

Constituency Parsing (cont'd) + PCFGs (if time)

CS 485, Fall 2023

Applications of Natural Language Processing
https://people.cs.umass.edu/~brenocon/cs485_f23/

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Fill in the CYK dynamic programming table to parse the sentence below. In the bottom right corner, draw the two parse trees. Show the possible nonterminals in each cell. Optional: draw the backpointers too.

0	NP				
she					
1					
eats					
2					
fish					
3					
with					
4					
chopsticks					
5					

- S → NP VP
- NP → NP PP
- VP → V NP
- VP → VP PP
- PP → P NP
- NP → she
- NP → fish
- NP → fork
- NP → chopsticks
- V → eats
- V → fish
- P → with

Recursive

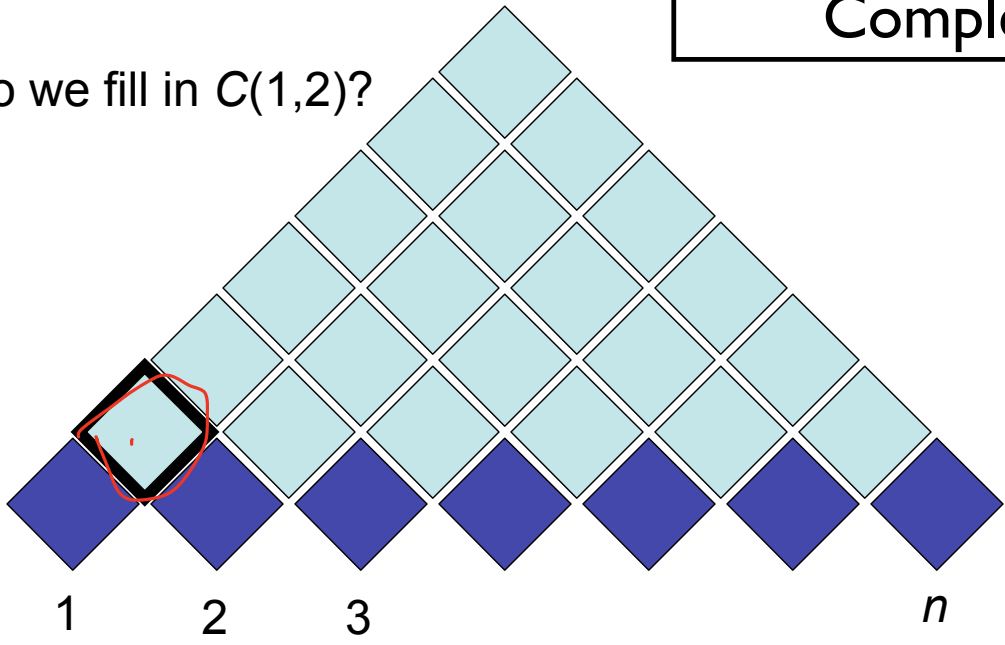
Dyn. Prog.

$O(N^2)$ cells

For cell $[i,j]$ $\rightarrow O(n^2)$
For possible splitpoint $k=(i+1)..(j-1)$:
For every B in $[i,k]$ and C in $[k,j]$,
If exists rule $A \rightarrow B C$,
add A to cell $[i,j]$

Computational Complexity ?

How do we fill in $C(1,2)$?



