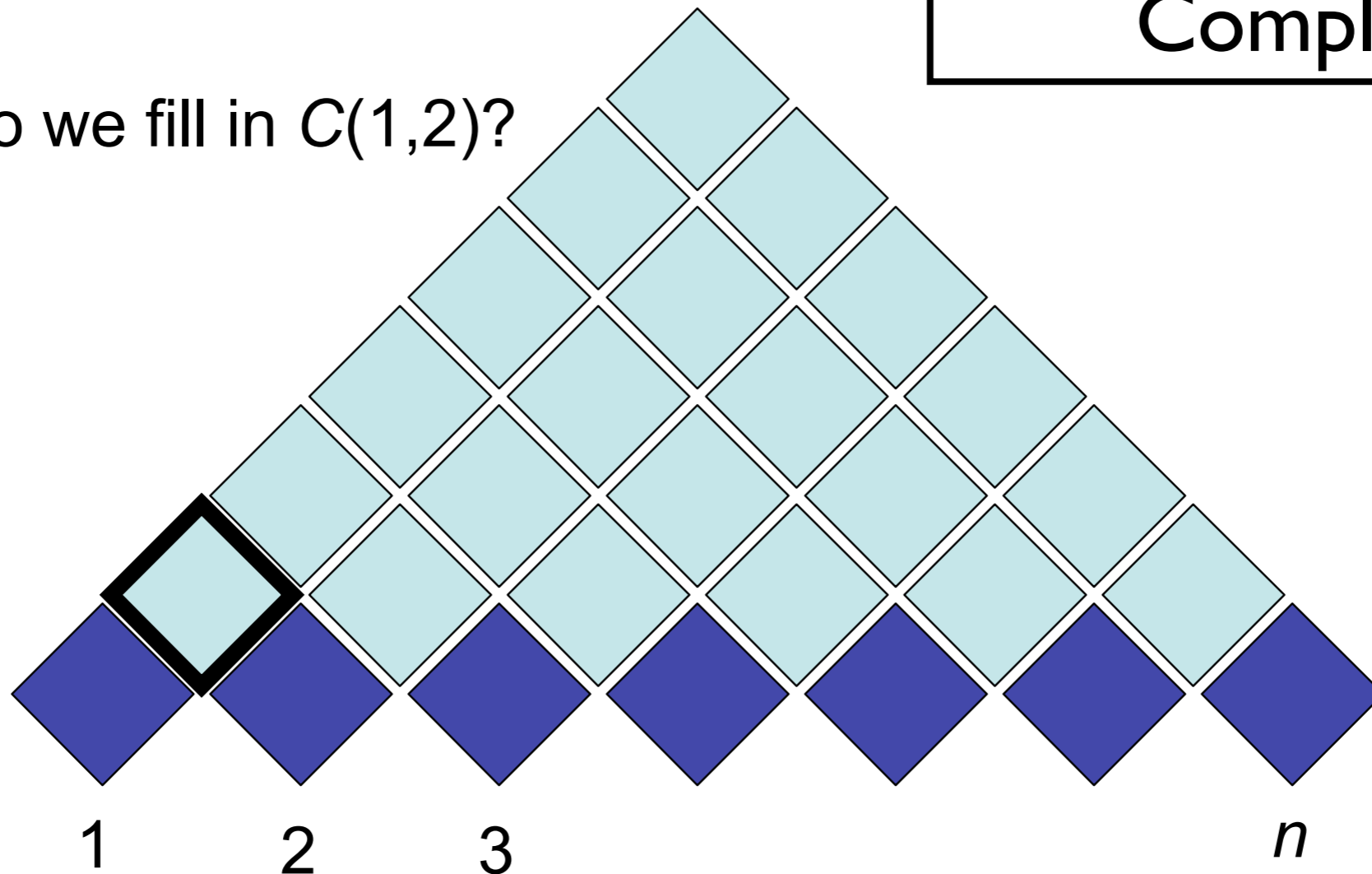
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Computational
Complexity ?

How do we fill in $C(1,2)$?



