

Similarity Comparisons for Interactive Fine-Grained Categorization

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Overview

Problem

- **Parts and attributes** exhibit weaknesses
 - Scalability issues; costly; reliance on experts, but experts are scarce

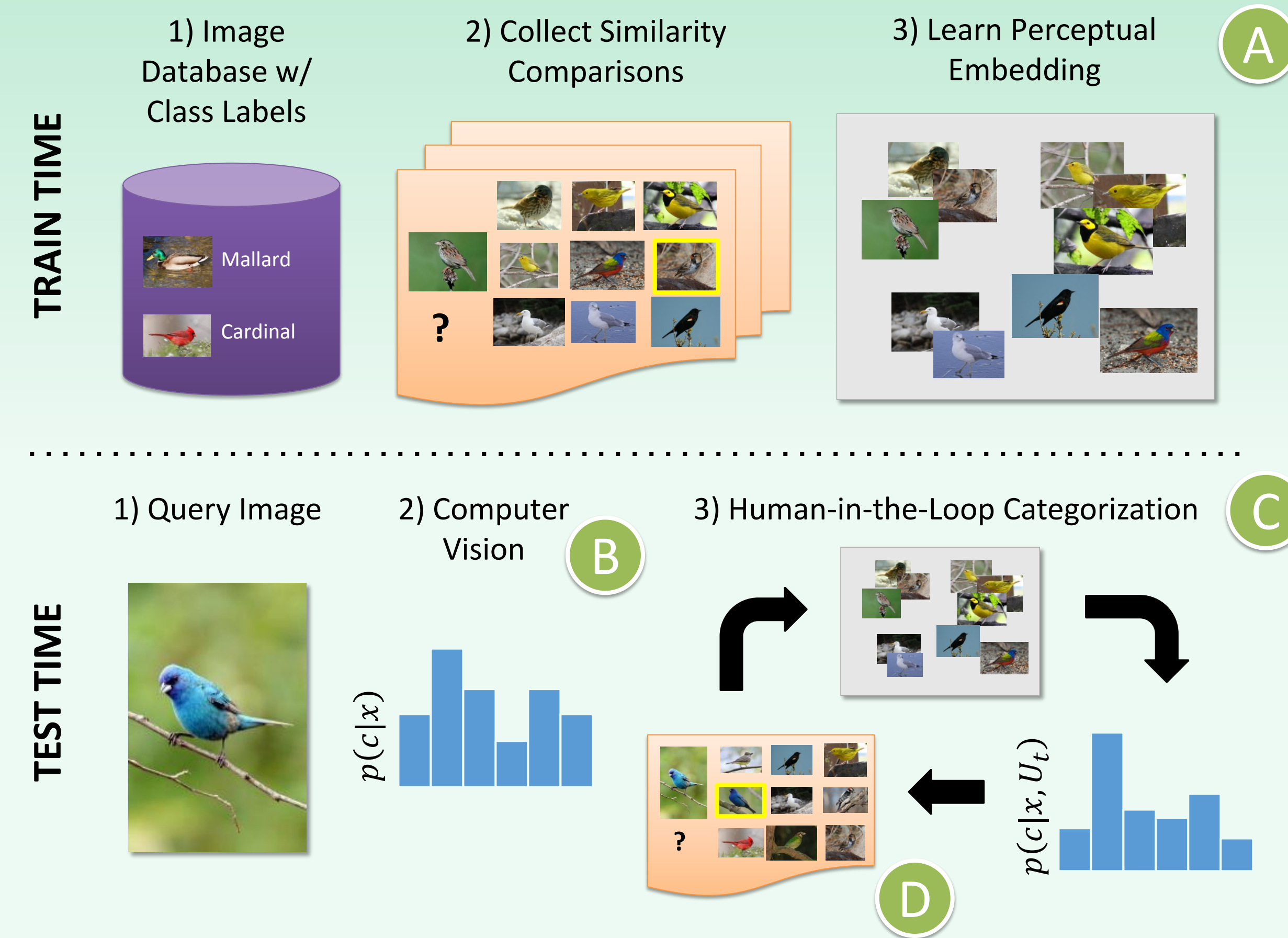
Proposed Solution

- Use **relative similarity comparisons** to reduce dependence on expert-derived part and attribute vocabularies