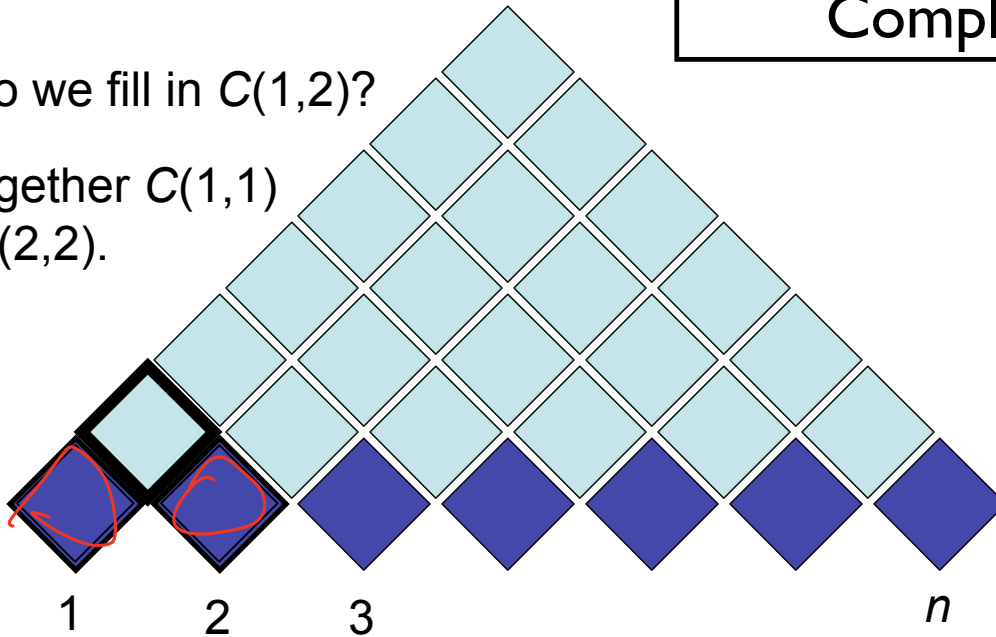
[Example from Noah Smith]

For cell $[i,j]$
For possible splitpoint $k=(i+1)..(j-1)$:
For every B in $[i,k]$ and C in $[k,j]$,
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Computational
Complexity ?

How do we fill in $C(1,2)$?

Put together $C(1,1)$
and $C(2,2)$.



[Example from Noah Smith]

For cell $[i,j]$

For possible splitpoint $k=(i+1)..(j-1)$:

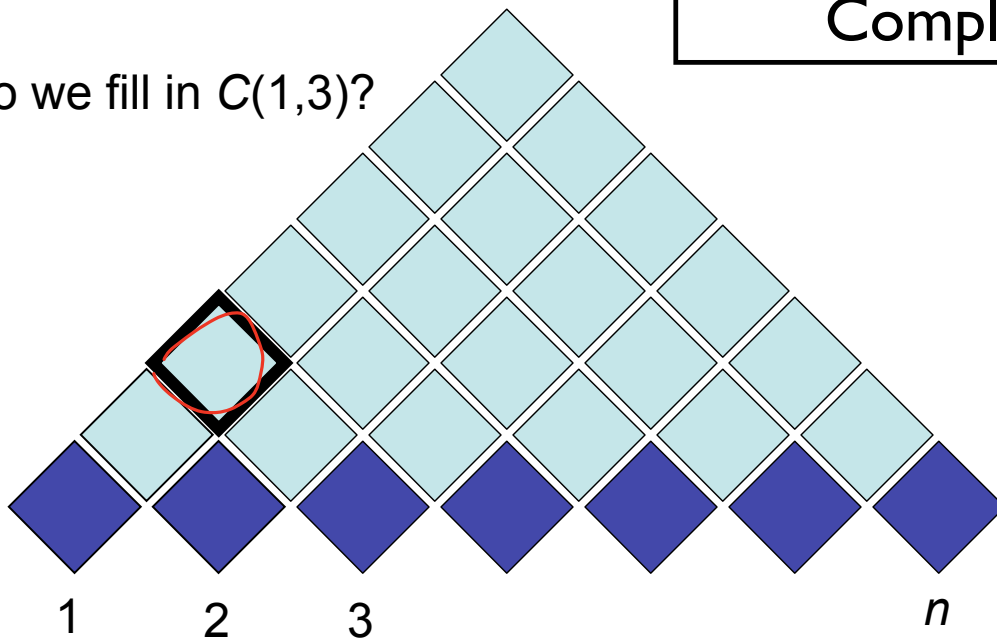
For every B in $[i,k]$ and C in $[k,j]$,

If exists rule $A \rightarrow B C$,

add A to cell $[i,j]$

Computational
Complexity ?

How do we fill in $C(1,3)$?



