Attention mechanisms

CS 685, Fall 2020

Advanced Natural Language Processing

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stuff from last time...

- HW0 grading hopefully done by next week
- HW1 will be out within the next 1-2 weeks
- Project proposals due 9/21, all group assignments have been finalized

A RNN Language Model

output distribution

$$\hat{y} = \operatorname{softmax}(W_2 h^{(t)} + b_2)$$

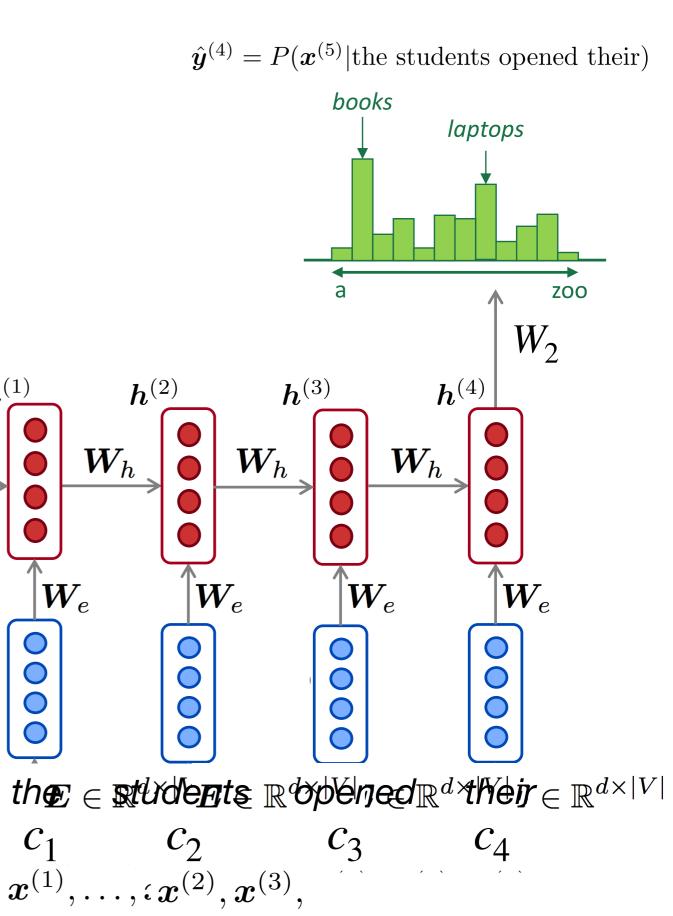
hidden states

$$h^{(t)} = f(W_h h^{(t-1)} + W_e c_t + b_1)$$

h⁽⁰⁾ is initial hidden state!

word embeddings

$$c_1, c_2, c_3, c_4$$



 $h^{(1)}$

 W_h

 $h^{(0)}$

$\hat{\boldsymbol{y}}^{(4)} = P(\boldsymbol{x}^{(5)}|\text{the students opened their})$

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why is this good?

RNN Advantages:

- Can process any length input
- Model size doesn't increase for longer input
- Computation for step t can (in theory) use information from many steps back
- Weights are shared across timesteps > representations are shared

RNN Disadvantages:

- Recurrent computation is slow
- In practice, difficult to access information from

ZOO $\boldsymbol{h}^{(1)}, \boldsymbol{h}^{(1)}, \boldsymbol{h}^{(1)}, \boldsymbol{h}^{(1)}, \boldsymbol{h}^{(1)}, \boldsymbol{h}^{(1)}, \boldsymbol{h}^{(1)}, \boldsymbol{h}^{(2)}, \boldsymbol{h}^{(3)}, \boldsymbol{h}^{(4)}$ $\boldsymbol{W}_h \in \mathbb{R}^{D_l} \boldsymbol{W}_h \in \mathbb{R}^{D_l} \boldsymbol{W}_h \in \mathbb{R}^{D_l} \boldsymbol{W}_h \in \mathbb{R}^{D_l} \boldsymbol{W}_h \in \mathbb{R}^{D_l \times D_h}$ $oldsymbol{W}_e \in \mathbb{R}^{D_h} oldsymbol{W}_e \in \mathbb{R}^{D_h} oldsymbol{W}_e \in \mathbb{R}^{D_h imes d}$ $e^{(1)}, \dots, e^{(t)} \in \mathbb{R}^{d}, e^{(1)}, e^{(2)}, e^{(3)}, e^{(4)}$ $oldsymbol{E} \in \mathbb{R}^{d imes |V|} oldsymbol{E} \in \mathbb{R}^{d imes |V|} oldsymbol{z} \in \mathbb{R}^{d imes |V|} oldsymbol{z} \in \mathbb{R}^{d imes |V|} oldsymbol{z}^{d imes |V|}$ $m{x}^{(1)}, \dots, m{\hat{x}}^{(2)}, m{x}^{(3)}, m{x}^{(4)}, m{x}^{(4)}, m{x}^{(4)}$

