

Syntax (I)

CS 685, Spring 2021

Advanced Topics in Natural Language Processing

<http://brenocon.com/cs685>

https://people.cs.umass.edu/~brenocon/cs685_s21/

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$3 + 4 + 4$ $3 + 4$

- Syntax: how do words structurally combine to form sentences and meaning?

● Representations

● Constituents

- [the big dogs] chase cats
- [colorless green clouds] chase cats

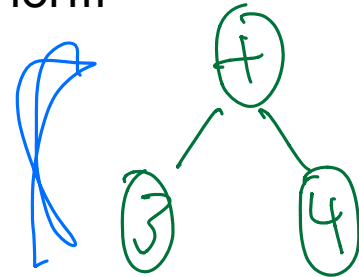
● Dependencies

- The **dog** ← **chased** the cat.
- My **dog**, a big old one, **chased** the cat.

- Idea of a grammar (G): global template for how sentences / utterances / phrases w are formed, via latent syntactic structure y

- Linguistics: what do G and $P(w, y | G)$ look like?
- Generation: score with, or sample from, $P(w, y | G)$
- Parsing: predict $P(y | w, G)$

→ radcoffs!



Bbrps chase cats!

I saw (dogs and cat)
word

anod
→
cat

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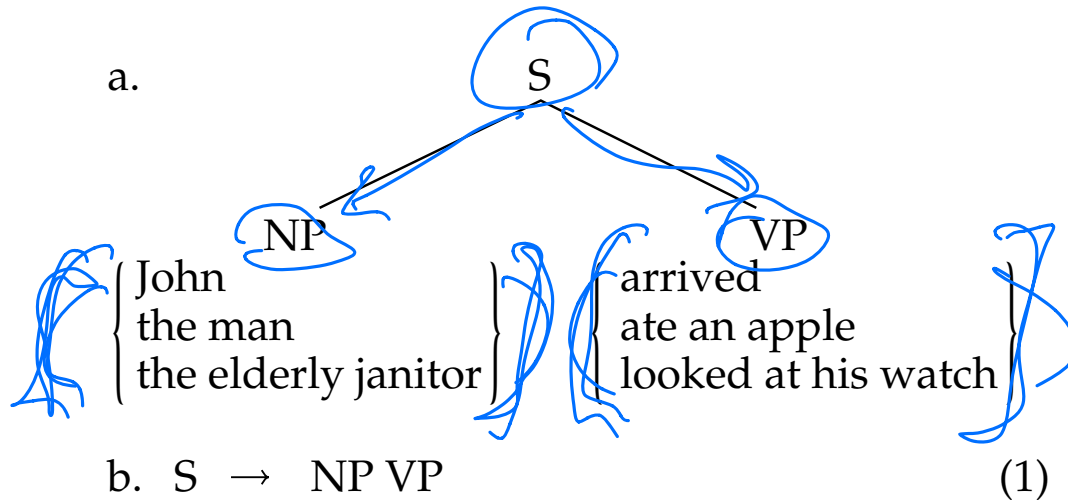
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- Competence vs. Performance?

Hierarchical view of syntax

- “a Sentence made of Noun Phrase followed by a Verb Phrase”



Is language context-free?

- Seems useful to explain e.g. nesting and agreement
- The **processor has** 10 million times fewer transistors on it than today's typical micro-processors, **runs** much more slowly, and **operates** at five times the voltage...

- $S \rightarrow NN VP$
 $VP \rightarrow VP3S \mid VPN3S \mid \dots$
 $VP3S \rightarrow VP3S, VP3S, \text{ and } VP3S \mid VBZ \mid VBZ NP \mid \dots$

- Regular language \Leftrightarrow RegEx \Leftrightarrow paths in finite state machine
- Context-free language \Leftrightarrow CFG \Leftrightarrow derivations in pushdown automaton

- A context-free grammar is a 4-tuple:

- N a set of non-terminals
- Σ a set of terminals (distinct from N)
- R a set of productions, each of the form $A \rightarrow \beta$,
where $A \in N$ and $\beta \in (\Sigma \cup N)^*$
- S a designated start symbol

- Derivation: sequence of rewrite steps from S to a string (sequence of terminals, i.e. words)

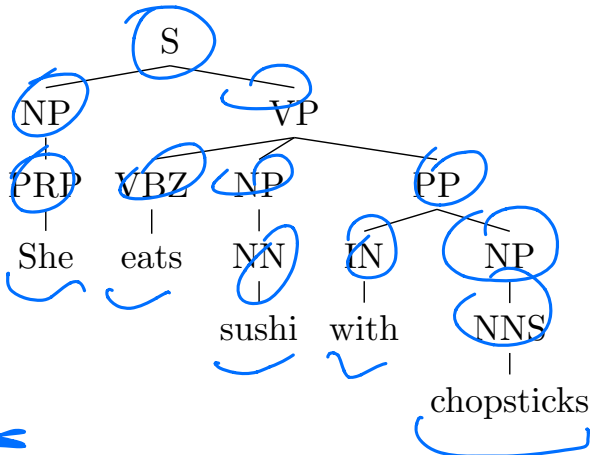
- Yield: the final string

- A CFG is a “boolean language model”

- A probabilistic CFG is a probabilistic language model:

- Every production rule has a probability; defines prob dist. over strings.

Example

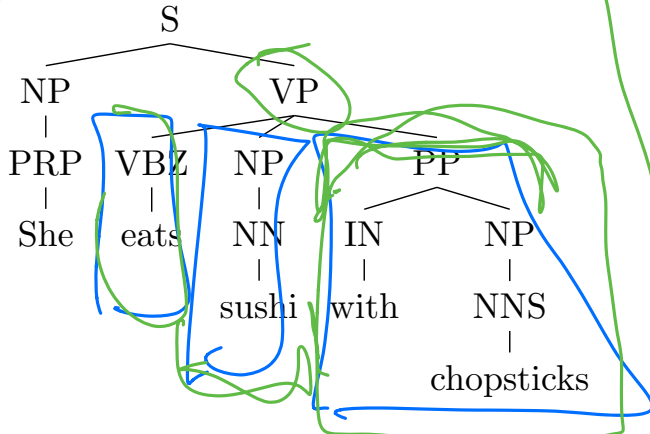


(S(NP(PRPR She))(VP(VBZ eats)
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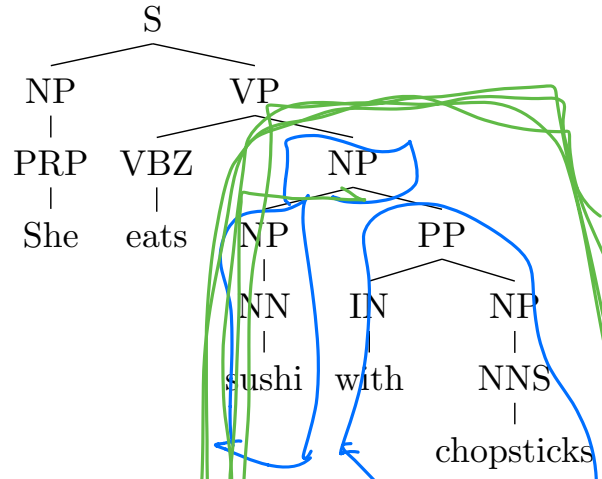
- All useful grammars are *ambiguous*: multiple derivations with same yield
- [Parse tree representations: Nested parens or non-terminal spans]

Example

PP Attachment Ambiguity



$S(NP(PRPR She)(VP(VBZ eats)$
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- [Parse tree representations: Nested parens or non-terminal spans]

Constituents

- Constituent tree/parse is one representation of sentence's syntax. What should be considered a constituent, or constituents of the same category?
 - Substitution tests
 - Pronoun substitution
 - Coordination tests
- Simple grammar of English
 - Must balance *overgeneration* versus *undergeneration*
 - Noun phrases
 - NP modification: adjectives, PPs
 - Verb phrases
 - Coordination
 - etc...
- Machine-learned grammars of English...

- **Ambiguities in syntax**

Attachment ambiguity *we eat sushi with chopsticks, I shot an elephant in my pajamas.*

Modifier scope *southern food store*

Particle versus preposition *The puppy tore up the staircase.*

Complement structure *The tourists objected to the guide that they couldn't hear.*

Coordination scope *"I see," said the blind man, as he picked up the hammer and saw.*

Multiple gap constructions *The chicken is ready to eat*

Parsing with a CFG

- Task: given text and a CFG, answer:
 - Does there exist at least one parse?
 - Enumerate parses (backpointers)
- Cocke-Kasami-Younger algorithm
 - Bottom-up dynamic programming:
Find possible nonterminals for short spans of sentence, then possible combinations for higher spans
 - Requires converting CFG to Chomsky Normal Form
(a.k.a. binarization): always one or two RHS terms

CKY

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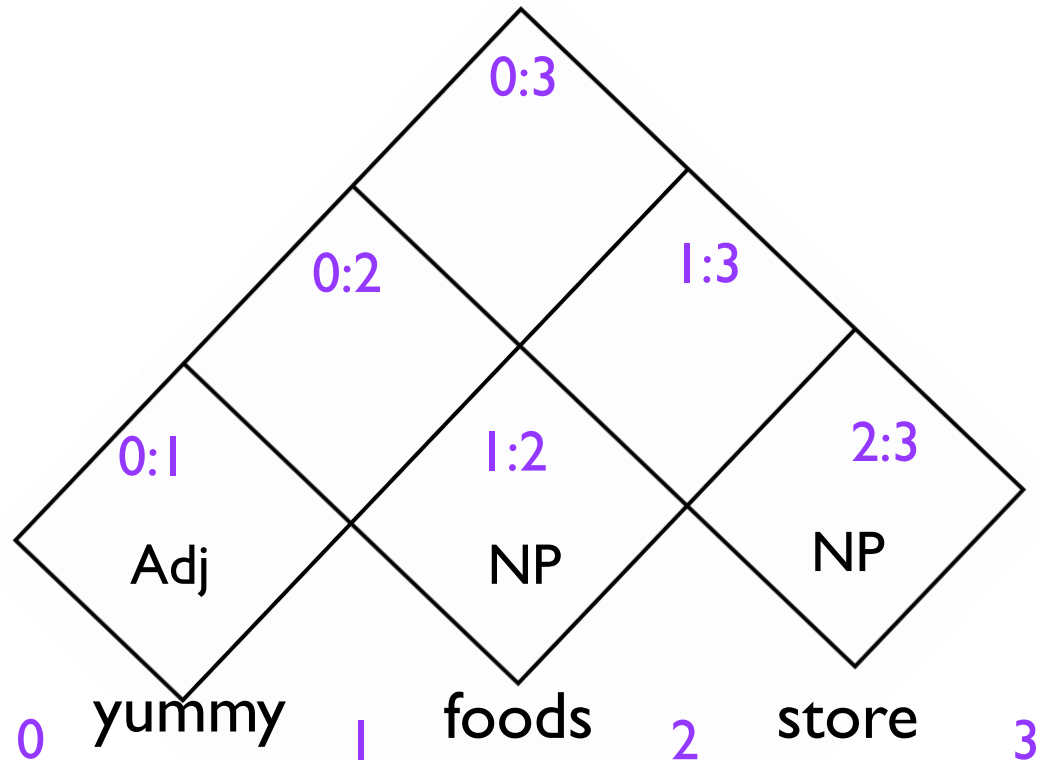
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NP \rightarrow foods