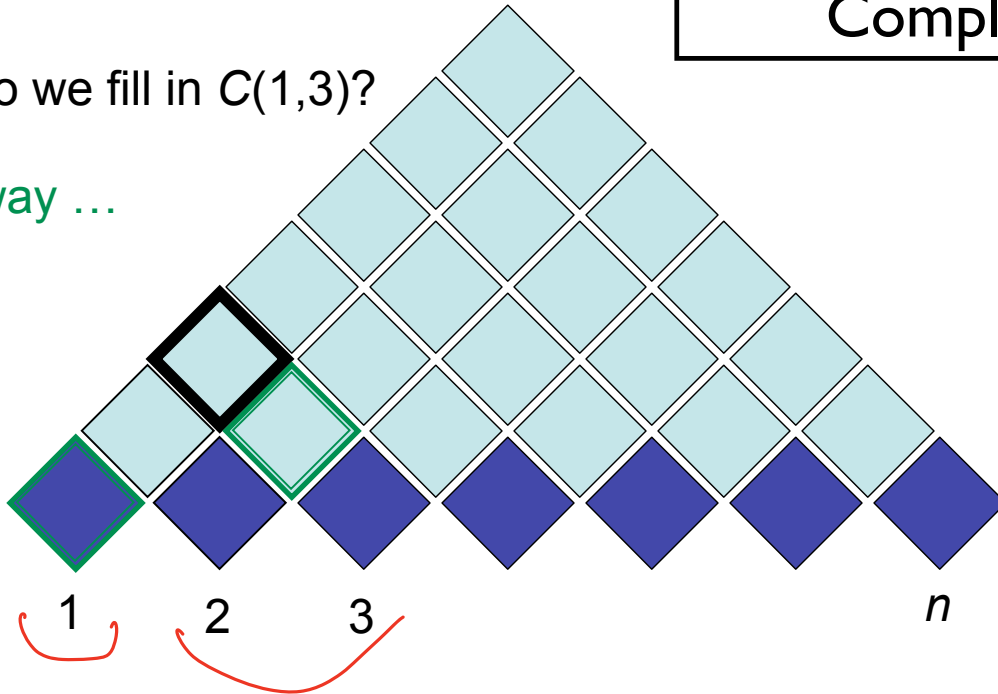
[Example from Noah Smith]

For cell $[i,j]$
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Computational
Complexity ?

How do we fill in $C(1,3)$?

One way ...



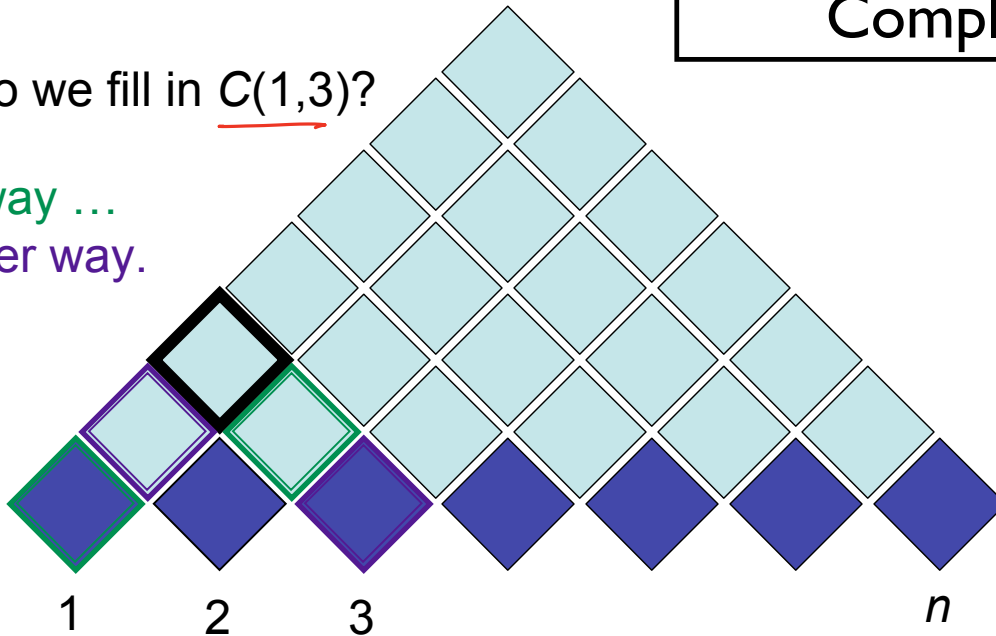
[Example from Noah Smith]

For cell $[i,j]$
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add A to cell $[i,j]$

Computational
Complexity ?