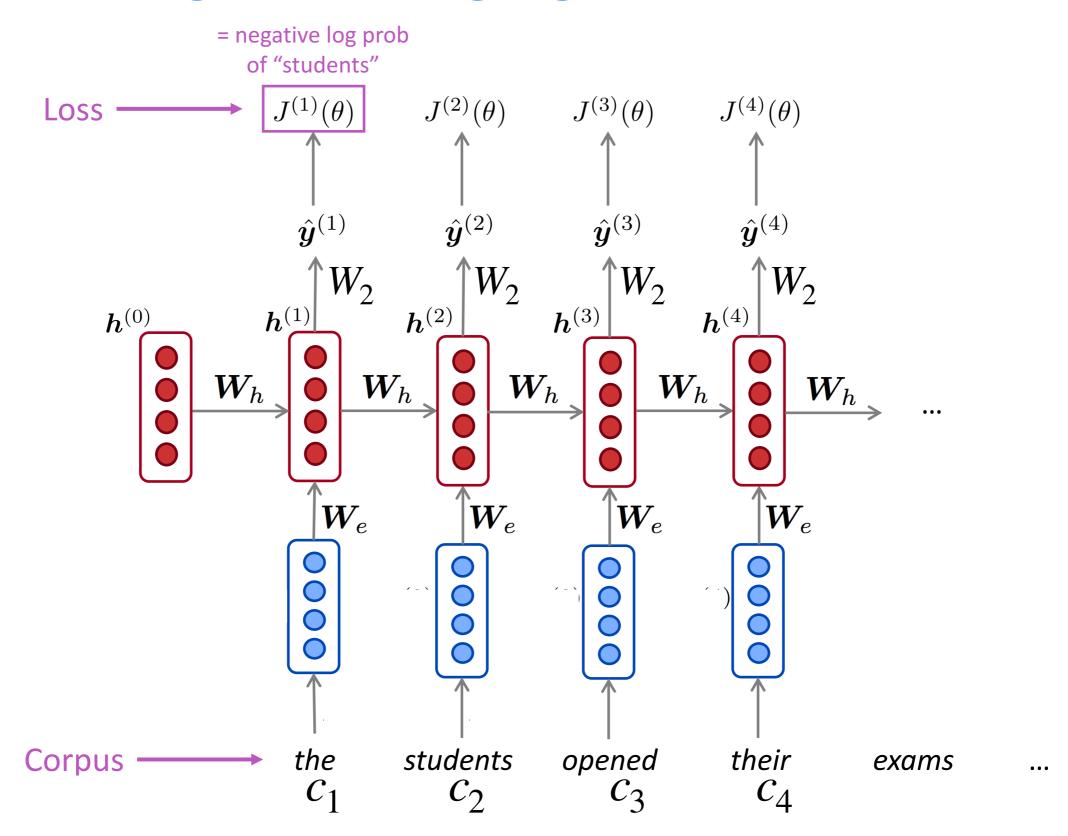
__many steps back

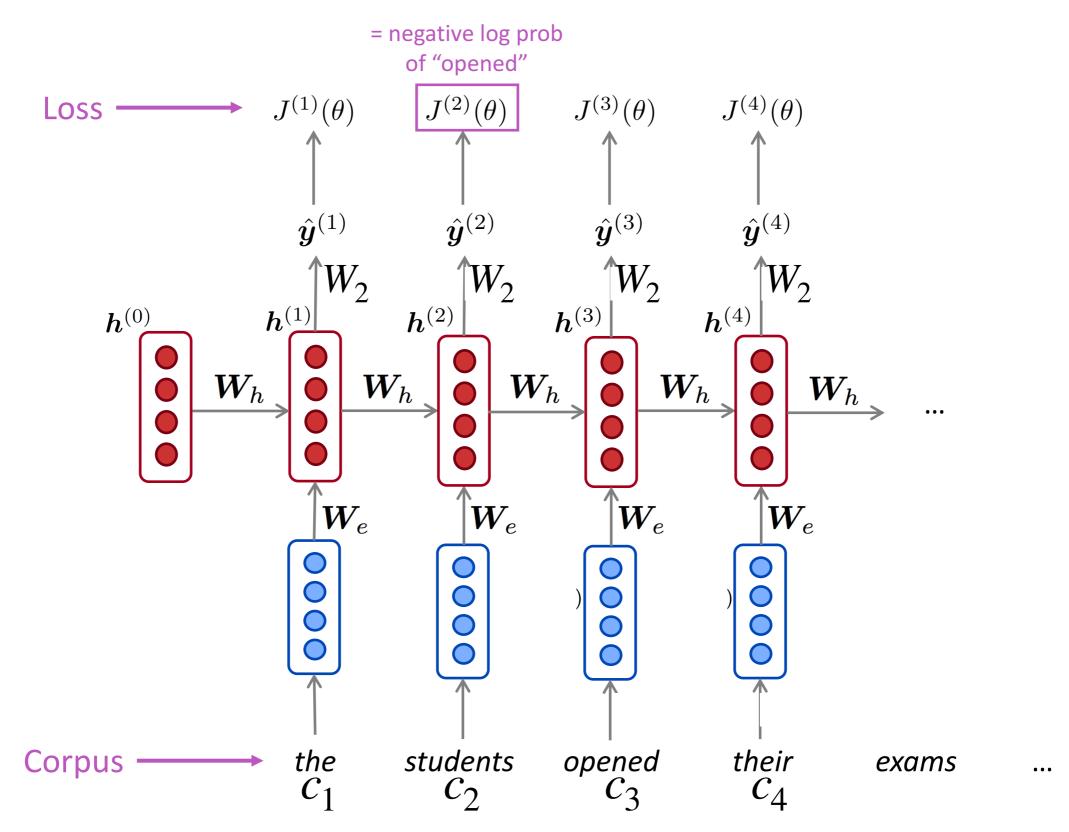
- Get a big corpus of text which is a sequence of words $x^{(1)}, \ldots, x^{(T)}$
- ullet Feed into RNN-LM; compute output distribution $\hat{oldsymbol{y}}^{(t)}$ for $\emph{every step t.}$
 - i.e. predict probability dist of every word, given words so far