For cell $[i,j]$

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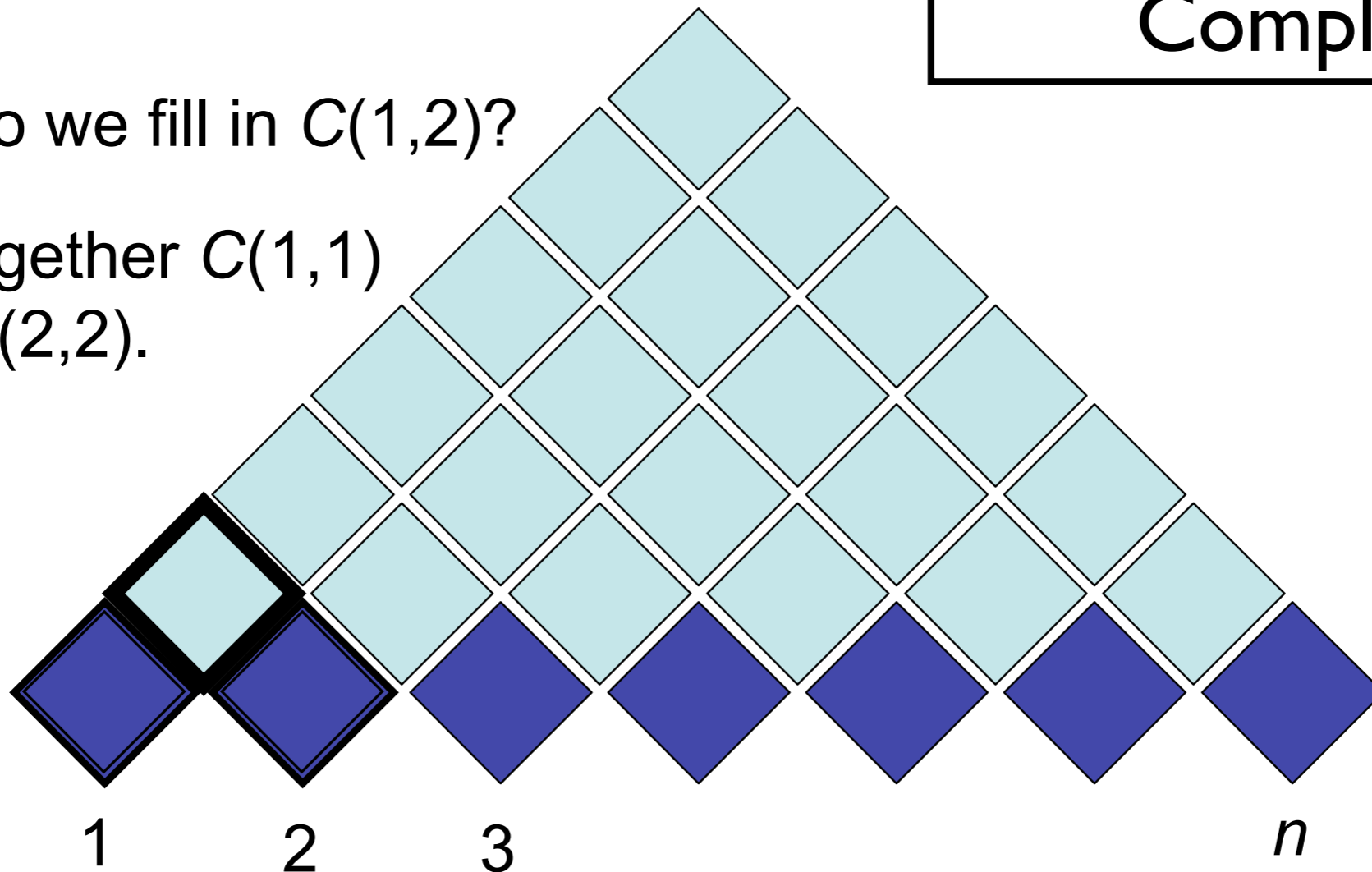
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Computational
Complexity ?

How do we fill in $C(1,2)$?

Put together $C(1,1)$
and $C(2,2)$.



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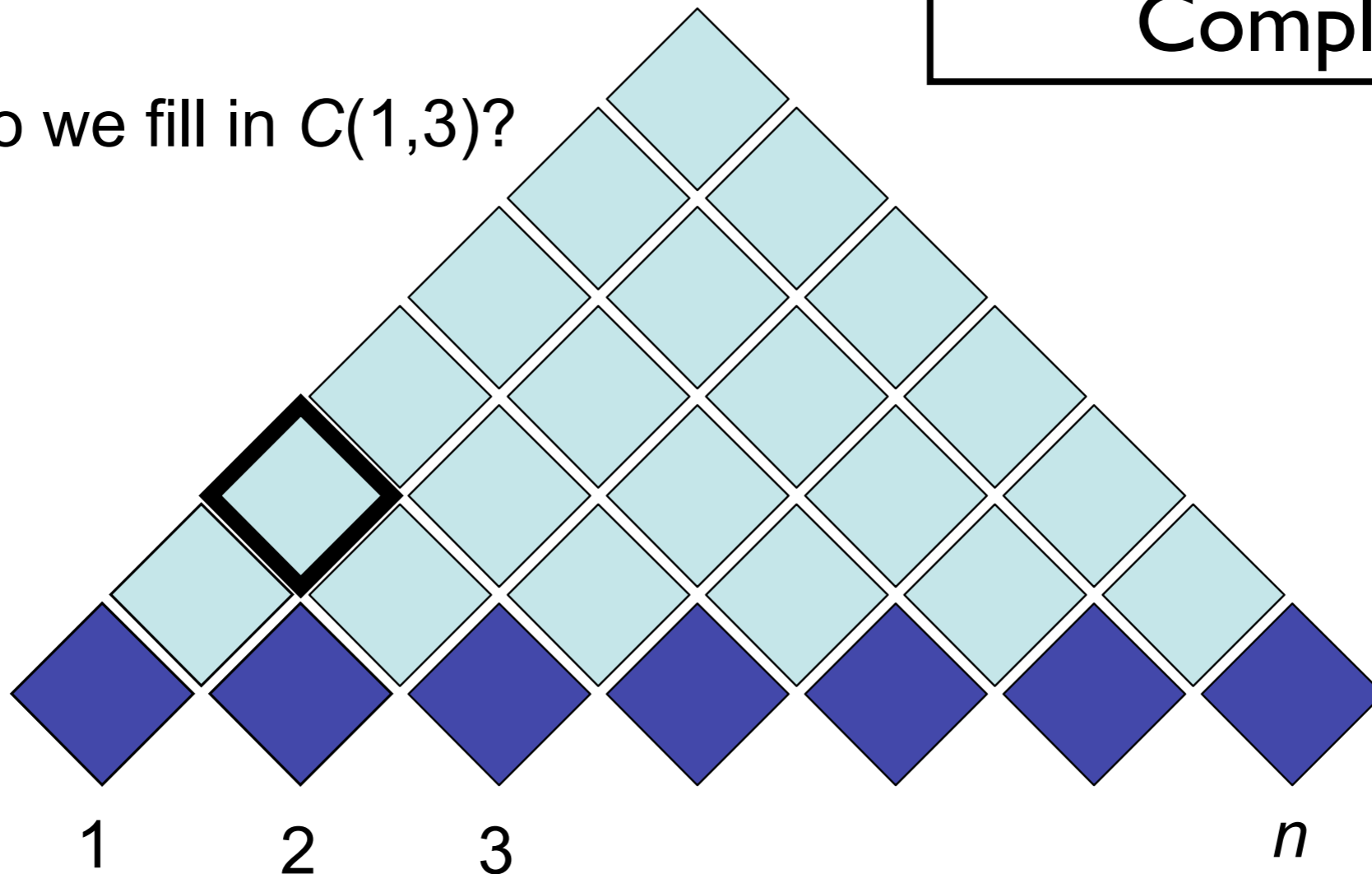
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Computational
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How do we fill in $C(1,3)$?