How do we fill in $C(1,3)$?

→ One way ...
→ Another way.



[Example from Noah Smith]

For cell $[i,j]$

For possible splitpoint $k=(i+1)..(j-1)$:

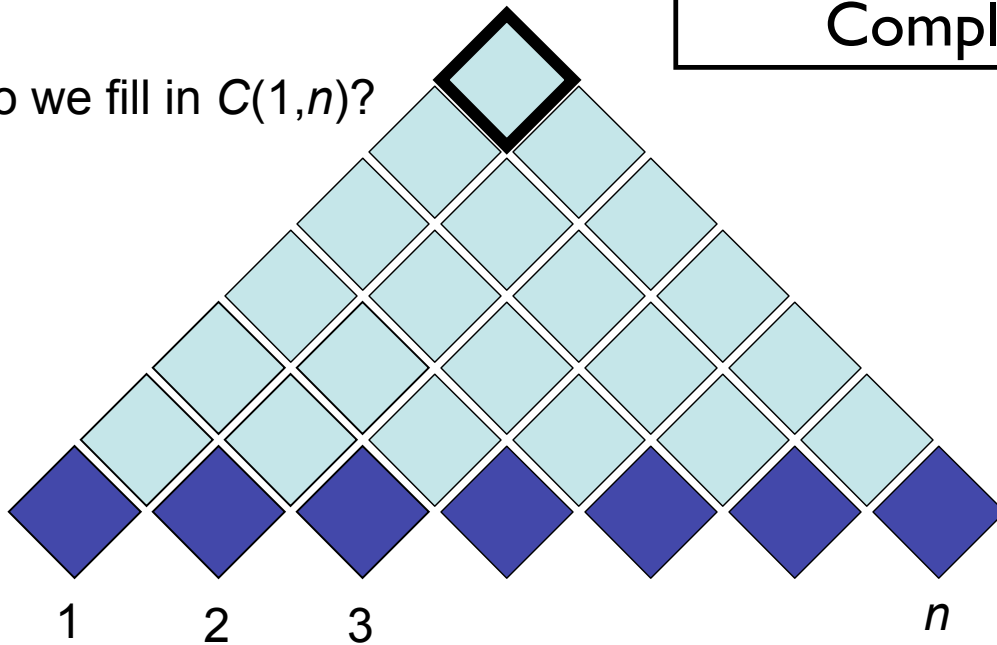
For every B in $[i,k]$ and C in $[k,j]$,

If exists rule $A \rightarrow B C$,

add A to cell $[i,j]$

Computational
Complexity ?

How do we fill in $C(1,n)$?



[Example from Noah Smith]

For cell $[i,j]$

For possible splitpoint $k=(i+1)..(j-1)$:

For every B in $[i,k]$ and C in $[k,j]$,

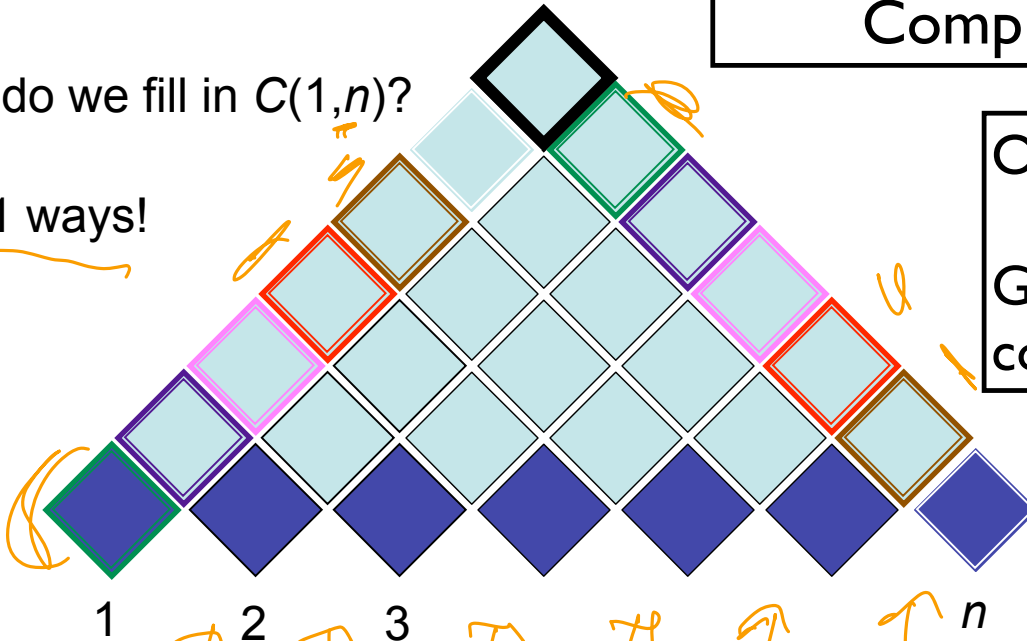
If exists rule $A \rightarrow B C$,

add A to cell $[i,j]$

Computational
Complexity ?

How do we fill in $C(1,n)$?

$n - 1$ ways!



$O(G n^3)$

$G =$ grammar
constant

$O(n^2)$ for 1 cell
 $O(n^2)$ cells for $n-1$ $\Rightarrow O(n^3)$

[Example from Noah Smith]

Probabilistic CFGs

*PCS → NP VP / parent = S
CUR*

<i>S</i> → <i>NP VP</i>	[.80]	<i>Det</i> → <i>that</i> [.10] <i>a</i> [.30] <i>the</i> [.60]
<i>S</i> → <i>Aux NP VP</i>	[.15]	<i>Noun</i> → <i>book</i> [.10] <i>flight</i> [.30]
<i>S</i> → <i>VP</i>	[.05]	<i>meal</i> [.15] <i>money</i> [.05]
<i>NP</i> → <i>Pronoun</i>	[.35]	<i>flights</i> [.40] <i>dinner</i> [.10]
<i>NP</i> → <i>Proper-Noun</i>	[.30]	<i>Verb</i> → <i>book</i> [.30] <i>include</i> [.30]
<i>NP</i> → <i>Det Nominal</i>	[.20]	<i>prefer</i> ; [.40]
<i>NP</i> → <i>Nominal</i>	[.15]	<i>Pronoun</i> → <i>I</i> [.40] <i>she</i> [.05]
<i>Nominal</i> → <i>Noun</i>	[.75]	<i>me</i> [.15] <i>you</i> [.40]
<i>Nominal</i> → <i>Nominal Noun</i>	[.20]	<i>Proper-Noun</i> → <i>Houston</i> [.60]
<i>Nominal</i> → <i>Nominal PP</i>	[.05]	<i>TWA</i> [.40]
<i>VP</i> → <i>Verb</i>	[.35]	<i>Aux</i> → <i>does</i> [.60] <i>can</i> [.40]
<i>VP</i> → <i>Verb NP</i>	[.20]	<i>Preposition</i> → <i>from</i> [.30] <i>to</i> [.30]
<i>VP</i> → <i>Verb NP PP</i>	[.10]	<i>on</i> [.20] <i>near</i> [.15]
<i>VP</i> → <i>Verb PP</i>	[.15]	<i>through</i> [.05]
<i>VP</i> → <i>Verb NP NP</i>	[.05]	
<i>VP</i> → <i>VP PP</i>	[.15]	
<i>PP</i> → <i>Preposition NP</i>	[1.0]	

- Defines a probabilistic generative process for words in a sentence
- Can parse with a modified form of CKY
- How to learn? Fully supervised if you have a treebank