Contributions

- We present an efficient, flexible, and scalable system for interactive fine-grained visual categorization
 - Based on perceptual similarity
 - Combines similarity metrics and computer vision methods in a unified framework
- Outperforms state-of-the-art relevance feedback-based and part/attribute-based approaches

Approach



x Query image t Time step z True location of x in perceptual space
 c Class U_t User responses at t

INTERACTIVE CATEGORIZATION

- Compute per-class probabilities as:
$$p(c, |x, U_t) \propto p(c, U_t | x) = \int_{\mathbf{z}} p(c, \mathbf{z}, U_t | x) d\mathbf{z}$$
 where
$$w^t = p(c, \mathbf{z}, U_t | x) = p(U_t | c, \mathbf{z}, x) p(c, \mathbf{z} | x)$$

Efficient computation

- Approximate per-class probabilities as:
$$p(c, |x, U_t) \approx \frac{\sum_{k: c_k=c} w_k^t}{\sum_k w_k^t}$$
 i.e. sum of weights of examples of class c where k enumerates training examples
- Weight w_k represents how likely \mathbf{z}_k is true location \mathbf{z} :
$$w_k^t = p(c_k, \mathbf{z}_k, U_t | x) = p(U_t | c_k, \mathbf{z}_k, x) p(c_k, \mathbf{z}_k | x)$$

such that

$$w_k^{t+1} = p(u_{t+1} | \mathbf{z}_k) w_k^t = \frac{\phi(s_{tk})}{\sum_{j \in D} \phi(s_{jk})} w_k^t$$

Efficient update rule:

- 1 Initialize weights $w_k^0 = p(c_k, \mathbf{z}_k | x)$
- 2 Update weights w_k^{t+1} when user answers a similarity question
- 3 Update per-class probabilities

Learning a Metric

- Given set of triplet comparisons \mathcal{T} , learn embedding \mathbf{Z} of N training images with **stochastic triplet embedding** [van der Maaten & Weinberger 2012]
- From \mathbf{Z} , generate similarity matrix $S \in N \times N$

Computer Vision

- Easy to map off-the-shelf CV algorithms into framework, e.g., multiclass classification scores
$$p(c, \mathbf{z} | x) \propto p(c | x)$$

Incorporating Users

- D is grid of images for each question
Incorporate independent user response as:

$$p(u | \mathbf{z}) = \frac{\phi(s(\mathbf{z}, \mathbf{z}_i))}{\sum_{j \in D} \phi(s(\mathbf{z}, \mathbf{z}_j))}$$

