

$\vec{x} = \begin{pmatrix} 3 \\ 2 \end{pmatrix}$

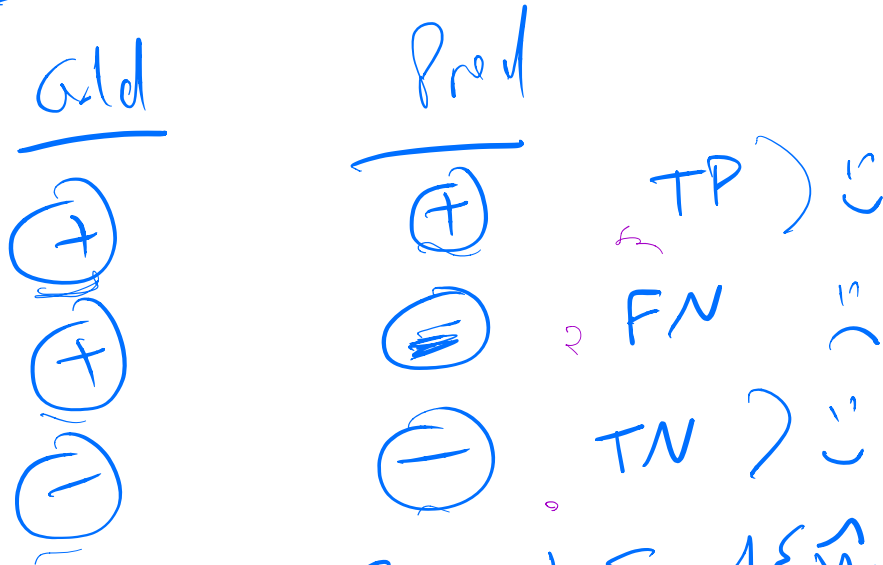
$\vec{\beta} = (-0.5, 2)$

$Z = \vec{\beta}^T \vec{x} = -0.5 \times 3 + 2 \times 2$

$= -1.5 + 4 = 2.5$

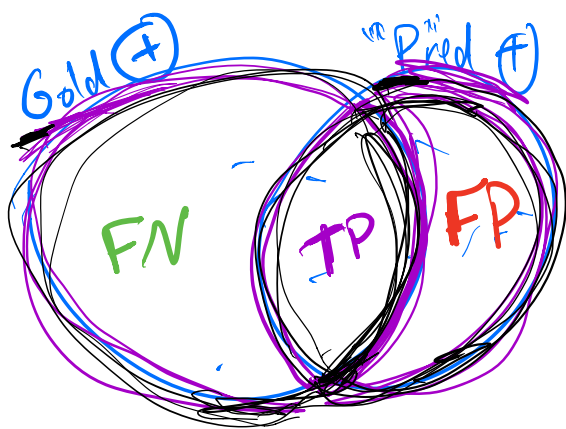
$P(y=1|x) = \frac{1}{1 + e^{-z}} = \frac{1}{1 + e^{-2.5}} = 0.924$

Eval Metrics



$$Acc = \frac{2}{3} = \frac{1}{N} \sum_i \mathbb{1}\{\hat{y}_i = y_i\}$$

Prec, Rec, F1 for one class



	Pred	
	+	-
Gold	TP	FN
	FP	

$$Prec = \frac{|G \cap P|}{|P|} = \frac{TP}{TP + FP}$$

$$Rec = \frac{|G \cap P|}{|G|} = \frac{TP}{TP + FN}$$

F-Score (F1 score)

Harmonic Mean of P+R

$$F = \frac{2PR}{P+R} = \frac{2}{\frac{1}{P} + \frac{1}{R}} = \frac{1}{\frac{1}{2} \frac{1}{P} + \frac{1}{2} \frac{1}{R}}$$