NP \rightarrow store

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NP \rightarrow Adj NP



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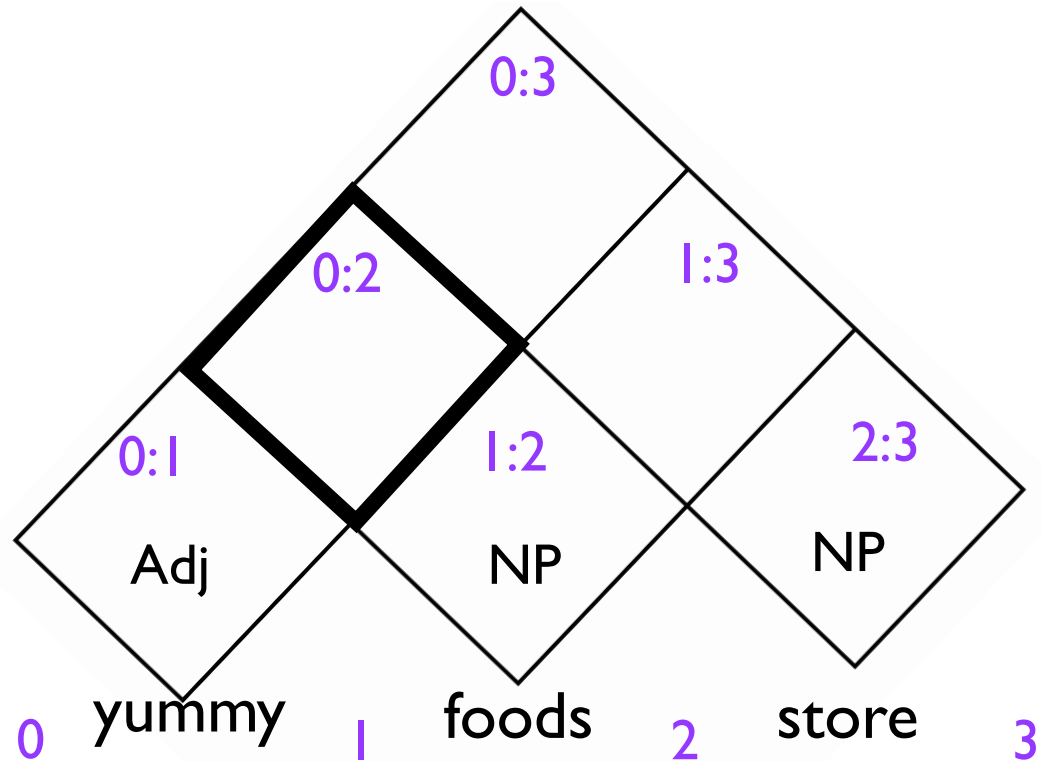
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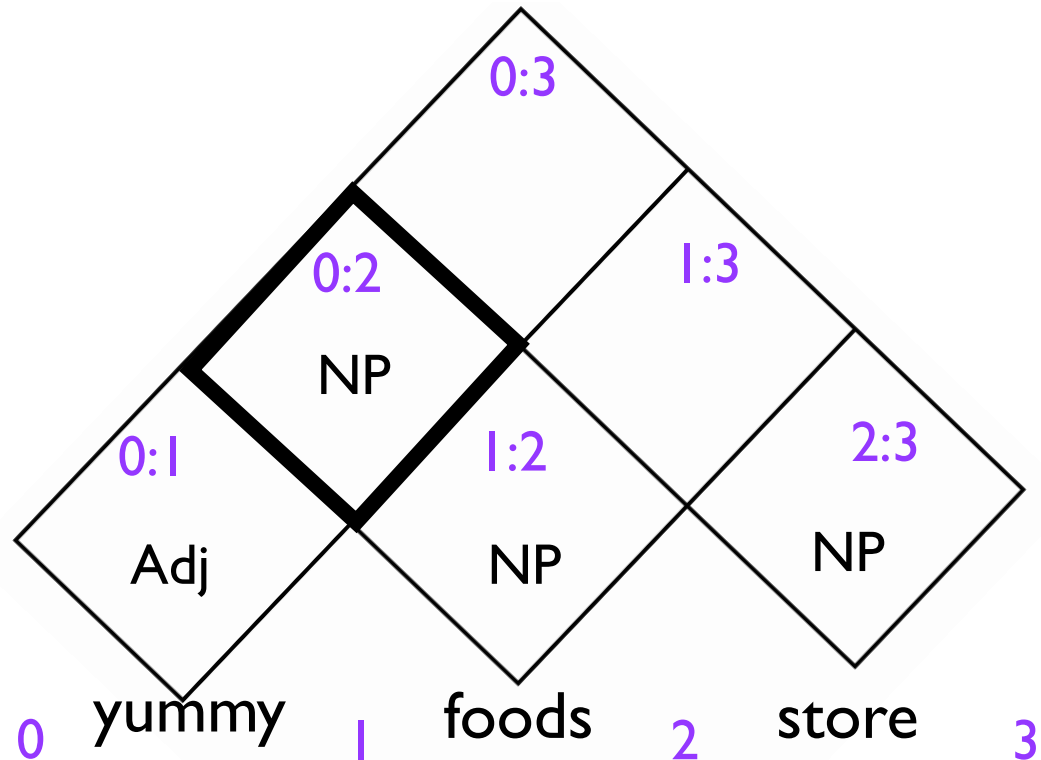
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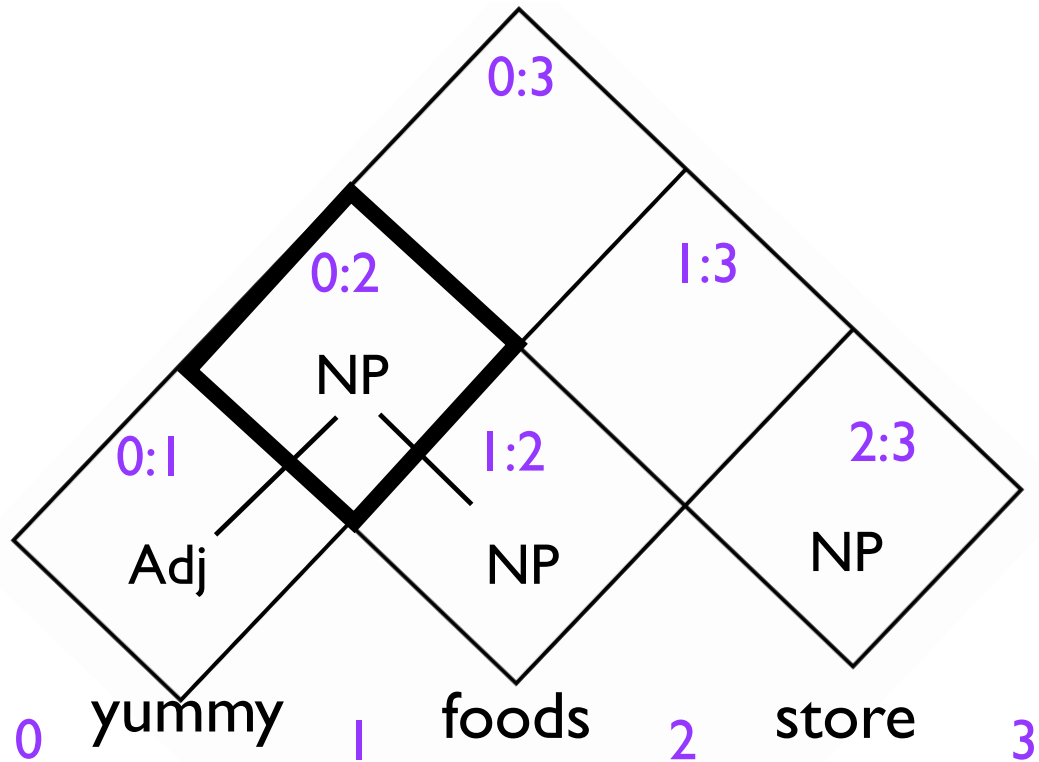
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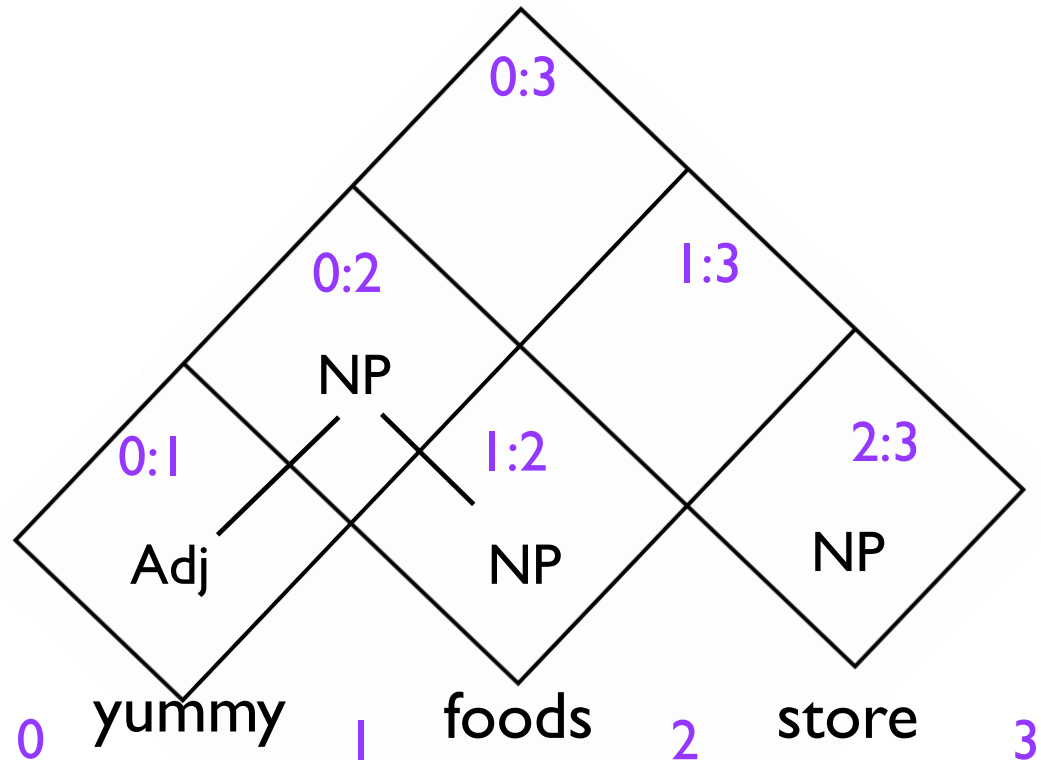