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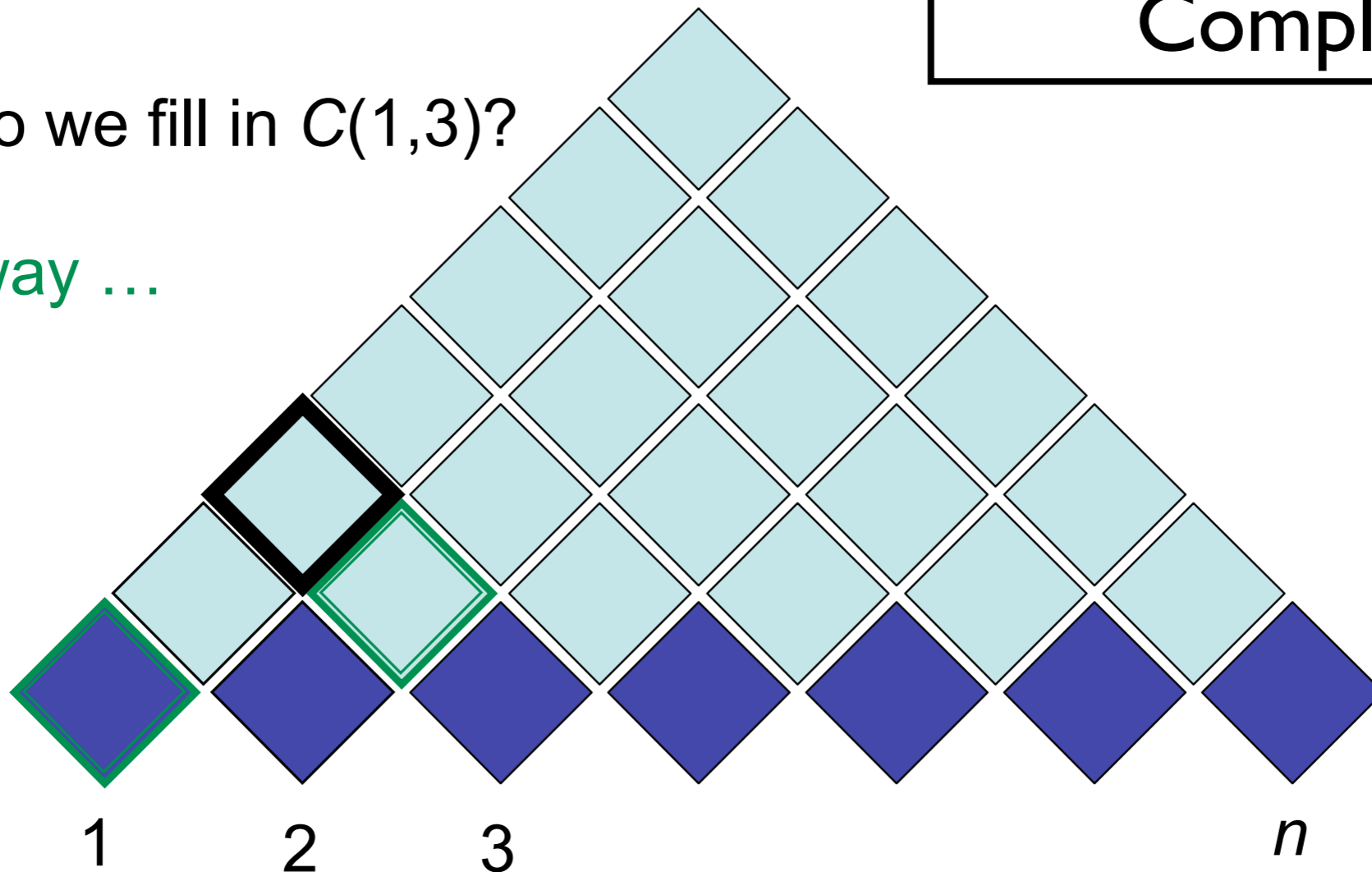
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How do we fill in $C(1,3)$?

One way ...