- Loss function on step t is usual cross-entropy between our predicted probability distribution $\hat{y}^{(t)}$, and the true next word $y^{(t)} = x^{(t+1)}$:

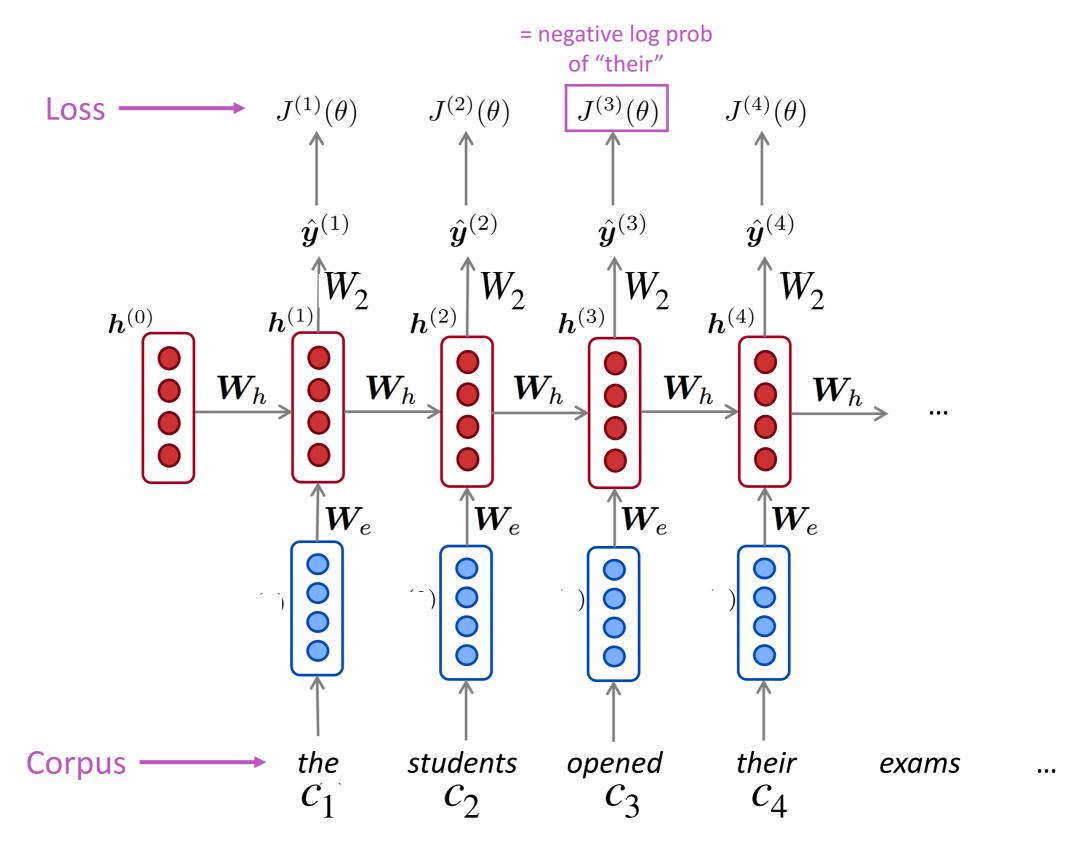
$$J^{(t)}(\theta) = CE(\mathbf{y}^{(t)}, \hat{\mathbf{y}}^{(t)}) = -\sum_{j=1}^{|V|} y_j^{(t)} \log \hat{y}_j^{(t)}$$