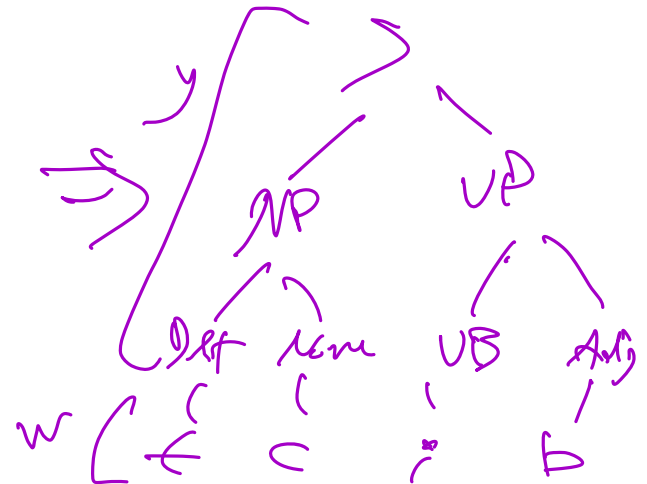
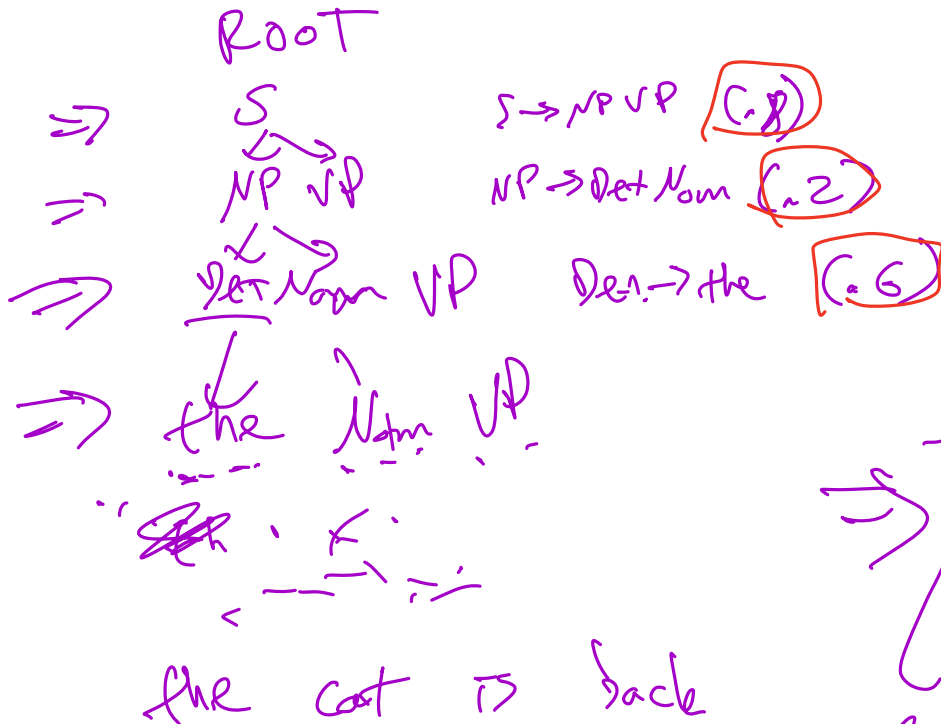
PCFG as LM