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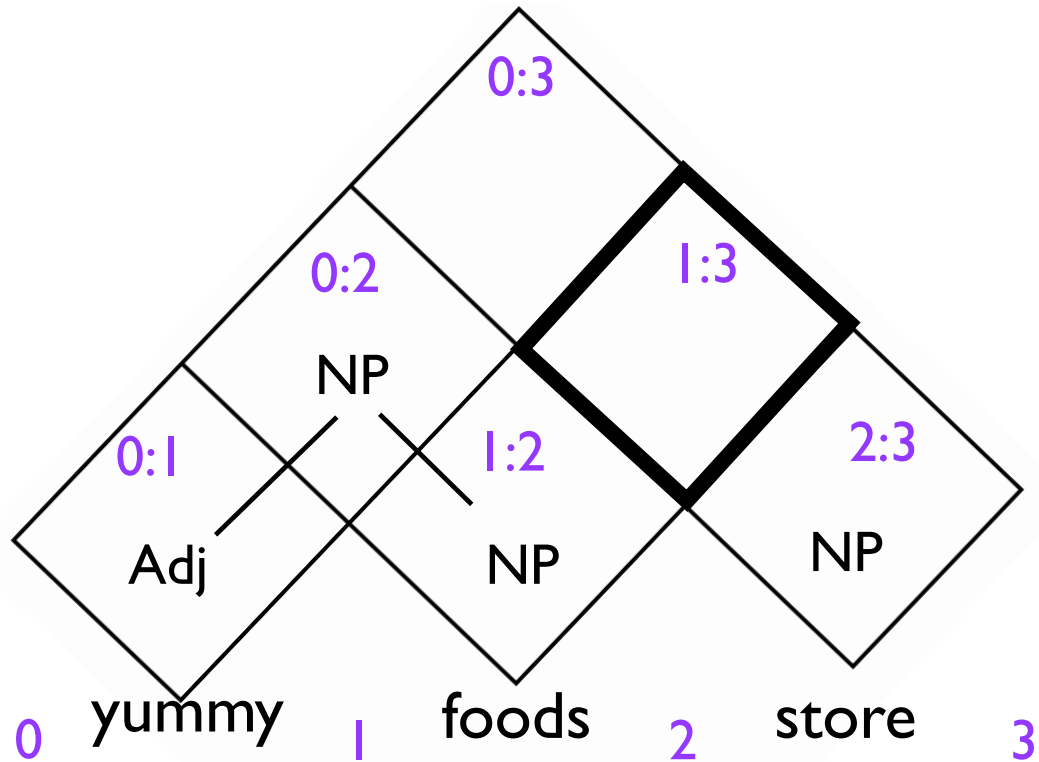
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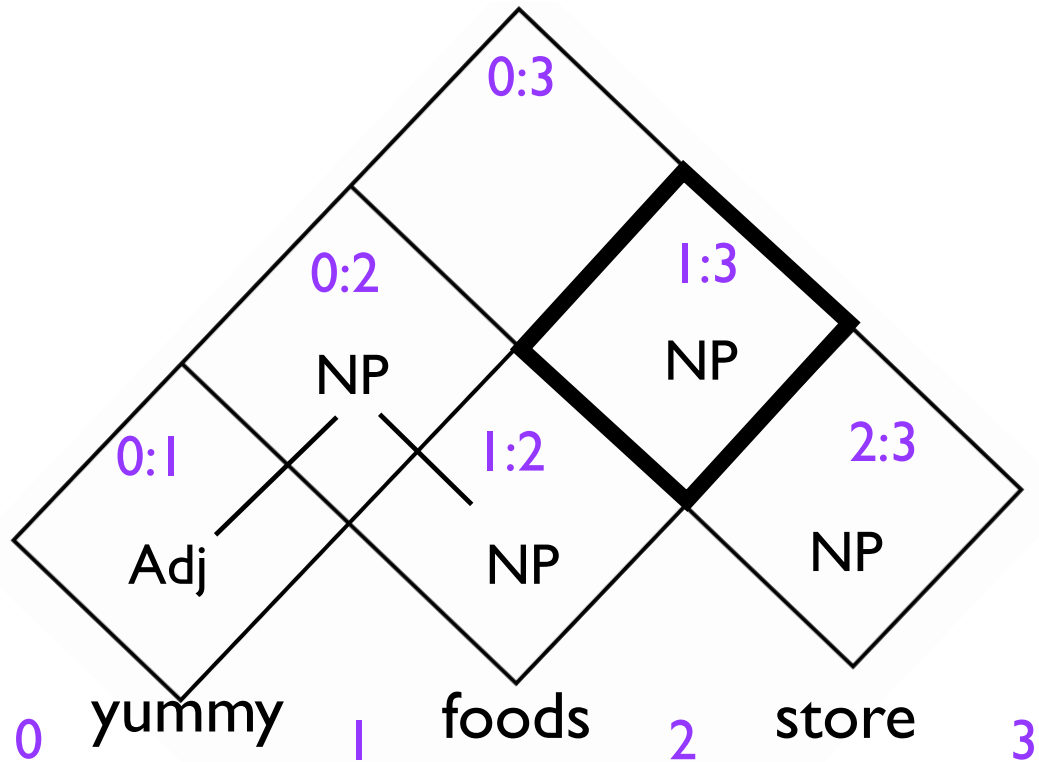
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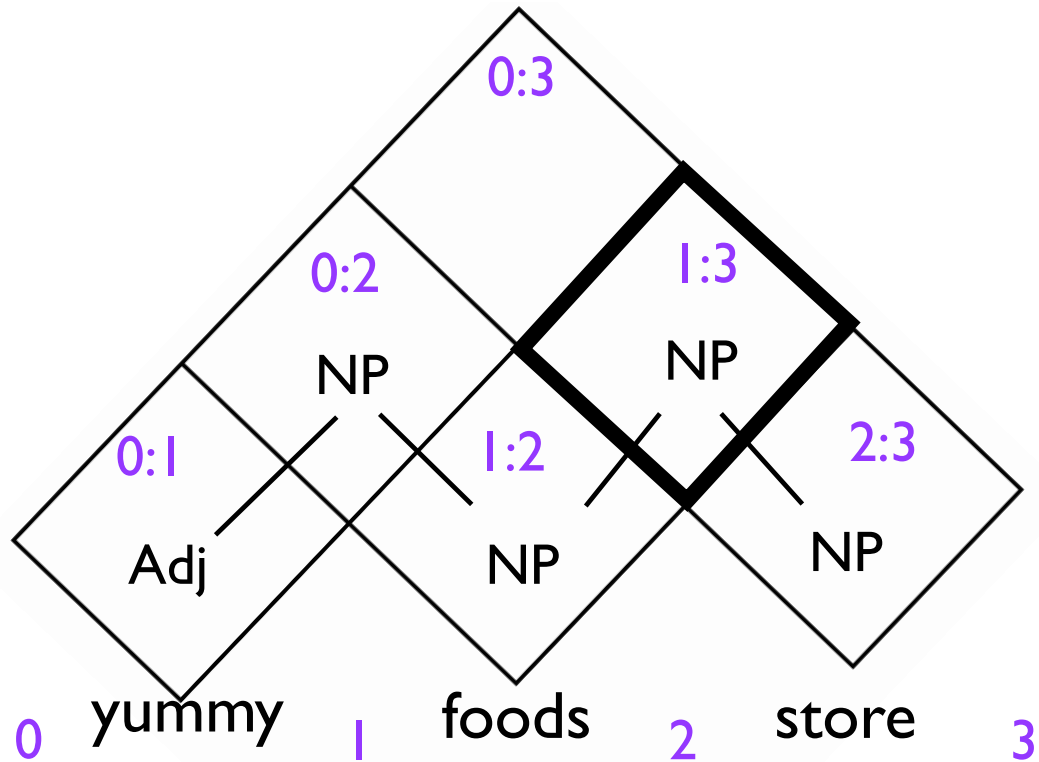
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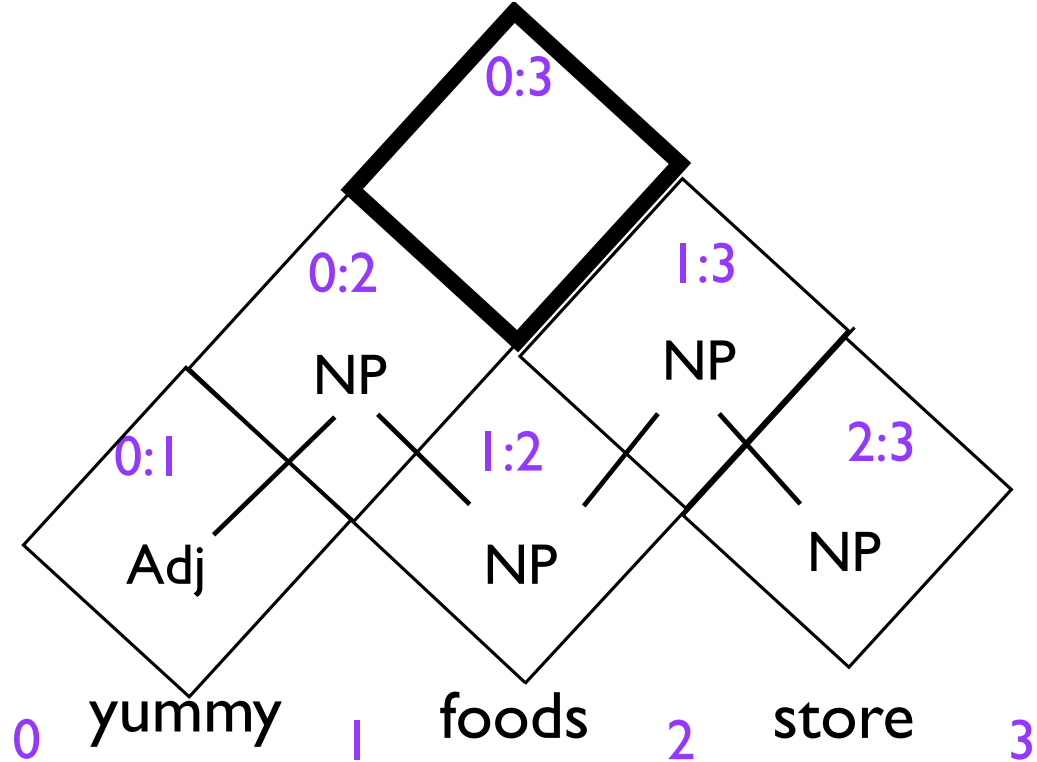