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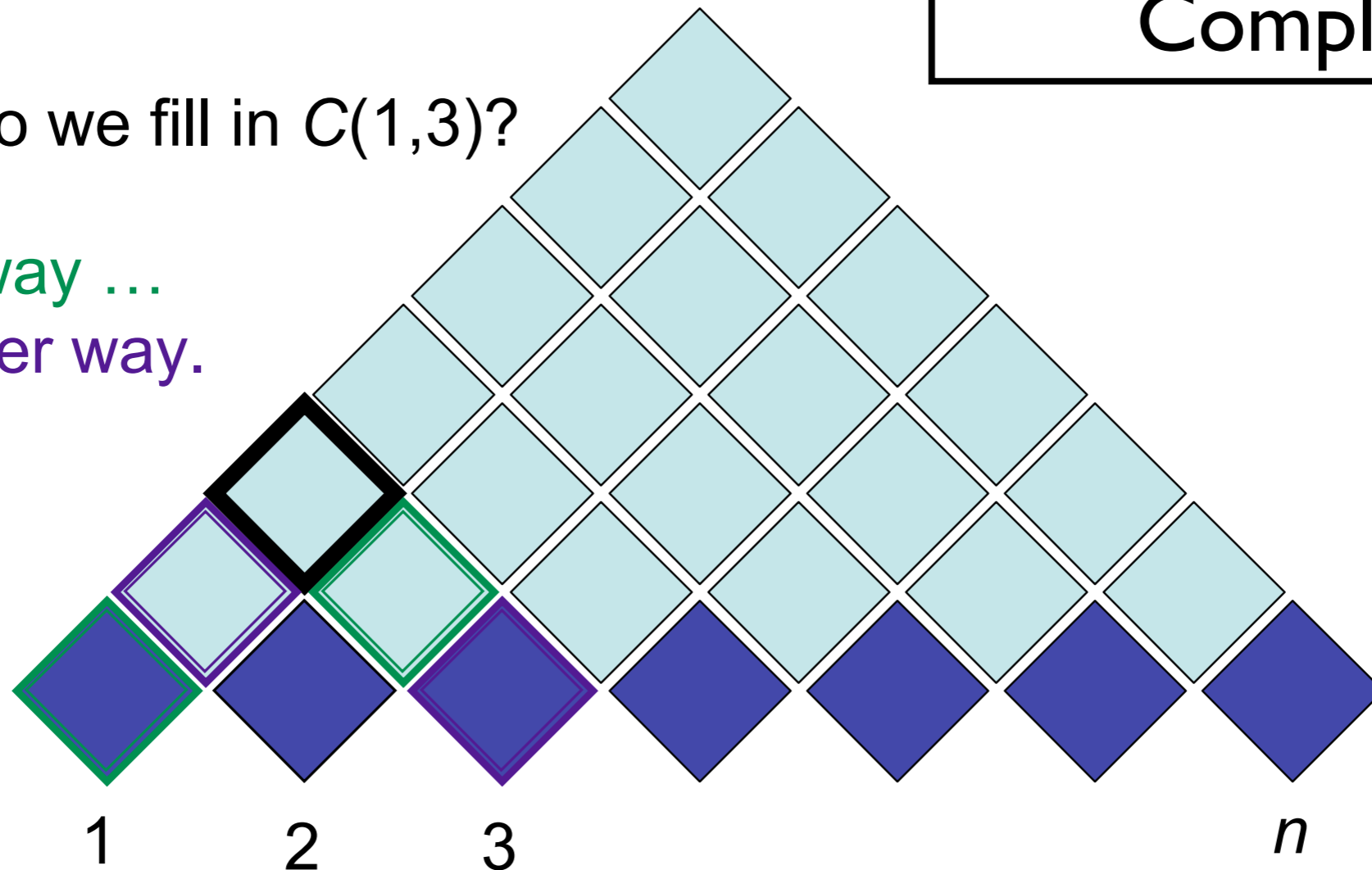
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Another way.



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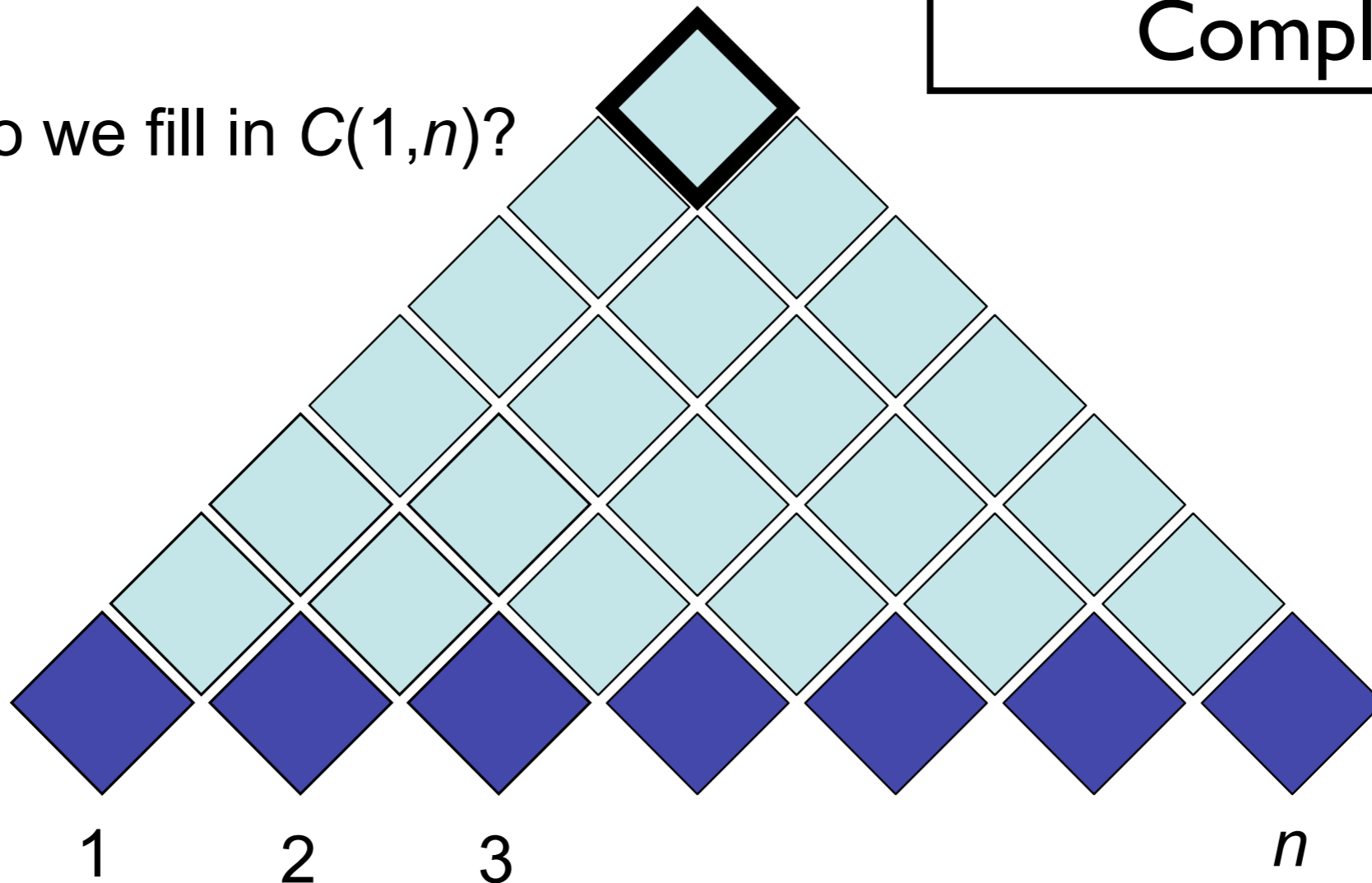
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Computational
Complexity ?