Multi-class! See J+M 4.7.1

Macro avg: calc P, R, ~~etc~~ for each class
(Balanced) then avg across classes

Cares about rare classes

	A	B	C	Macro Avg
Pre	81	23	74	59
Rec				

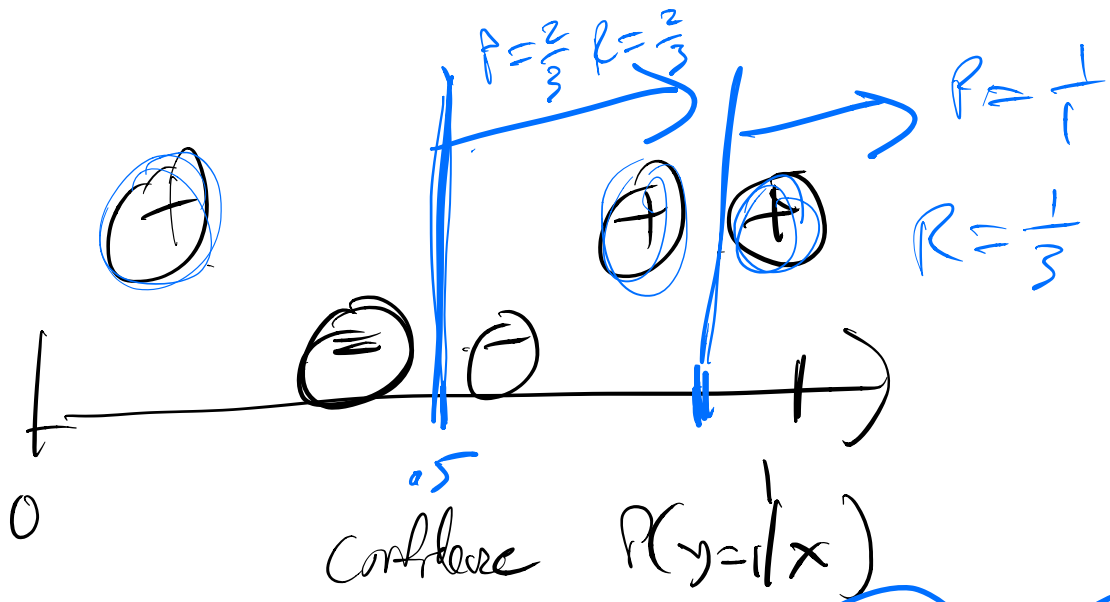
Micro avg: calc TP, FP, FN counts per class

$$\text{sum them: } TP_{\text{all}} = TP_A + TP_B + TP_C$$

$$FP_{\text{all}} = \underline{\hspace{2cm}}$$

$$FN_{\text{all}} = \underline{\hspace{2cm}}$$

⇒ Prec, Rec from global counts



3.5

$$\vec{x} = (1, 4, 0)$$

$$\vec{\beta} = (0.5, 0.25, 1)$$

$$z = \beta^T x = 0.5 + 1 + 0 = 1.5$$

$$P(y=1|x) = \frac{1}{1 + e^{-1.5}} = 0.818$$

$$1 / (1 + \exp(-1.5))$$

$$g(x) = \frac{1}{1+e^{-x}} = \frac{e^x}{1+e^x}$$

$(1) \frac{e^x}{(1+e^{-x})e^x}$

3.6 & 3.4

we know $y = \text{AUTHOR HAPPY}$

~~do we~~ can we infer prob $x = (1, 1, 3)$

$$P(x = (1, 1, 3) | y = \text{A-H}) ?$$

NB:

Yes

$$P(x/y) = \text{THROW} \left[P(w/y) \right]^x$$

"Gener. Model"

LR:

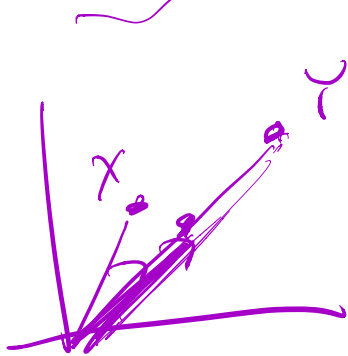
No

only defines $P(y/x)$

"Discrim. Model"

N_0 CI assump!

Vectors & Cos.net!



$$\begin{matrix} x \cdot y \\ \langle x, y \rangle \end{matrix}$$

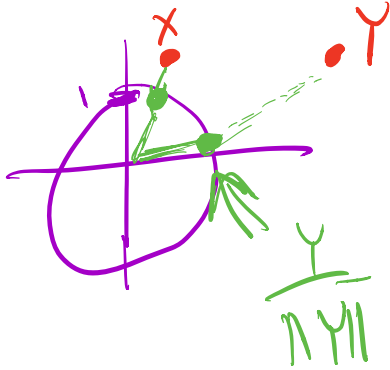
$$\cos(x, y) = \frac{x^T y}{\|x\| \|y\|} = \frac{\sum_i x_i y_i}{\sqrt{\sum_i x_i^2} \sqrt{\sum_i y_i^2}}$$

$$\cos(x, x) = \frac{x^T x}{\|x\| \|x\|} = \frac{\sum_i x_i^2}{\sqrt{\sum_i x_i^2} \sqrt{\sum_i x_i^2}}$$

$$= \frac{\sum_i x_i^2}{\sum_i x_i^2} = 1$$

$$\cos(x, y) = \left\langle \frac{x}{\|x\|}, \frac{y}{\|y\|} \right\rangle$$

dot prod
of
unit vectors



60 |

Sooooo
hadda ha

$$[a-z]^{*} (000 + |aaa + |eee + |fff + |ggg + |hhh + |iii + |jjj + |kkk + |lll + |mmm + |nnn + |ooo + |ppp + |qqq + |rrr + |sss + |ttt + |uuu + |vvv + |www + |xxx + |yyy + |zzz) [a-z]^{*}$$

a* = 0 or more "a" seq.

a+ = 1 or more "a" seq.

So So

~~(a-z)*~~ ~~0~~ ~~#~~ ~~(a-z)*~~