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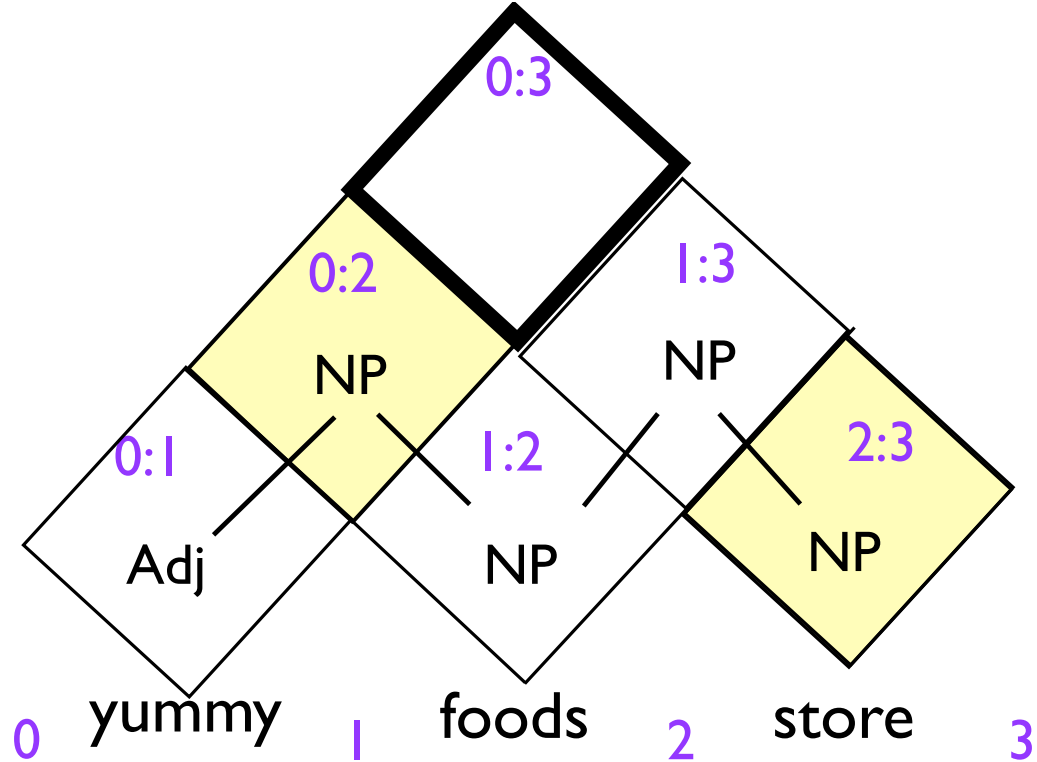
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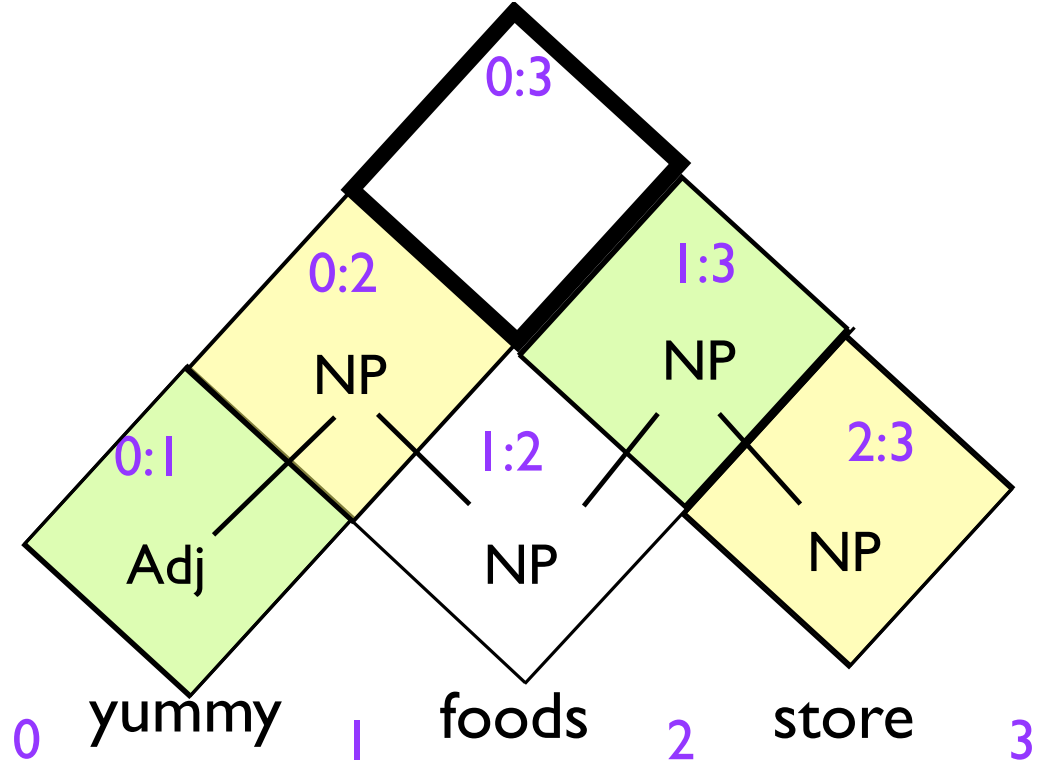
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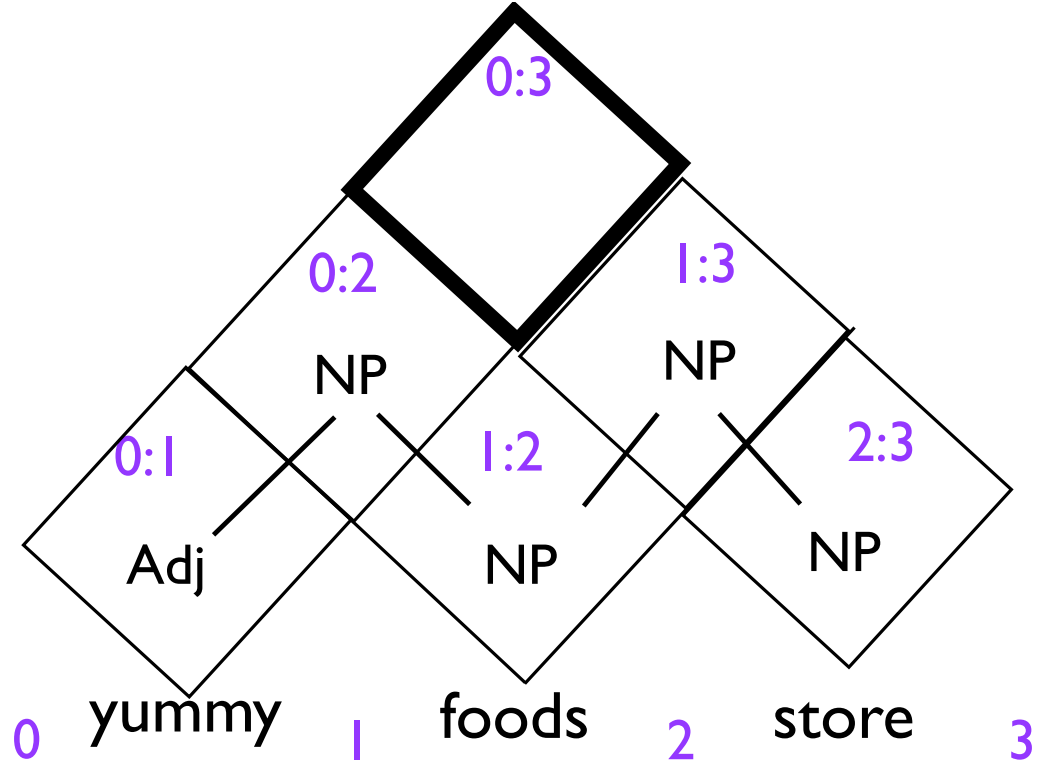
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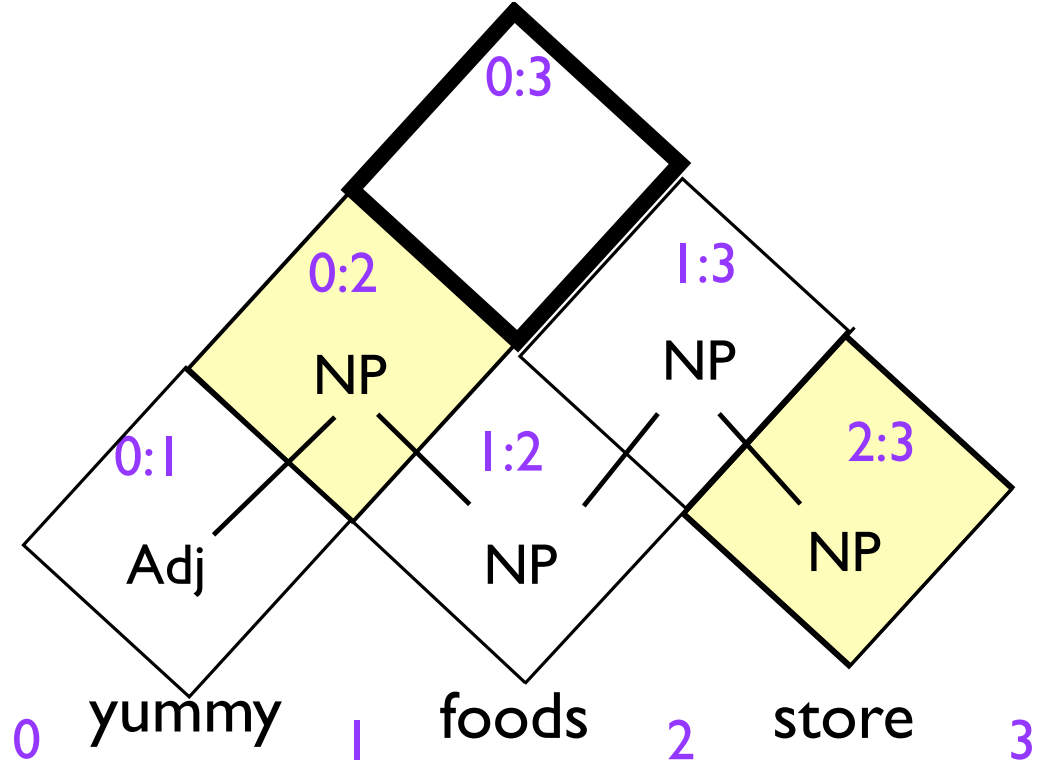
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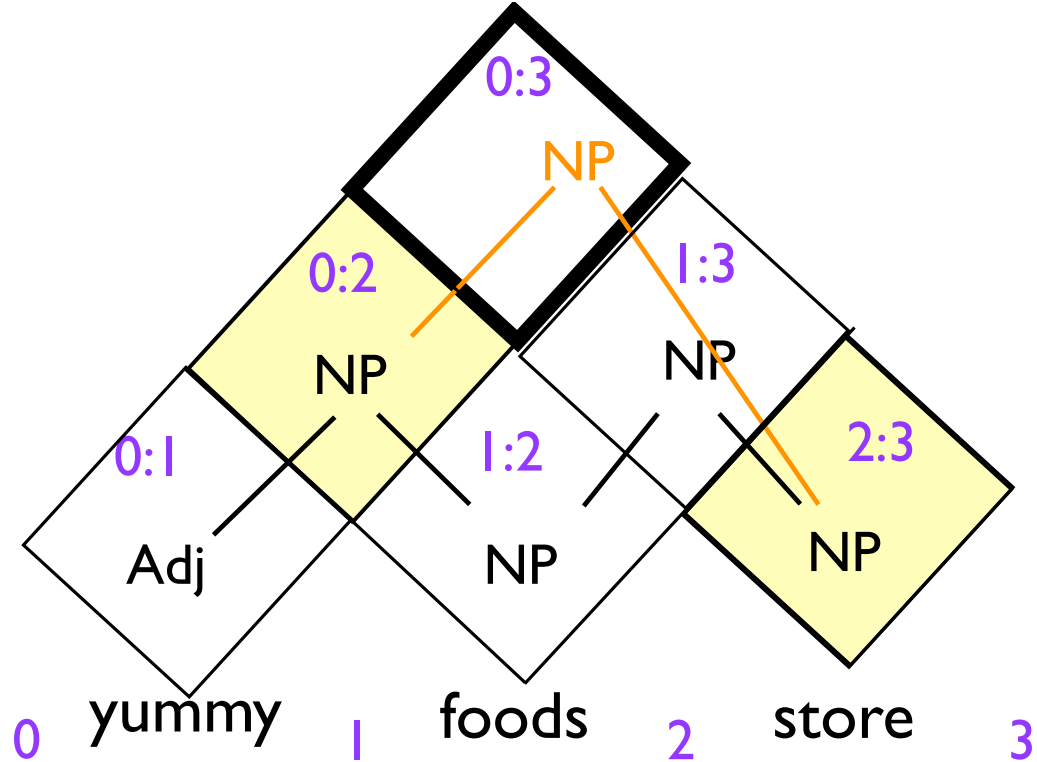