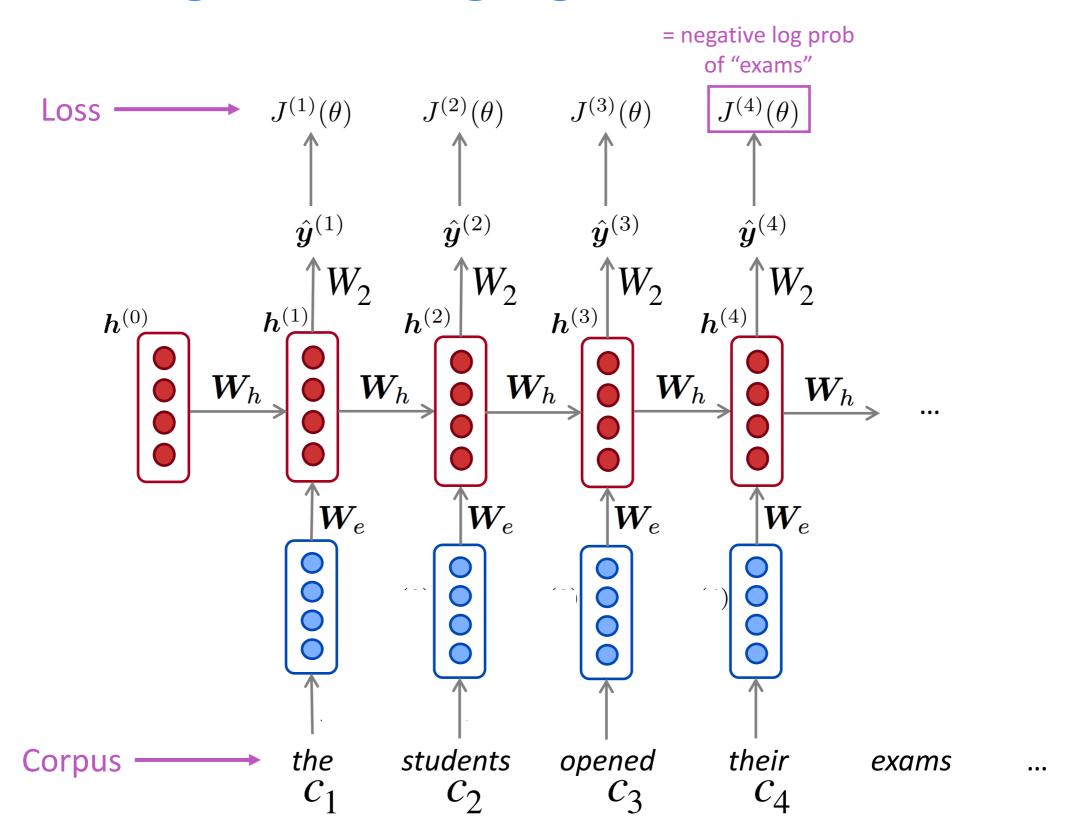
Average this to get overall loss for entire training set:

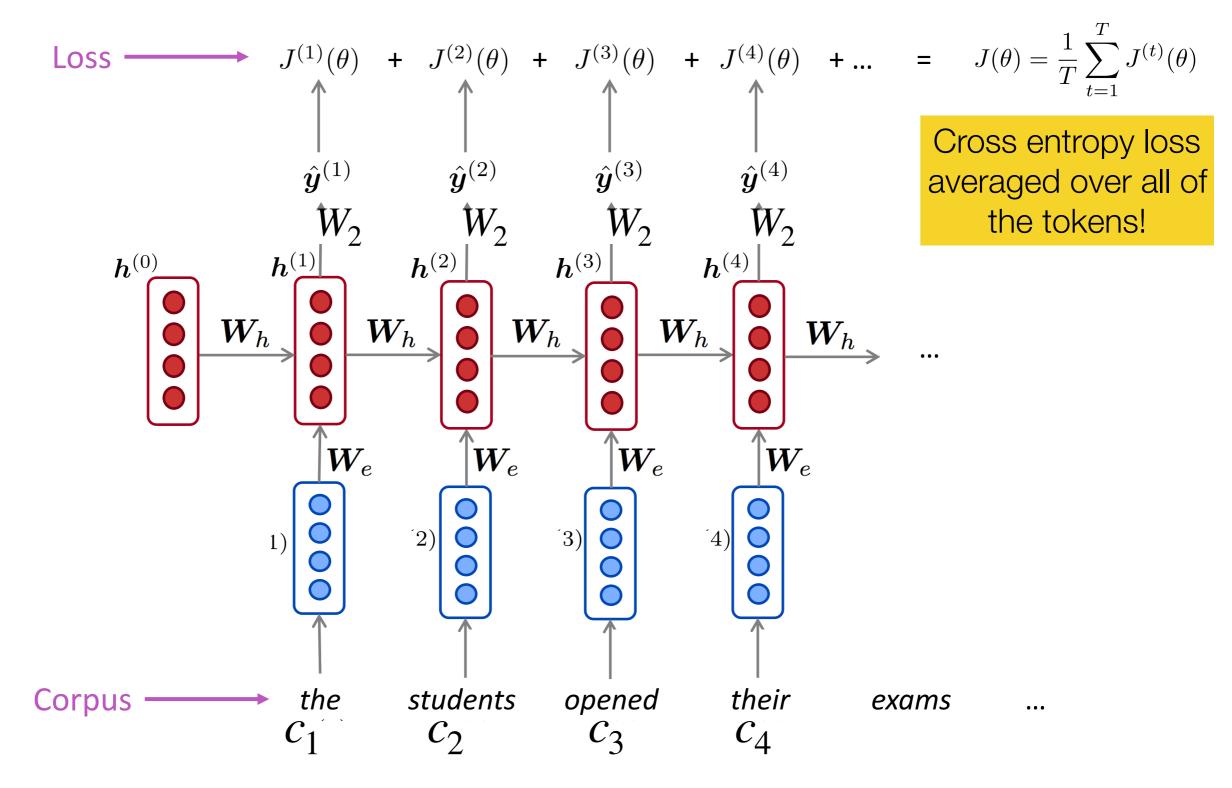
$$J(\theta) = \frac{1}{T} \sum_{t=1}^{T} J^{(t)}(\theta)$$











RNNs suffer from a **bottleneck** problem

 $h^{(0)}$

The current hidden representation must encode all of the information $\hat{y}^{(t)}$ about the text observed so far

 $\hat{\boldsymbol{y}}^{(4)} = P(\boldsymbol{x}^{(5)}|\text{the students opened their})$ books laptops **ZOO** W_2 $h^{(2)}$ $h^{(3)}$ $oldsymbol{h}^{(4)}$ W_h W_e W_e W_e

the extrolers \mathbb{R}^d beined \mathbb{R}^d their $\in \mathbb{R}^{d imes |V|}$ c_1 c_2 c_3 c_4 $x^{(1)}, \dots, x^{(2)}, x^{(3)},$