How do we fill in $C(1,n)$?



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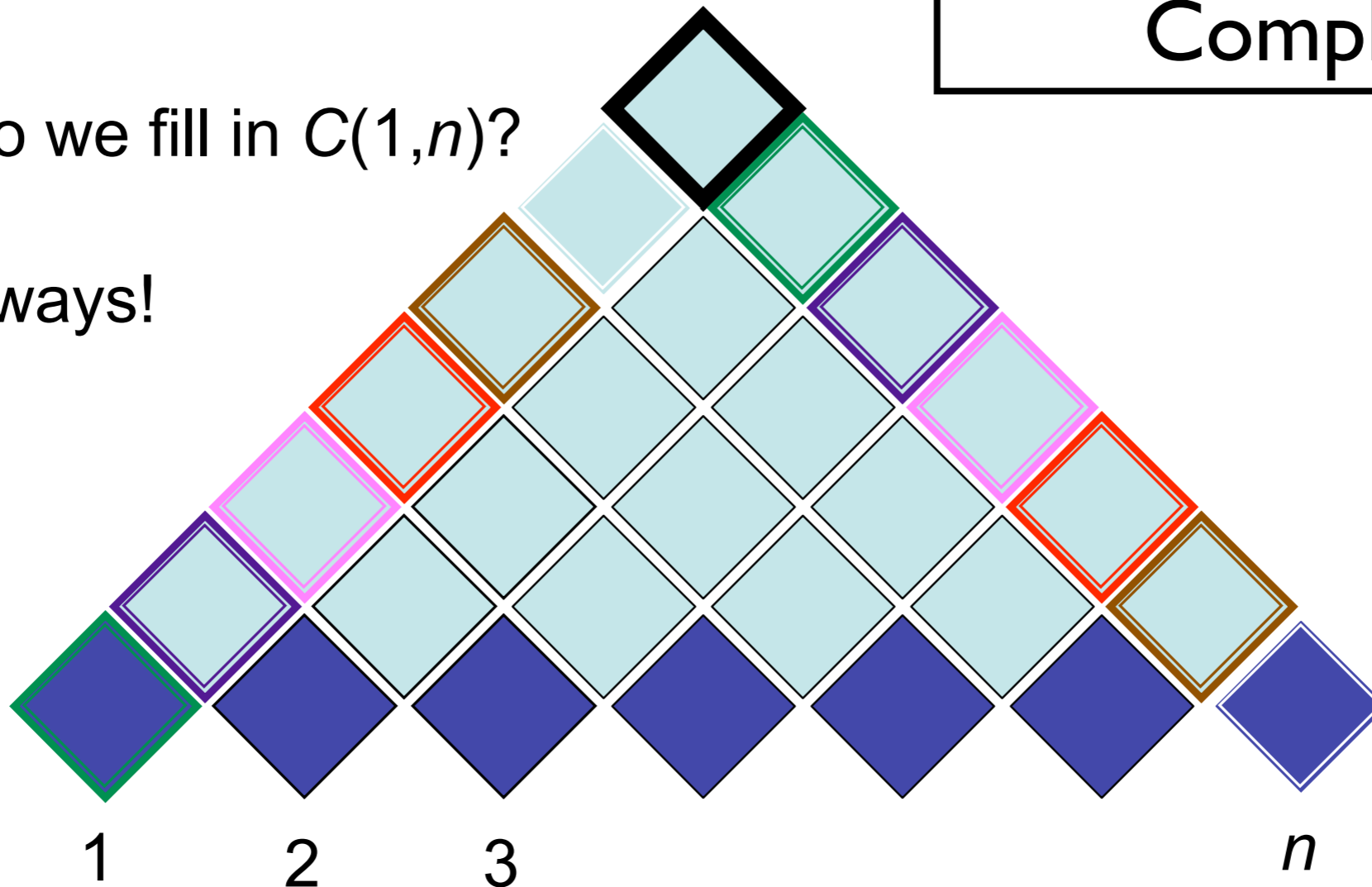
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Computational
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How do we fill in $C(1,n)$?