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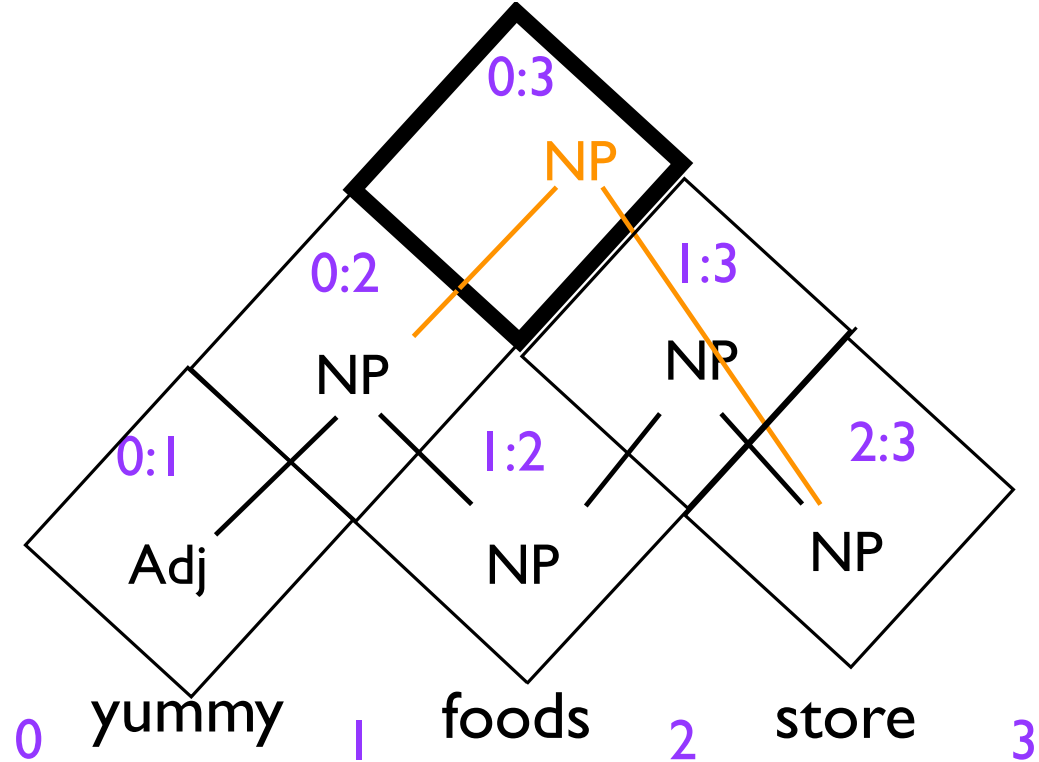
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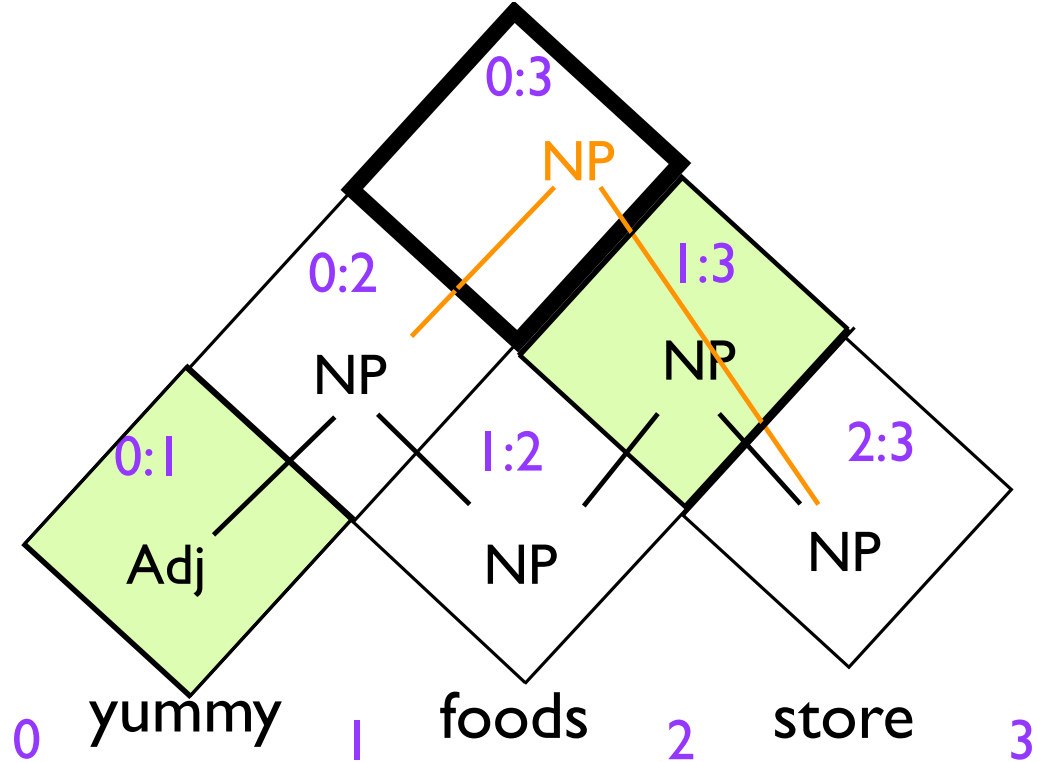
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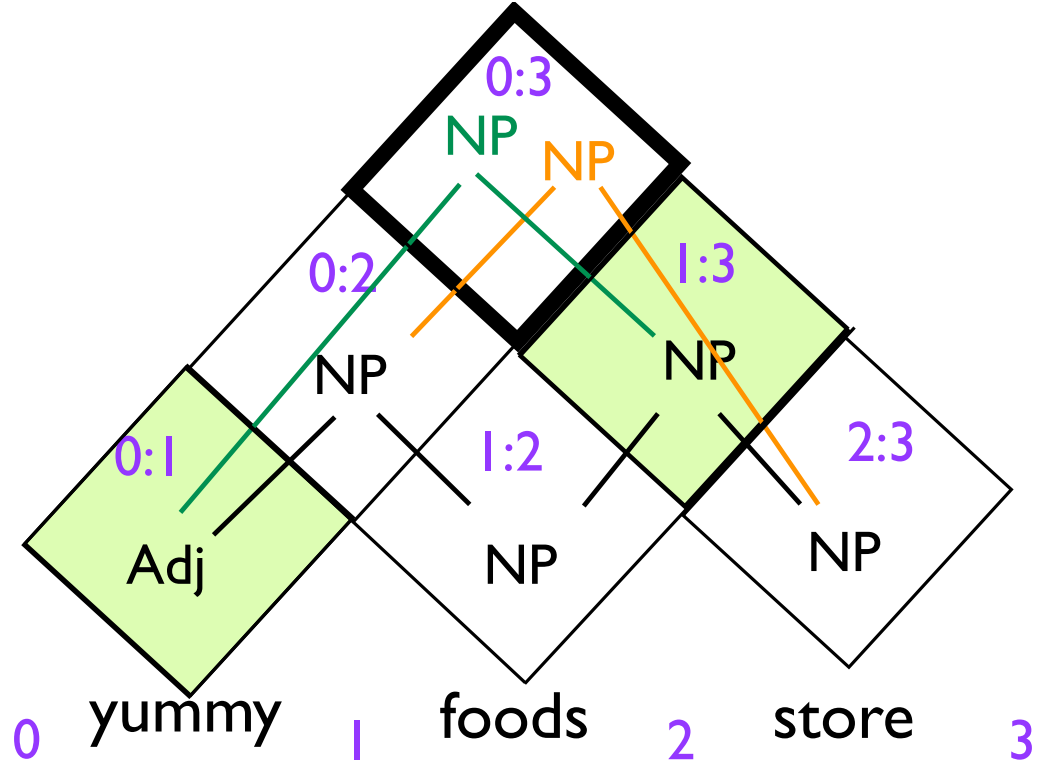
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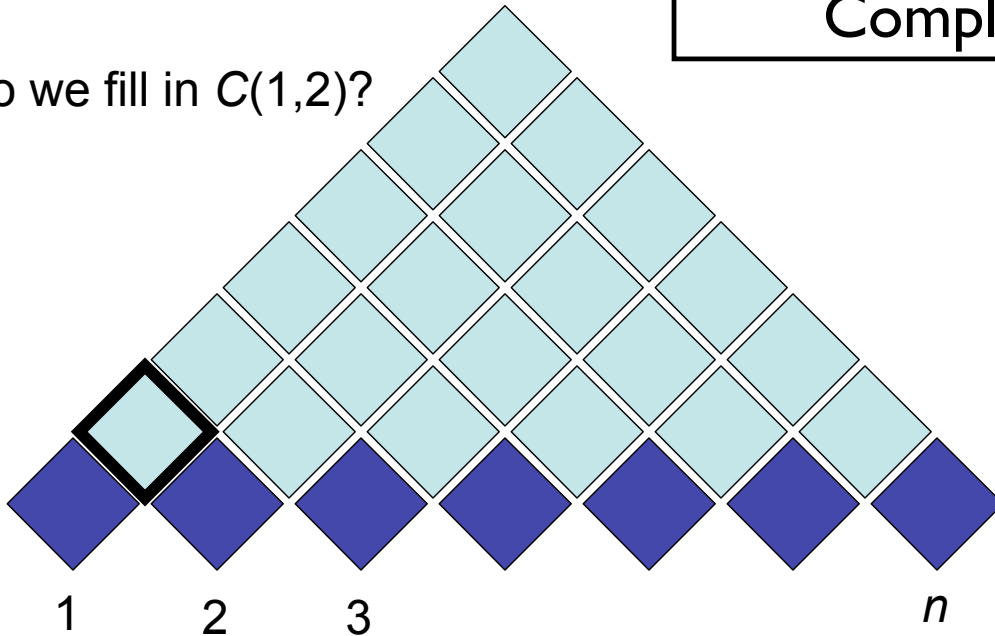
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Complexity ?