 $h^{(1)}$

 $oldsymbol{W}_h$

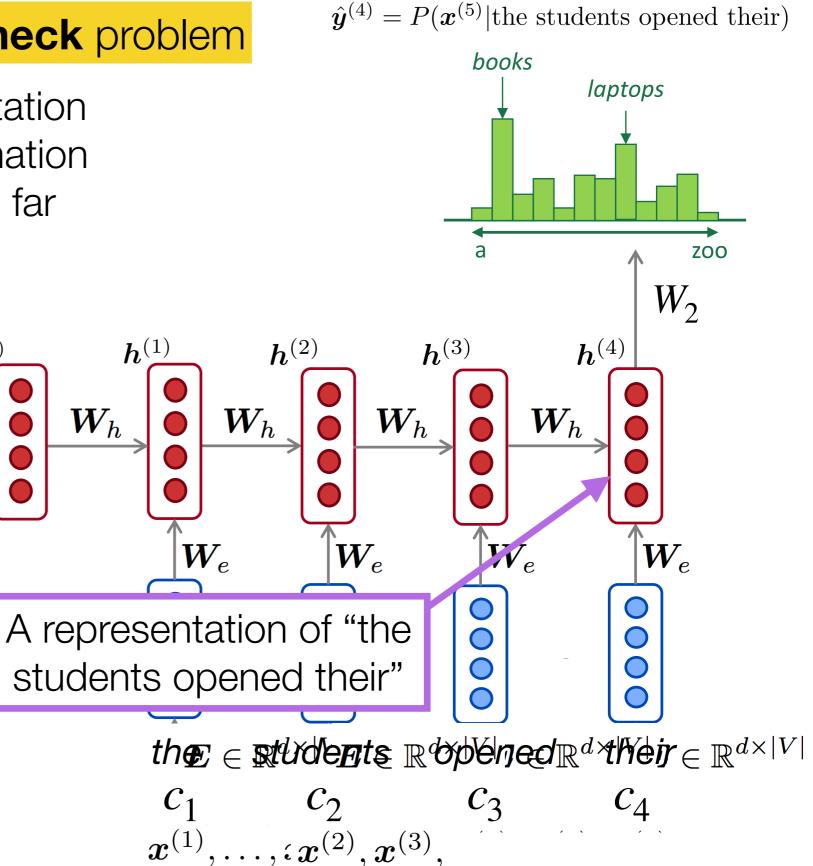
 W_e

 $W_{h_{_}}$

RNNs suffer from a **bottleneck** problem

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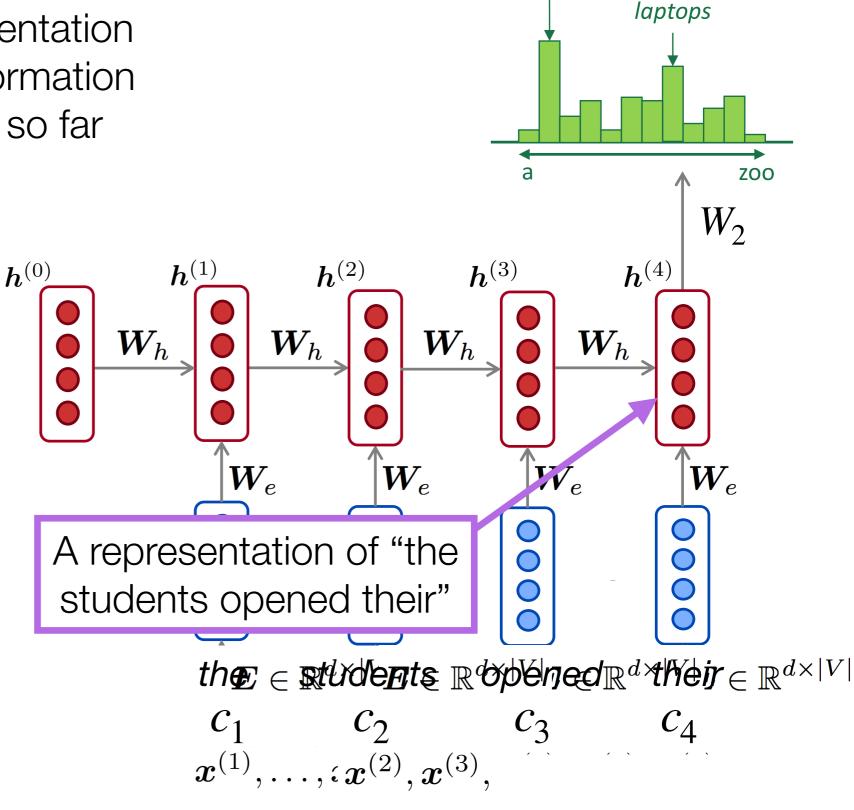