w : sentence $\{w_1, w_2, \dots, w_N\}$
 y : tree

- sample $p(w, y) = p(w|y) p(y)$

$p(w, y) =$

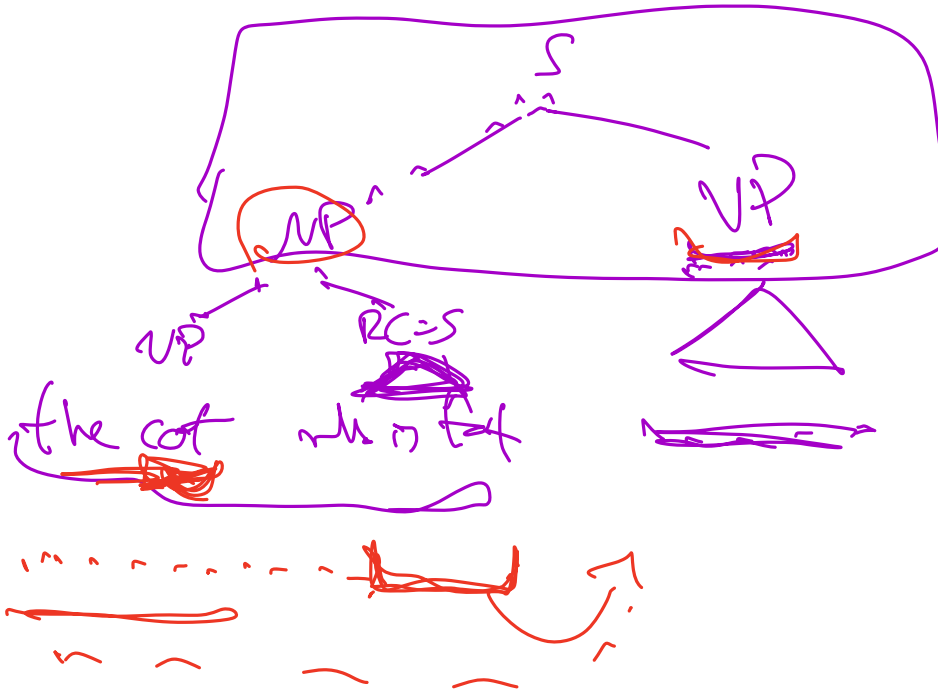
$\approx \pi_1 \pi_2 \pi_3 \dots$



N-gram vs PCFG LM

$$P(w_8 | w_6, w_7)$$

- We also could sample from an n-gram (Markov) LM... what differences should we expect?



PCFG as LM

- $p(w,y)$ = multiply all the expansion probabilities

$$\log p(w,y) = \text{Sum of expansion } \underline{\log} \text{ probs!}$$

(P)CFG model, (P)CKY algorithm

- CKY: given CFG and sentence w
 - Does there exist at least one parse?
 - Enumerate parses (backpointers)

$y = \text{tree (non-terminals)}$

- Probabilistic CKY: given PCFG and sentence w

- Most probable parse ("Viterbi parse")

$$\hat{y} = \operatorname{argmax}_y P(y | w)$$

$P(\text{tree} | \text{sent})$

$P(y|w) \propto P(y) P(w|y)$
multiply parsers!

- Likelihood of sentence ("Inside algorithm")

$$P(w) = \sum_y P(w | y) P(y)$$

- a PCFG with Penn Treebank's nonterminals encodes overly strong conditional independence assumptions - big problems for both generation and parsing
- a bunch of tricks improve treebank-trained PCFGs to get better parsing performance
 - ~80% F1: "Treebank grammar" (PCFG directly trained on PTB)
 - ~90% F1: PCFG with clever non-terminal splitting
 - ~95% F1: state of the art (not PCFG)

Very hard!!!

Better PCFG grammars

- Nonterminal splitting: because substitutability is too strong (e.g. “she” as subject vs object)

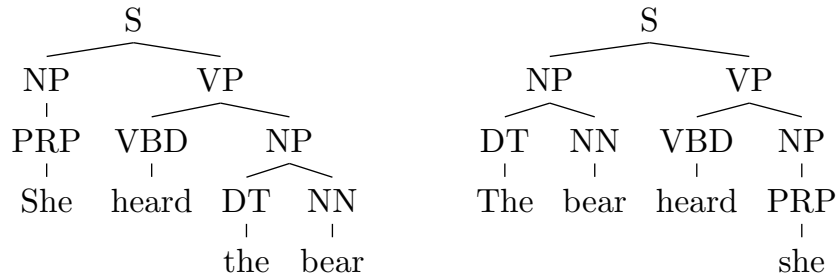


Figure 11.5: A grammar that allows *she* to take the object position wastes probability mass on ungrammatical sentences.