How do we fill in $C(1,2)$?

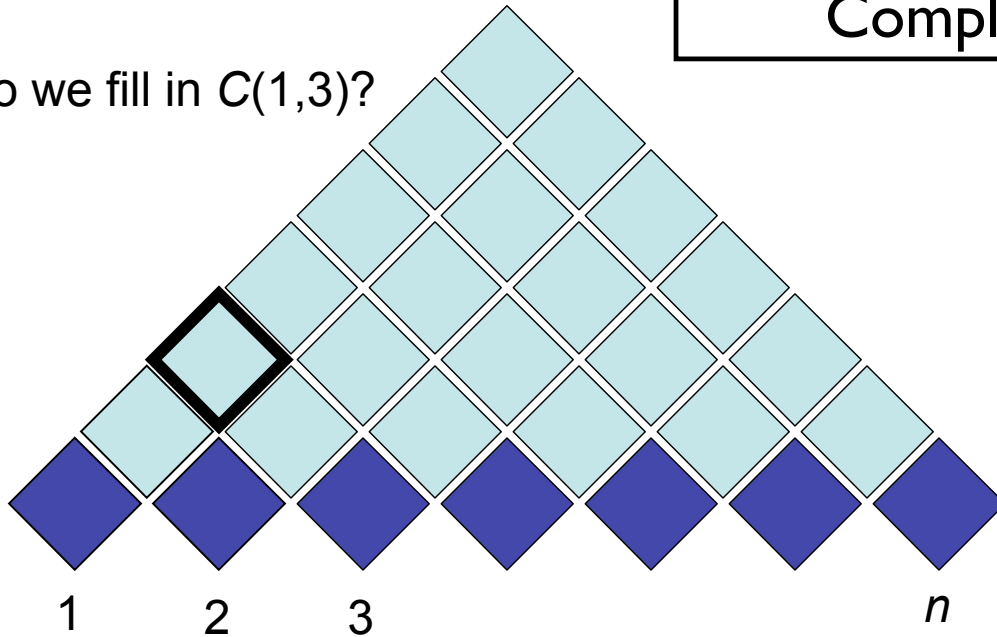


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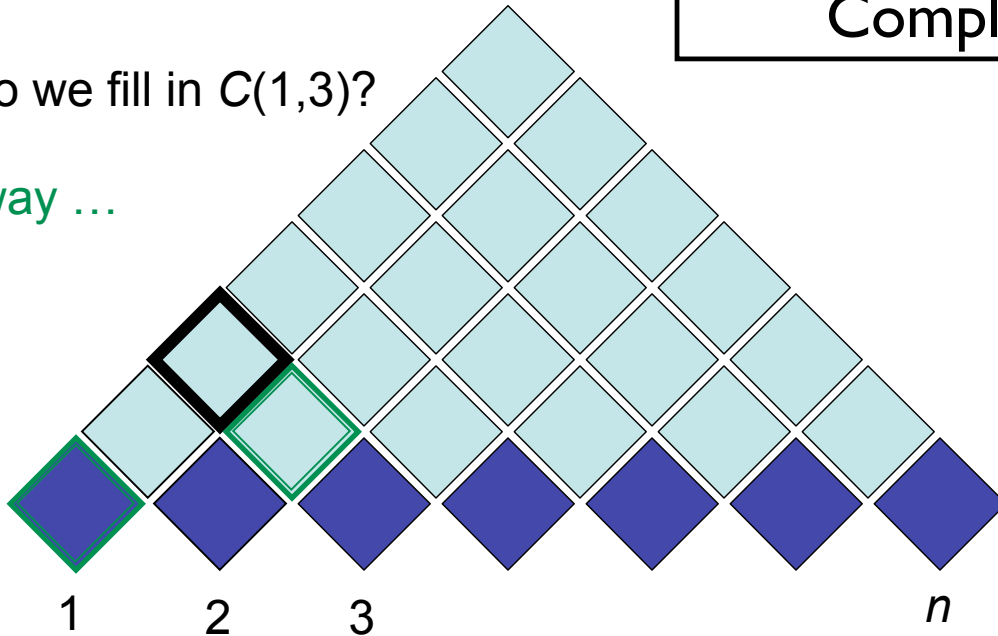
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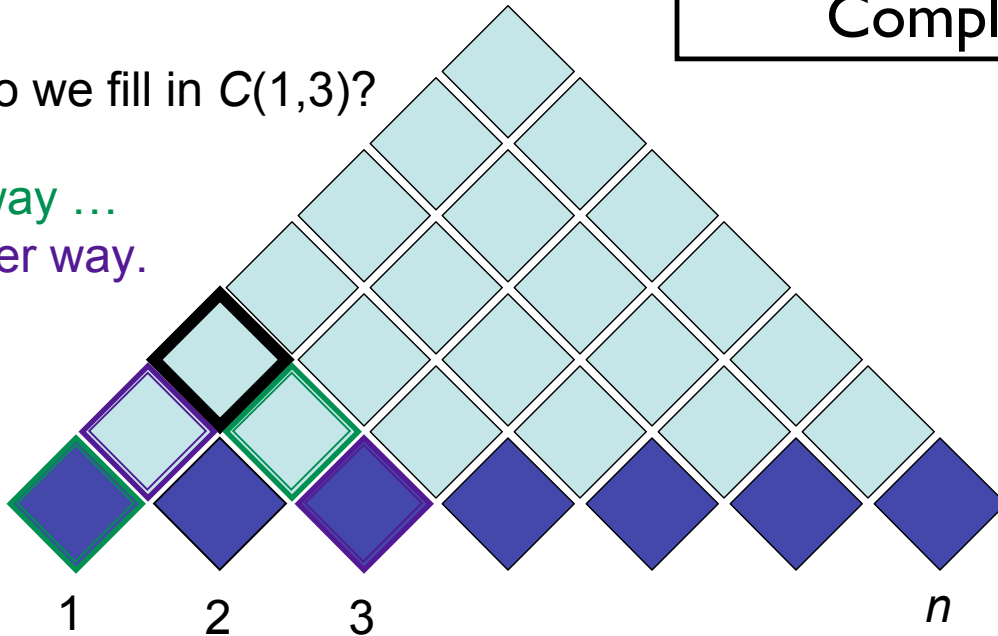
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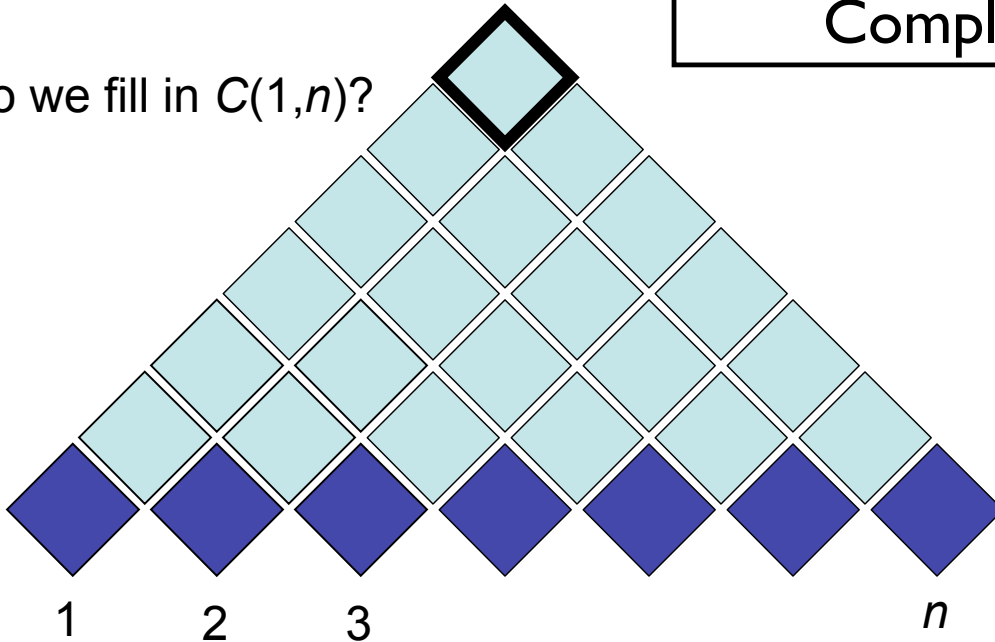


[Example from Noah Smith]

For cell $[i,j]$
For possible splitpoint $k=(i+1)..(j-1)$:
For every B in $[i,k]$ and C in $[k,j]$,
If exists rule $A \rightarrow B C$,
add A to cell $[i,j]$

Computational
Complexity ?

How do we fill in $C(1,n)$?



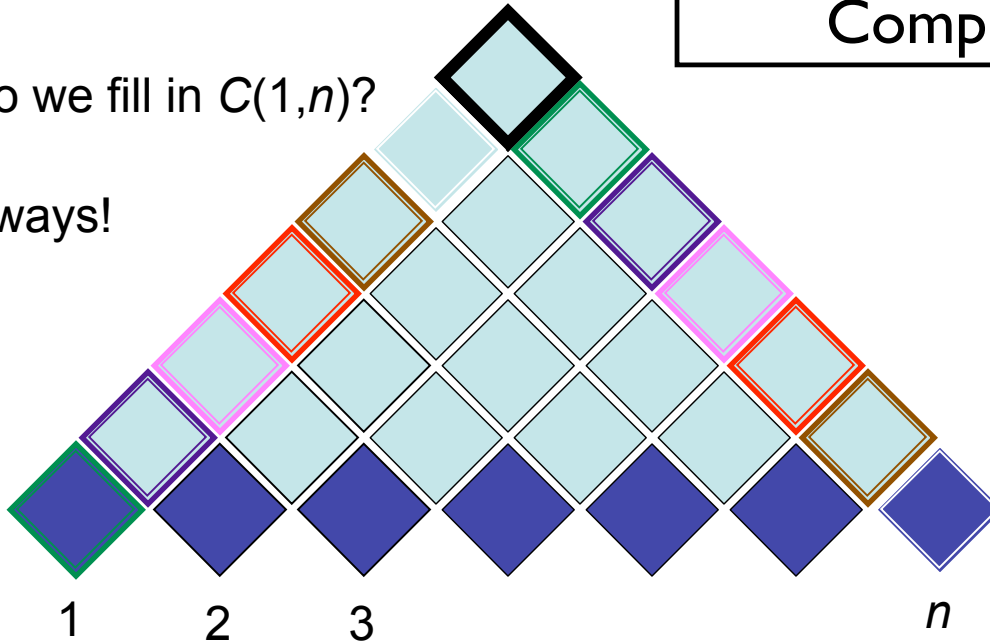
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Computational
Complexity ?

How do we fill in $C(1,n)$?

$n - 1$ ways!



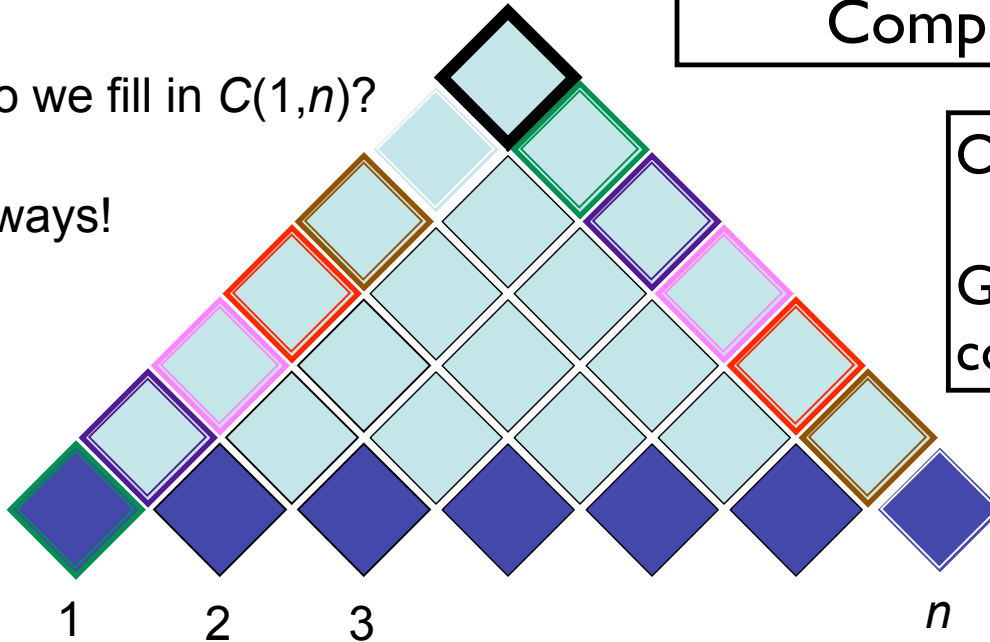
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Computational
Complexity ?

How do we fill in $C(1,n)$?

$n - 1$ ways!



$O(G n^3)$
 $G =$ grammar
constant

[Example from Noah Smith]

Probabilistic CFGs

$S \rightarrow NP VP$	[.80]	$Det \rightarrow that$ [.10] a [.30] the [.60]