 $oldsymbol{W}_{h_{_}}$

RNNs suffer from a **bottleneck** problem

The current hidden representation must encode all of the information $\hat{y}^{(t)}$ about the $\hat{y}^{(t)}$ about the $\hat{y}^{(t)}$ about the $\hat{y}^{(t)}$

This becomes difficult especially with longer sequences



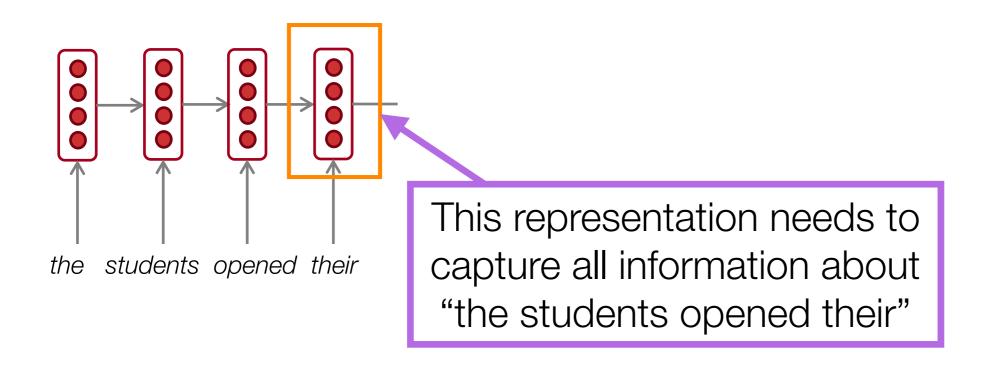
 $\hat{\mathbf{y}}^{(4)} = P(\mathbf{x}^{(5)}|\text{the students opened their})$

books

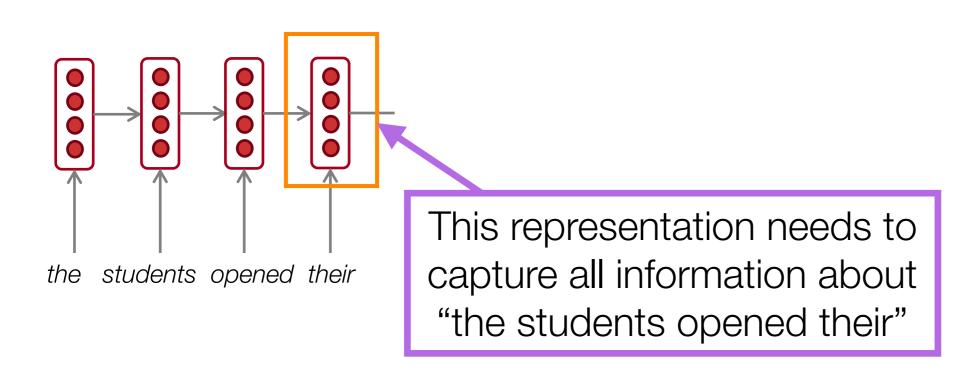
"you can't cram the meaning of a whole %&@#&ing sentence into a single \$*(&@ing vector!"

Ray Mooney (NLP professor at UT Austin)

idea: what if we use multiple vectors?

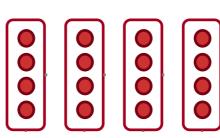


idea: what if we use multiple vectors?



Instead of this, let's try:

the students opened their =



(all 4 hidden states!)