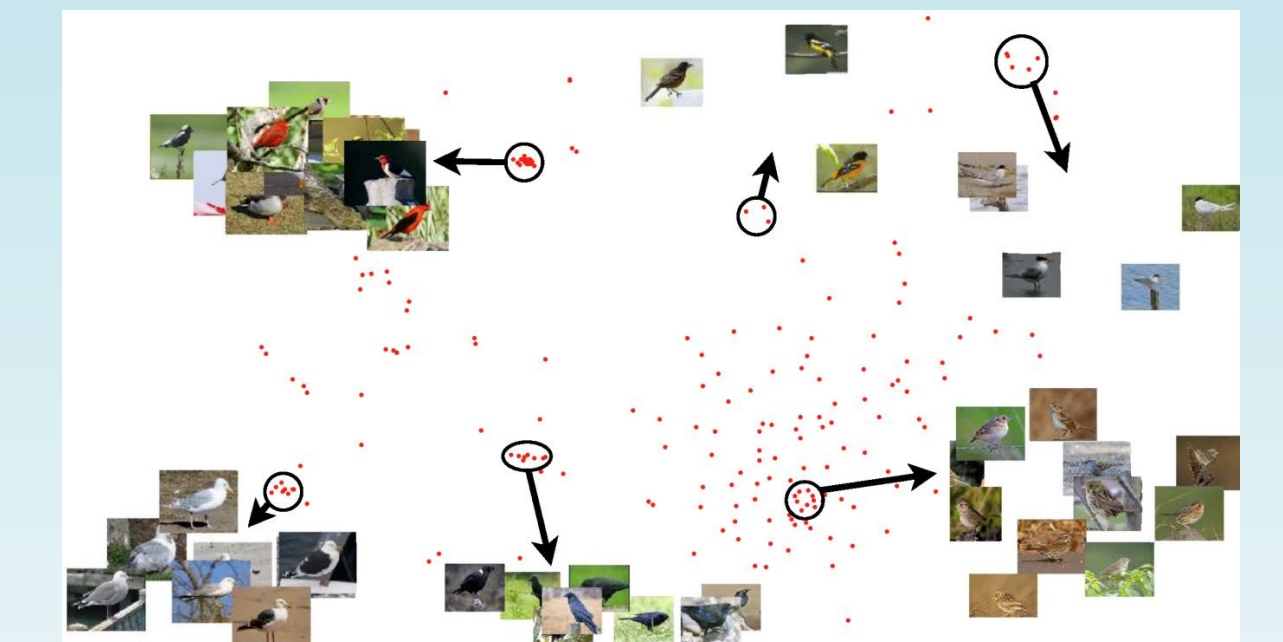
Selecting the Display

- **Approximate solution:** maximizes expected information gain in terms of entropy of $p(c, \mathbf{z}_k, U_t | x)$
- Group images into equal-weight clusters [Fang & Geman 2005]
- From each cluster, select image with largest w_k^t

Results

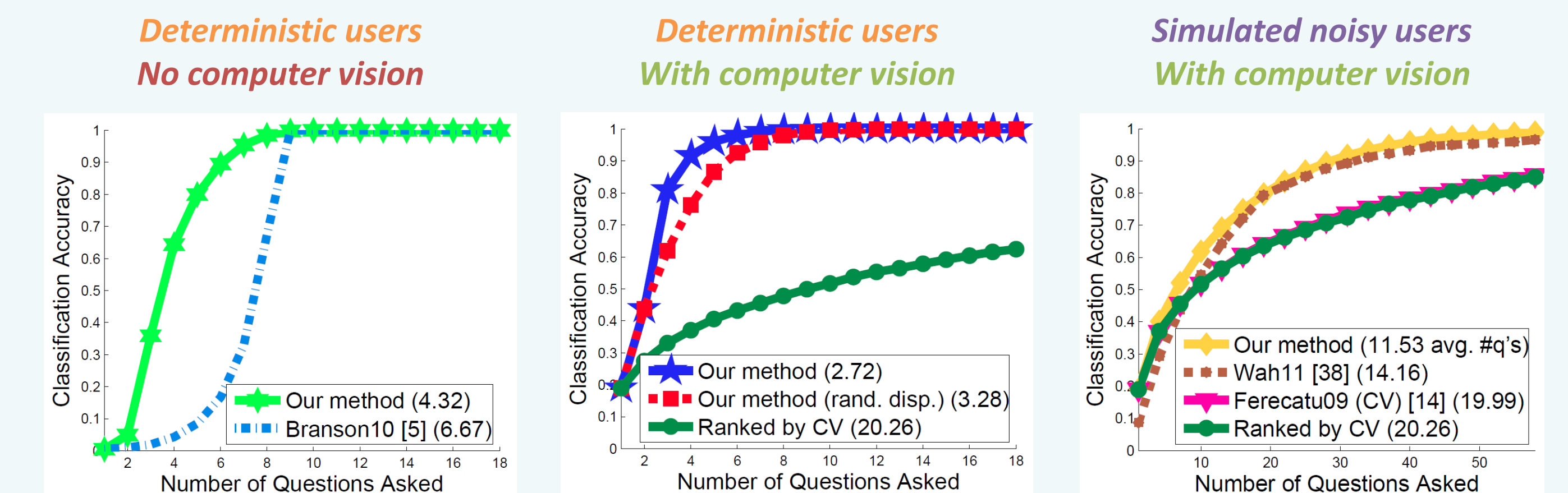
Learned Embedding

- Learn category-level embedding of $N = 200$ nodes
- Category-level embedding requires much fewer comparisons compared to at the instance-level



Interactive Categorization

- Similarity comparisons are advantageous compared to part/attribute questions
- Using computer vision reduces the burden on the user
- Intelligently selecting image displays reduces effort
- The system is robust to user noise



Multiple Metrics

- System supports multiple similarity metrics as different types of questions
- Simulate perceptual spaces using CUB-200-2011 attribute annotations