$S \rightarrow Aux NP VP$	[.15]	$Noun \rightarrow book$ [.10] $flight$ [.30]
$S \rightarrow VP$	[.05]	$meal$ [.15] $money$ [.05]
$NP \rightarrow Pronoun$	[.35]	$flights$ [.40] $dinner$ [.10]
$NP \rightarrow Proper-Noun$	[.30]	$Verb \rightarrow book$ [.30] $include$ [.30]
$NP \rightarrow Det Nominal$	[.20]	$prefer$; [.40]
$NP \rightarrow Nominal$	[.15]	$Pronoun \rightarrow I$ [.40] she [.05]
$Nominal \rightarrow Noun$	[.75]	me [.15] you [.40]
$Nominal \rightarrow Nominal Noun$	[.20]	$Proper-Noun \rightarrow Houston$ [.60]
$Nominal \rightarrow Nominal PP$	[.05]	TWA [.40]
$VP \rightarrow Verb$	[.35]	$Aux \rightarrow does$ [.60] can [.40]
$VP \rightarrow Verb NP$	[.20]	$Preposition \rightarrow from$ [.30] to [.30]
$VP \rightarrow Verb NP PP$	[.10]	on [.20] $near$ [.15]
$VP \rightarrow Verb PP$	[.15]	$through$ [.05]
$VP \rightarrow Verb NP NP$	[.05]	
$VP \rightarrow VP PP$	[.15]	
$PP \rightarrow Preposition NP$	[1.0]	

- Defines a probabilistic generative process for words in a sentence
- Extension of HMMs, strictly speaking
- (How to learn? Fully supervised with a treebank... EM for unsup...)