$n - 1$ ways!



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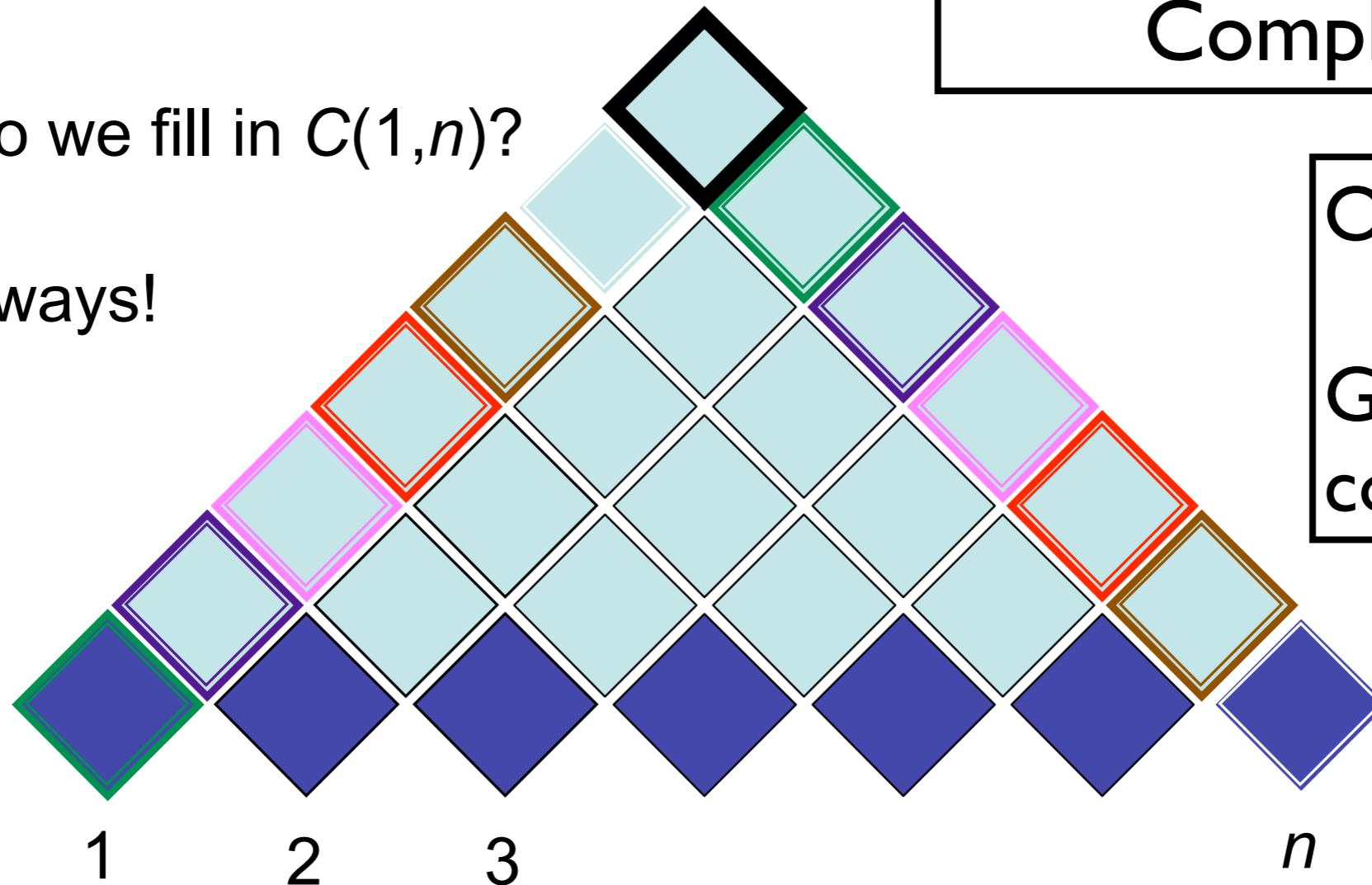
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$O(G n^3)$

G = grammar
constant

Probabilistic CFGs

| | | | | | | | | | |
|------------------------------------|-------|-----------------------------------|-------|--|-----------|-------|--|----------|-------|
| $S \rightarrow NP VP$ | [.80] | $Det \rightarrow that$ | [.10] | | a | [.30] | | the | [.60] |
| $S \rightarrow Aux NP VP$ | [.15] | $Noun \rightarrow book$ | [.10] | | $flight$ | [.30] | | | |
| $S \rightarrow VP$ | [.05] | | | | $meal$ | [.15] | | $money$ | [.05] |
| $NP \rightarrow Pronoun$ | [.35] | | | | $flights$ | [.40] | | $dinner$ | [.10] |
| $NP \rightarrow Proper-Noun$ | [.30] | $Verb \rightarrow book$ | [.30] | | $include$ | [.30] | | | |
| $NP \rightarrow Det Nominal$ | [.20] | | | | $prefer;$ | [.40] | | | |
| $NP \rightarrow Nominal$ | [.15] | $Pronoun \rightarrow I$ | [.40] | | she | [.05] | | | |
| $Nominal \rightarrow Noun$ | [.75] | | | | me | [.15] | | you | [.40] |
| $Nominal \rightarrow Nominal Noun$ | [.20] | $Proper-Noun \rightarrow Houston$ | [.60] | | | | | | |
| $Nominal \rightarrow Nominal PP$ | [.05] | | | | TWA | [.40] | | | |
| $VP \rightarrow Verb$ | [.35] | $Aux \rightarrow does$ | [.60] | | can | [.40] | | | |
| $VP \rightarrow Verb NP$ | [.20] | $Preposition \rightarrow from$ | [.30] | | to | [.30] | | | |
| $VP \rightarrow Verb NP PP$ | [.10] | | | | on | [.20] | | $near$ | [.15] |
| $VP \rightarrow Verb PP$ | [.15] | | | | $through$ | [.05] | | | |
| $VP \rightarrow Verb NP NP$ | [.05] | | | | | | | | |
| $VP \rightarrow VP PP$ | [.15] | | | | | | | | |
| $PP \rightarrow Preposition NP$ | [1.0] | | | | | | | | |