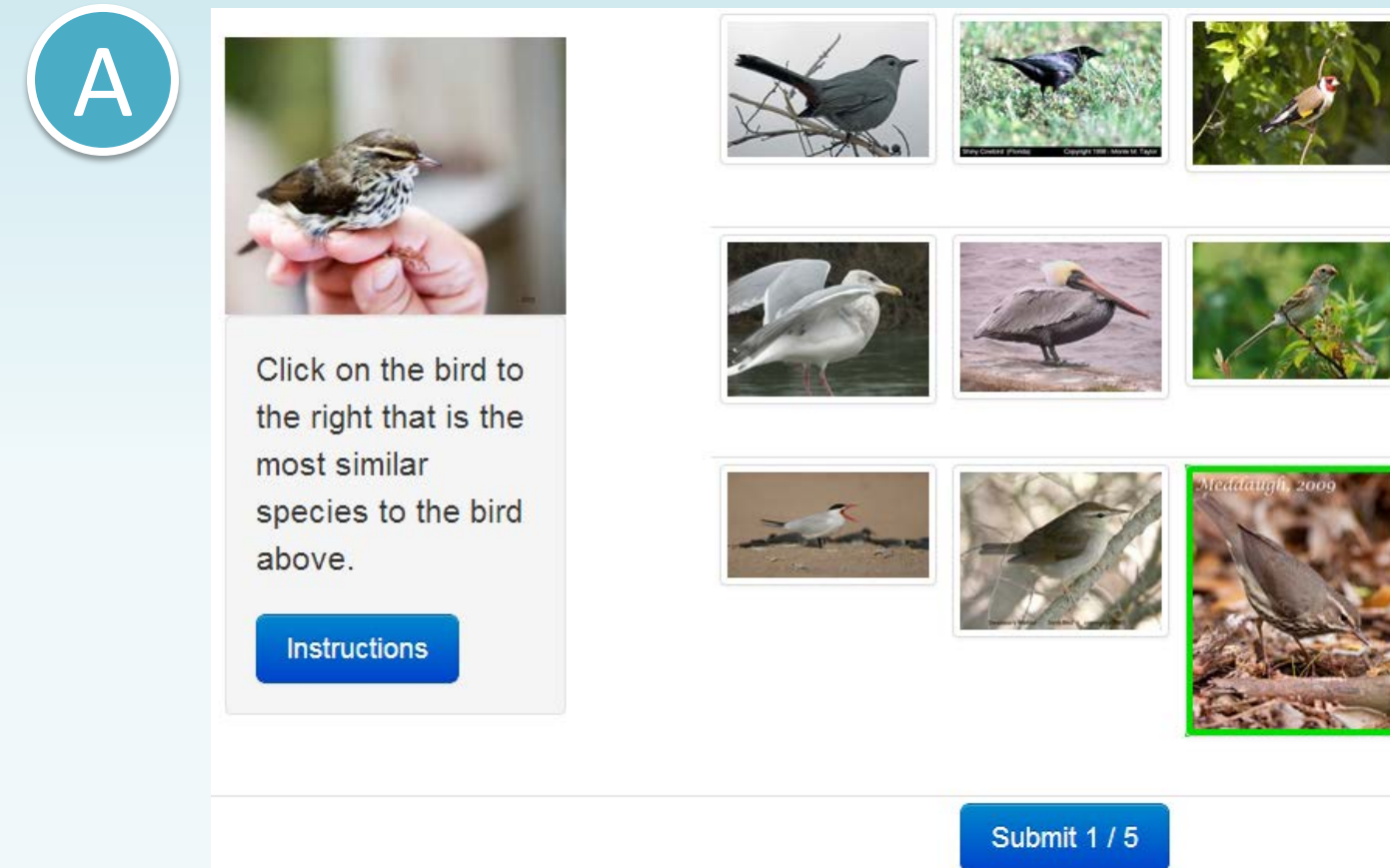
Method	Avg. #Qs
CV, Color Similarity	2.70
CV, Shape Similarity	2.67
CV, Pattern Similarity	2.67
CV, Color/Shape/Pattern Similarity	2.64
No CV, Color/Shape/Pattern Similarity	4.21