Penn Treebank

```

( (S
  (NP-SBJ (NNP General) (NNP Electric) (NNP Co.) )
  (VP (VBD said)
    (SBAR (-NONE- 0)
      (S
        (NP-SBJ (PRP it) )
        (VP (VBD signed)
          (NP
            (NP (DT a) (NN contract) )
            (PP (-NONE- *ICH*-3) ))
          (PP (IN with)
            (NP
              (NP (DT the) (NNS developers) )
              (PP (IN of)
                (NP (DT the) (NNP Ocean) (NNP State) (NNP Power) (NN project) ))))
            (PP-3 (IN for)
              (NP
                (NP (DT the) (JJ second) (NN phase) )
                (PP (IN of)
                  (NP
                    (NP (DT an) (JJ independent)
                      (ADJP
                        (QP ($ $) (CD 400) (CD million) )
                        (-NONE- *U*) )
                      (NN power) (NN plant) )
                    (, ,)
                    (SBAR
                      (WHNP-2 (WDT which) )
                      (S
                        (NP-SBJ-1 (-NONE- *T*-2) )
                        (VP (VBZ is)
                          (VP (VBG being)
                            (VP (VBN built)
                              (NP (-NONE- *-1) )
                              (PP-LOC (IN in)
                                (NP
                                  (NP (NNP Burrillville) )
                                  (, ,)
                                  (NP (NNP R.I) ))))))))))))))))

```


(P)CFG model, (P)CKY algorithm

- CKY: given CFG and sentence w
 - Does there exist at least one parse?
 - Enumerate parses (backpointers)
- Probabilistic/Weighted CKY: given PCFG and sentence w
 - Likelihood of sentence $P(w)$
 - Most probable parse (“Viterbi parse”)
 $\operatorname{argmax}_y P(y | w) = \operatorname{argmax}_y P(y, w)$
 - Non-terminal span marginals (Inside-outside algorithm)
- Discriminative Tree-CRF parsing:
 $\operatorname{argmax}_y P(y | w)$

- Parsing model accuracy: lots of ambiguity!!
 - PCFGs lack lexical information to resolve ambiguities (sneak in world knowledge?)
 - Need to add word embeddings or other lexical information to enrich phrase representations
- Parsers' computational efficiency
 - Grammar constant; pruning & heuristic search
 - $O(N^3)$ for CKY (ok? sometimes...)
 - $O(N)$ left-to-right incremental algorithms
- Evaluate: precision and recall of labeled spans
- Treebank data

Better PCFG grammars

- Lexicalization: encode semantic preferences

Non-terminal	Direction	Priority
S	right	VP SBAR ADJP UCP NP
VP	left	VBD VBN MD VBZ TO VB VP VBG VBP ADJP NP
NP	right	N* EX \$ CD QP PRP ...
PP	left	IN TO FW

Table 11.3: A fragment of head percolation rules

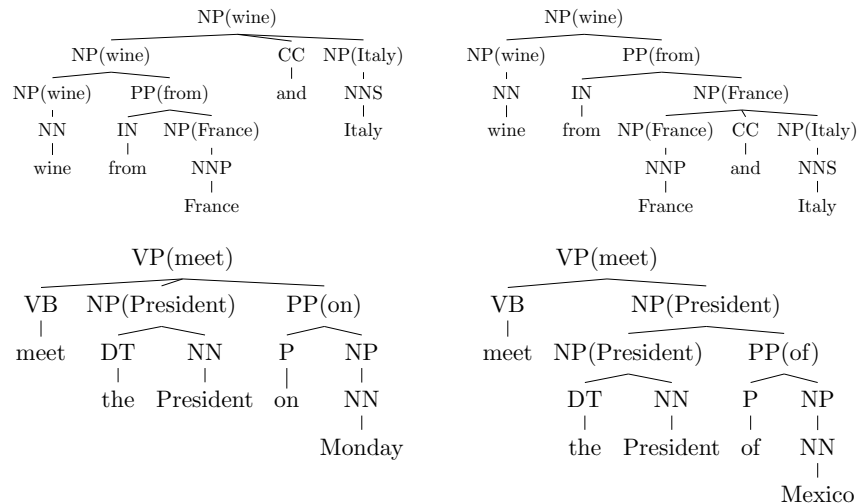


Figure 11.9: Lexicalization can address ambiguity on coordination scope (upper) and PP attachment (lower)

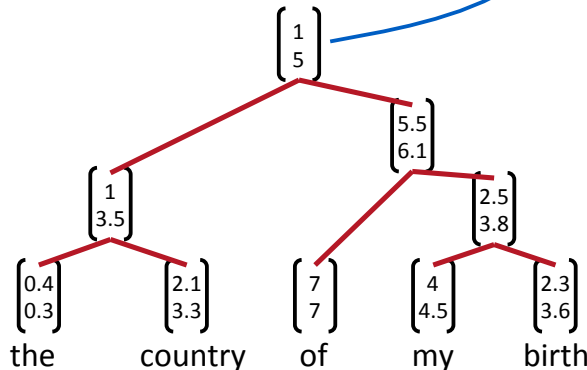
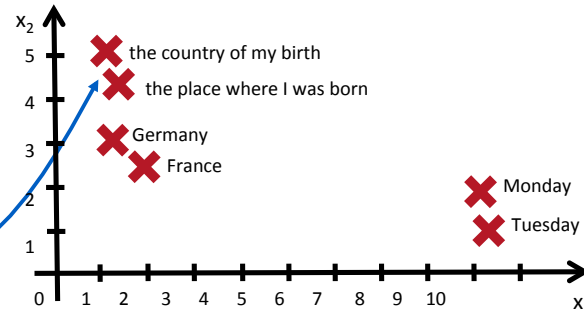
Reranking

- (CRF/Neural/etc.) CFGs are fast, but only use local info
- Whole-structure scoring (features, tree RNNs, etc.) is slow, but can use global info
- Solution: **Reranking**
 - CKY/Viterbi to infer top-K parses from fast CFG model
 - Score each one with NN/features for K-way multiclass problem
 - or use a ranking loss, etc.

Reranking: TreeRNN

[Socher et al. (2013)]

Use principle of compositionality
 The meaning (vector) of a sentence is determined by
 (1) the meanings of its words and
 (2) the rules that combine them.



$$\mathbf{u}_{i,j} = f \left(\Theta_{X \rightarrow Y} Z \begin{bmatrix} \mathbf{u}_{i,k} \\ \mathbf{u}_{k,j} \end{bmatrix} \right)$$

(Can also be used for classification or other tasks, not just parsing itself)

- stopped here 3/9

Model performance

Vanilla PCFG	72%
Parent-annotations (Johnson, 1998)	80%
Lexicalized (Charniak, 1997)	86%
Lexicalized (Collins, 2003)	87%
Lexicalized, reranking, self-training (McClosky et al., 2006)	92.1%
State splitting (Petrov and Klein, 2007)	90.1%
CRF Parsing (Finkel et al., 2008)	89%
TAG Perceptron Parsing (Carreras et al., 2008)	91.1%
Compositional Vector Grammars (Socher et al., 2013a)	90.4%
Neural CRF (Durrett and Klein, 2015)	91.1%

Table 11.7: Penn Treebank parsing scoreboard, circa 2015 (Durrett and Klein, 2015)

Treebanks

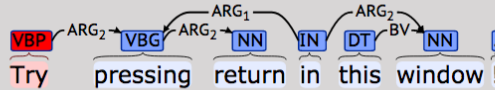
- Penn Treebank (constituents, English)
 - <http://www.cis.upenn.edu/~treebank/home.html>
 - Recent revisions in Ononotes
- Universal Dependencies
 - <http://universaldependencies.org/>
- Prague Treebank (syn+sem)
- many others...
- Know what you're getting!

More sophisticated formalisms

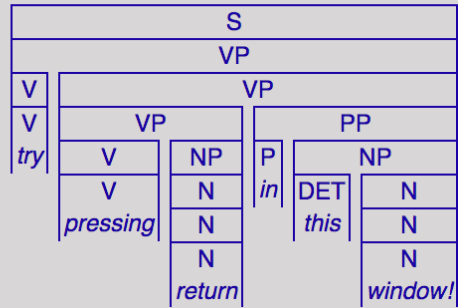
- Beyond CFGs (“Mildly context-sensitive”)
 - e.g. Combinatory Categorical Grammar, Tree Adjoining Grammar, unification grammars ...
 - Extend CFGs to incorporate features to enforce grammatical constraints, or lay the groundwork for meaning interpretation
- English Resource Grammar: a hand-engineered grammar+parser
 - <http://erg.delph-in.net/logon>
 - Head-driven Phrase Structure Grammar (HPSG)
 - Parse forest -- from a CKY-like chart
 - Dependencies integrated with constituents
(Next time: dep parsing as its own task)
- ML-based parsers are SOTA: coverage and resolving ambiguities

ERG

Try pressing return in this window!



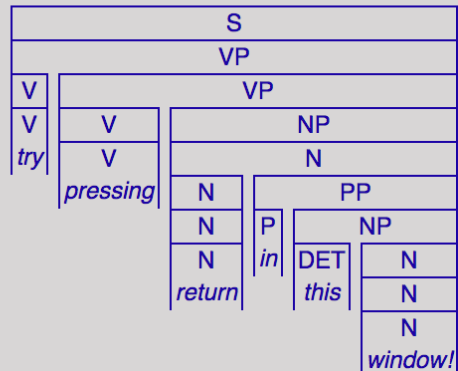
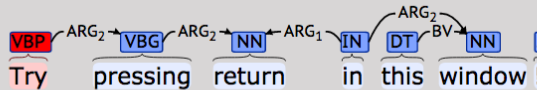
#0



e3:

_1:pronoun_q<0:35>[BV x6]
 x6:pron<0:35>[]
 e3:_try_v_1<0:3>[ARG1 x6, ARG2 e11]
 e11:_press_v_1<4:12>[ARG1 x6, ARG2 x12]
 _2:udef_q<13:19>[BV x12]
 x12:_return_n_of<13:19>[]
 e18:_in_p<20:22>[ARG1 e11, ARG2 x19]
 _3:_this_q_dem<23:27>[BV x19]
 x19:_window_n_1<28:35>[]

#1



e3:

_1:pronoun_q<0:35>[BV x6]
 x6:pron<0:35>[]
 e3:_try_v_1<0:3>[ARG1 x6, ARG2 e11]
 e11:_press_v_1<4:12>[ARG1 x6, ARG2 x12]
 _2:udef_q<13:35>[BV x12]
 x12:_return_n_of<13:19>[]
 e18:_in_p<20:22>[ARG1 x12, ARG2 x19]
 _3:_this_q_dem<23:27>[BV x19]
 x19:_window_n_1<28:35>[]