- Defines a probabilistic generative process for words in a sentence
- Extension of HMMs, strictly speaking
- Learning?
 - Fully supervised: need a treebank
 - Unsupervised: with EM

(P)CFG model, (P)CKY algorithm

- CKY: given CFG and sentence w
 - Does there exist at least one parse?
 - Enumerate parses (backpointers)
- Weighted CKY: given PCFG and sentence w
 - \Rightarrow Viterbi parse
 $\operatorname{argmax}_y P(y \mid w) = \operatorname{argmax}_y P(y, w)$
- Inside-outside: Likelihood of sentence $P(w)$

- **Parsers' computational efficiency**
 - Grammar constant; pruning & heuristic search
 - $O(N^3)$ for CKY (ok? depends...)
 - $O(N)$ [or so...]: left-to-right incremental algorithms
- **Parsing model accuracy: still lots of ambiguity!!**
 - PCFGs lack lexical information to resolve attachment decisions
 - Vanilla PCFG accuracy: 70-80%

Rules vs. Annotations

```
( (S
  (NP-SBJ (NNP General) (NNP Electric) (NNP Co.) )
  (VP (VBD said)
    (SBAR (-NONE- 0)
      (S
        (NP-SBJ (PRP it) )
        (VP (VBD signed)
          (NP
            (NP (DT a) (NN contract) )
            (PP (-NONE- *ICH*-3) ))
          (PP (IN with)
            (NP
              (NP (DT the) (NNS developers) )
              (PP (IN of)
                (NP (DT the) (NNP Ocean) (NNP State) (NNP Power)
                  (NN project) ))))
            (PP-3 (IN for)
              (NP
                (NP (DT the) (JJ second) (NN phase) )
                (PP (IN of)
                  (NP
                    (NP (DT an) (JJ independent)
                      (ADJP
                        (QP ($ $) (CD 400) (CD million) )
                        (-NONE- *U*) )
                      (NN power) (NN plant) )
                    (, ,)
                    (SBAR
                      (WHNP-2 (WDT which) )
                      (S
                        (NP-SBJ-1 (-NONE- *T*-2) )
                        (VP (VBZ is)
                          (VP (VBG being)
                            (VP (VBN built)
                              (NP (-NONE- *-1) )
                              (PP-LOC (IN in)
                                (NP
                                  (NP (NNP Burrillville) )
                                  (, ,)
                                  (NP (NNP R.I) ))))))))))))))))
```

- In the old days: hand-built grammars. Difficult to scale.
- Annotation-driven sup. learning
 - ~1993: Penn Treebank
 - Construct PCFG (or whatever) with supervised learning
- (Cool open research: unsupervised learning?)