Better PCFG grammars

- Parent annotation

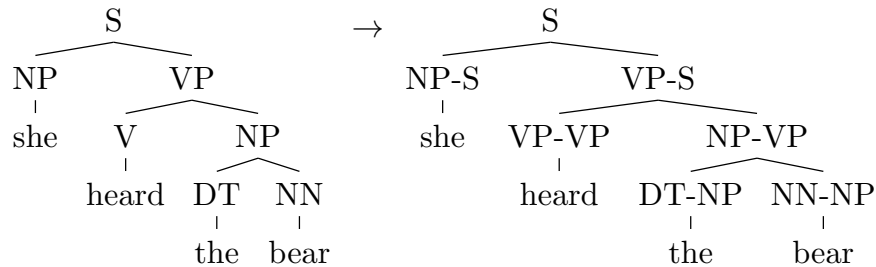


Figure 11.8: Parent annotation in a CFG derivation

Better PCFG grammars

- Linguistically designed state splits

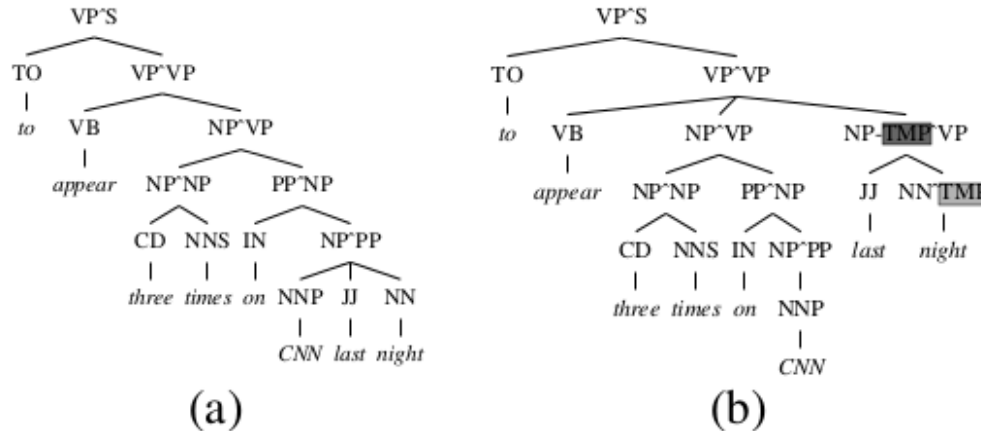


Figure 11.13: State-splitting creates a new non-terminal called NP-TMP, for temporal noun phrases. This corrects the PCFG parsing error in (a), resulting in the correct parse in (b).

Better PCFG grammars

- Lexicalization: encode semantic preferences

Non-terminal	Direction	Priority
S	right	VP SBAR ADJP UCP NP
VP	left	VBD VBN MD VBZ TO VB VP VBG VBP ADJP NP
NP	right	N* EX \$ CD QP PRP ...
PP	left	IN TO FW

Table 11.3: A fragment of head percolation rules

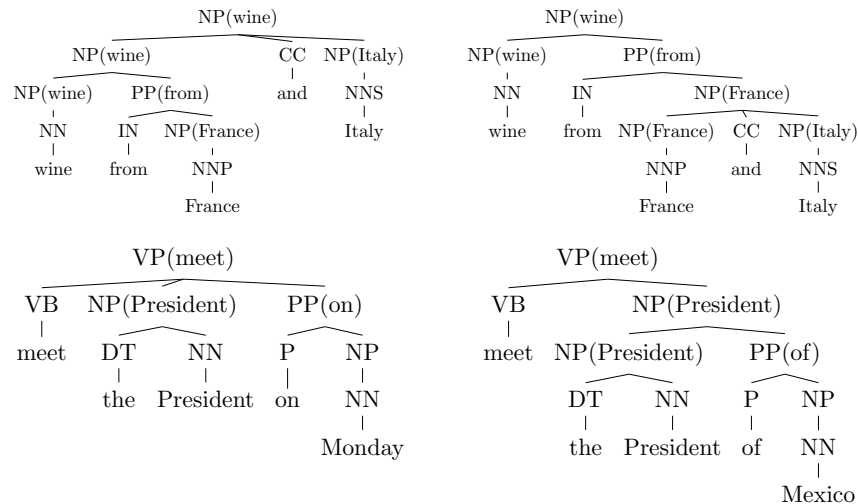


Figure 11.9: Lexicalization can address ambiguity on coordination scope (upper) and PP attachment (lower)

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 - ~80% F1: "Treebank grammar" (PCFG directly trained on PTB)
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- Parsing model accuracy: lots of ambiguity!!
 - PCFGs lack lexical information to resolve ambiguities (sneak in world knowledge?)
 - PCFGs that are successful parsers sneak in lexical information into the non-terminals ... but there are limits how much you can do
 - Next time: dependency parsing
- Practical guidance
 - ~~O(N)~~ left-to-right incremental algorithms are more practical than CKY
 - Look carefully at parser's errors — are they tolerable for your application?