Qualitative Results



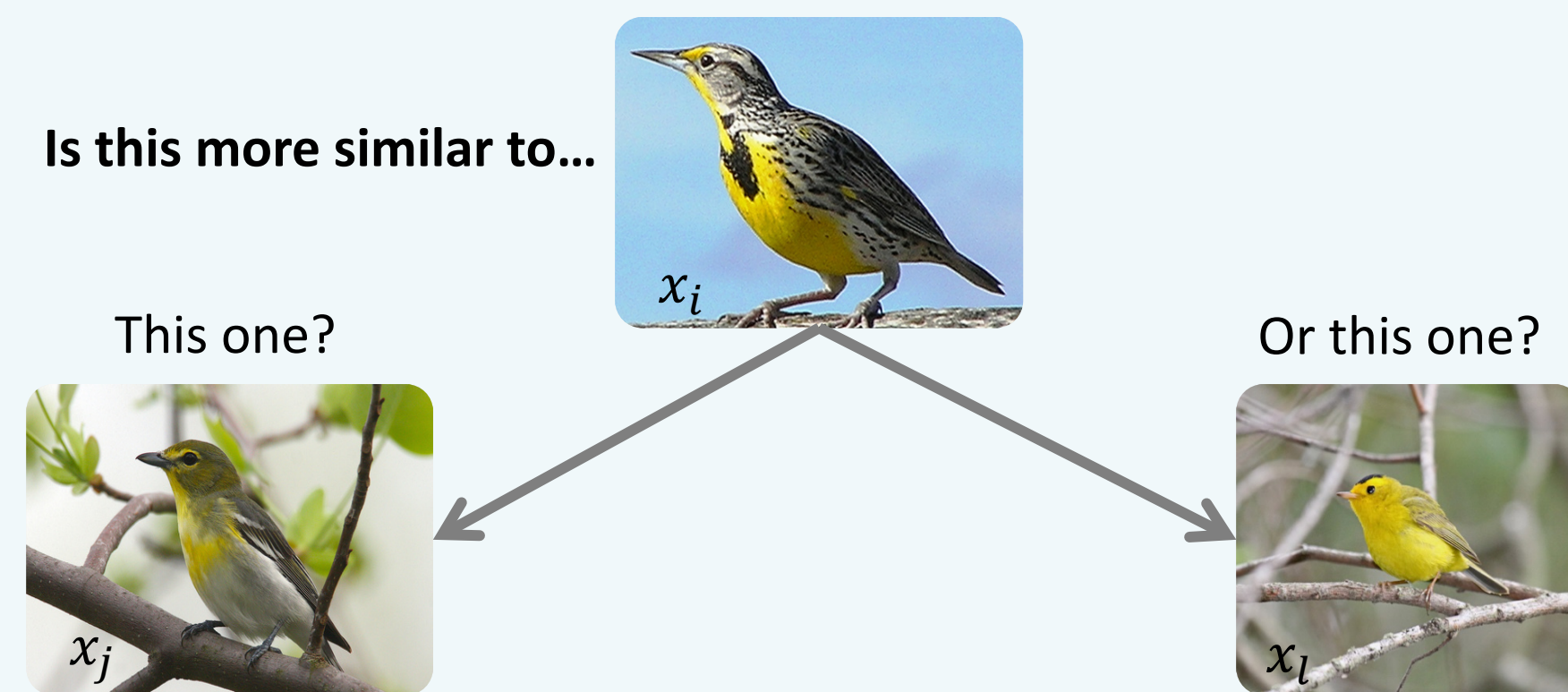
Similarity Comparisons

- A. Collect **grid-based similarity comparisons** that do not require prior expertise



- B. Broadcast grid-based comparisons to **triplet comparisons**

$$\mathcal{T} = \{(i, j, l) | x_i \text{ more similar to } x_j \text{ than } x_l\}$$



$$\begin{aligned} S(x_i, x_j) &> S(x_i, x_l) \\ S(x_i, x_j) &> S(x_l, x_j) \\ S(x_i, x_j) &> S(x_l, x_i) \\ S(x_i, x_j) &> S(x_l, x_i) \\ S(x_i, x_j) &> S(x_l, x_i) \\ S(x_i, x_j) &> S(x_l, x_i) \\ S(x_i, x_j) &> S(x_l, x_i) \\ S(x_i, x_j) &> S(x_l, x_i) \\ S(x_i, x_j) &> S(x_l, x_i) \\ S(x_i, x_j) &> S(x_l, x_i) \end{aligned}$$

$s(i, j)$: perceptual similarity between images x_i and x_j