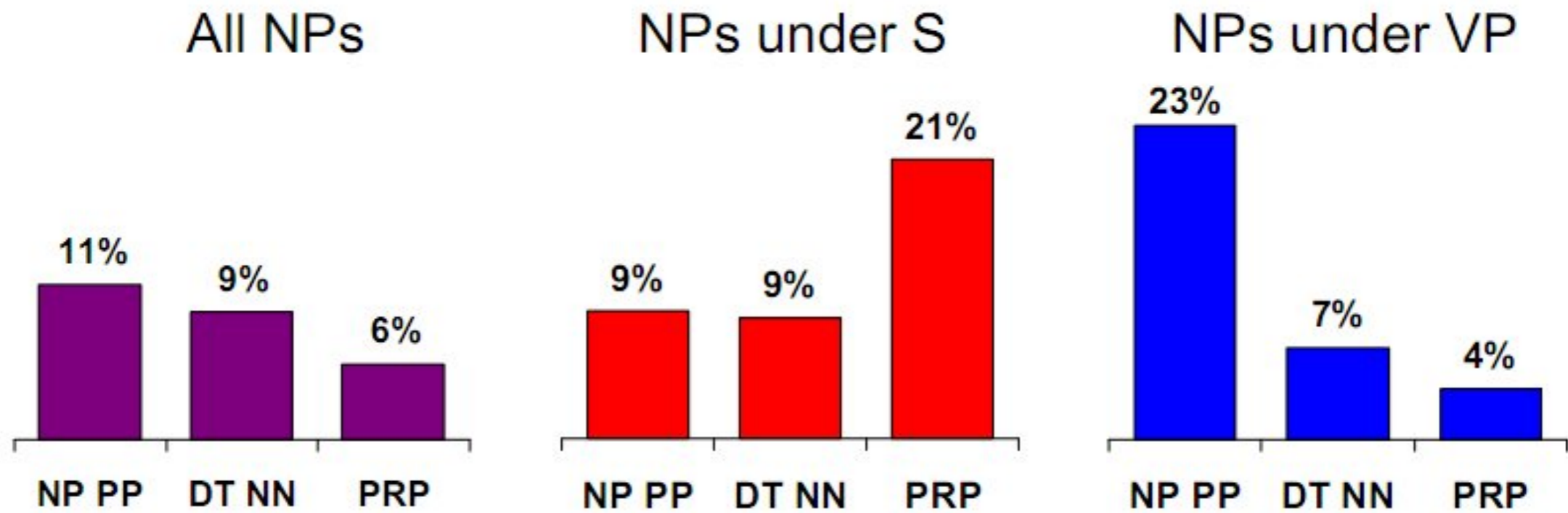
Treebanks

- Penn Treebank (constituents, English)
 - <http://www.cis.upenn.edu/~treebank/home.html>
 - Recent revisions in Ononotes
- Universal Dependencies
 - <http://universaldependencies.org/>
- Prague Treebank (syn+sem)
- many others...
- Know what you're getting!

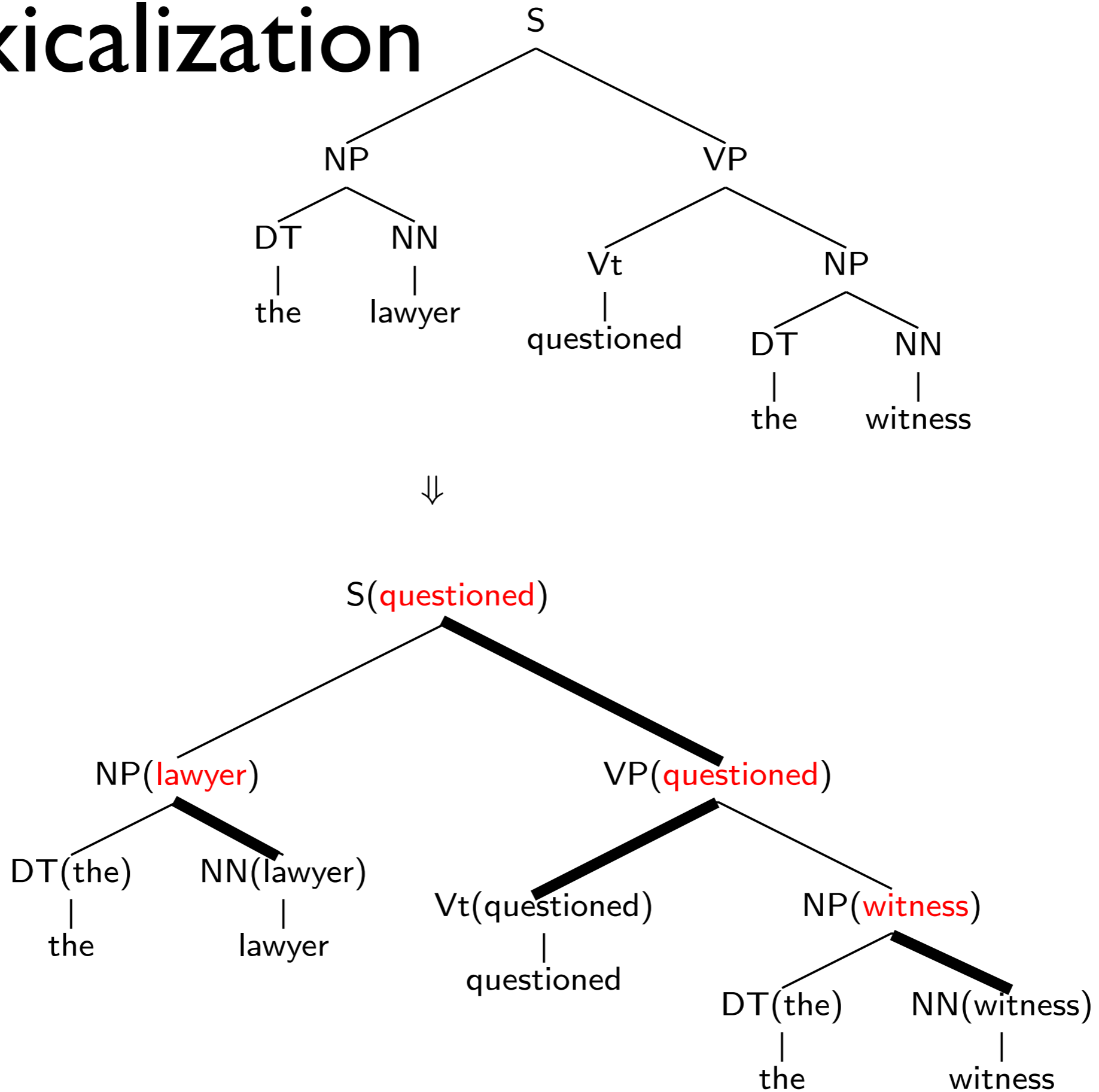
Ambiguities make parsing hard

- 1. Computationally: how to reuse work across combinatorially many trees?
- **2. How to make good attachment decisions?**
 - Enrich PCFG with
 - parent information: what's above me?
 - lexical information via head rules
 - VP[fight]: a VP headed by “fight”
 - (or better, word/phrase embedding-based generalizations: e.g. recurrent neural network grammars (RNNGs))

Parent annotation



Lexicalization



Head rules

- Idea: Every phrase has a head word
- Head rules: for every nonterminal in tree, choose one of its children to be its “head”. This will define head words.
- Every nonterminal type has a different head rule; e.g. from Collins (1997):

- If parent is NP,
 - Search from right-to-left for first child that's NN, NNP, NNPS, NNS, NX, JJR
 - Else: search left-to-right for first child which is NP