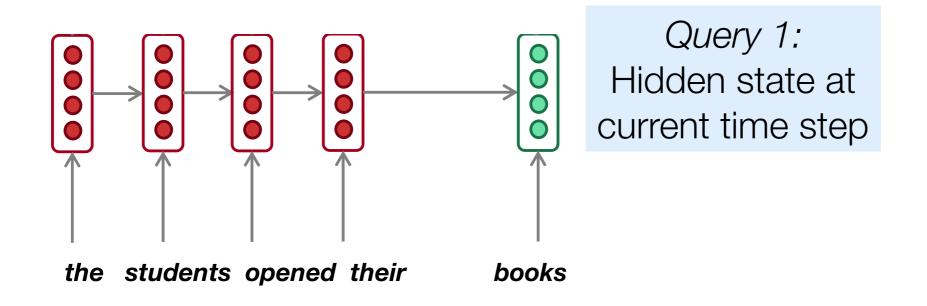
The solution: attention

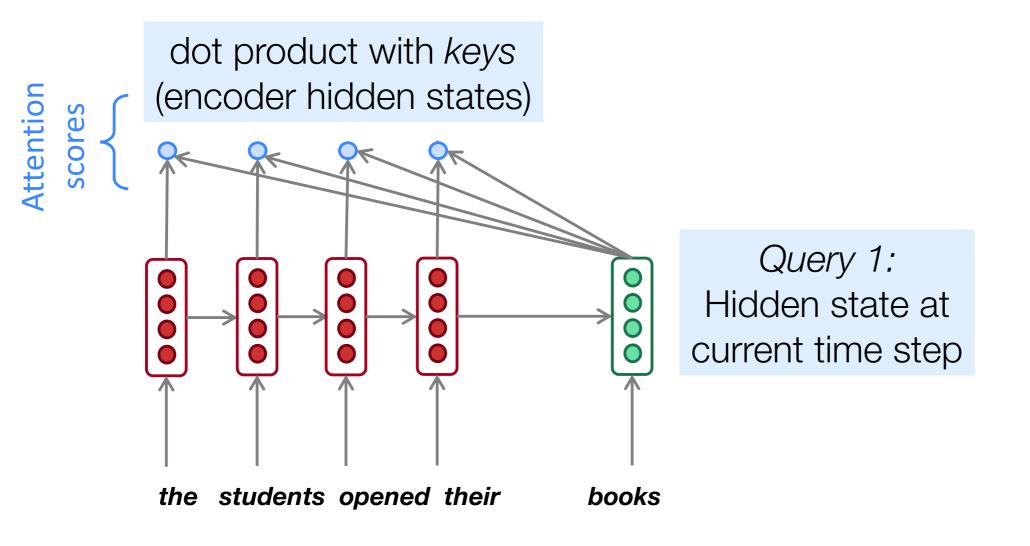
- Attention mechanisms (Bahdanau et al., 2015) allow language models to focus on a particular part of the observed context at each time step
 - Originally developed for machine translation, and intuitively similar to word alignments between different languages

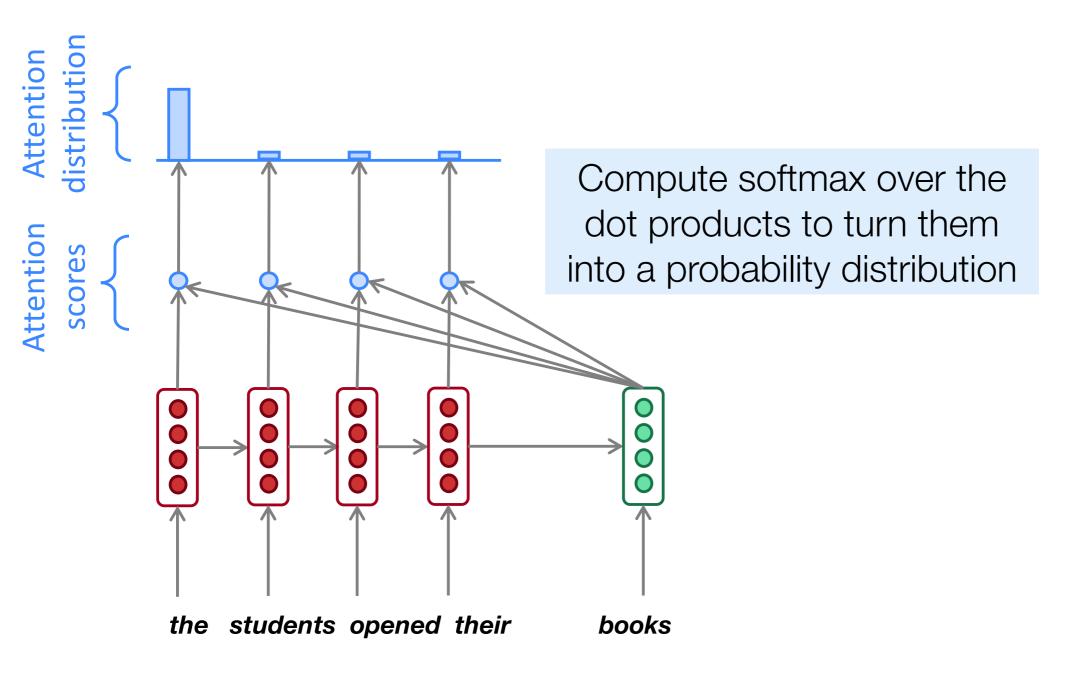
How does it work?

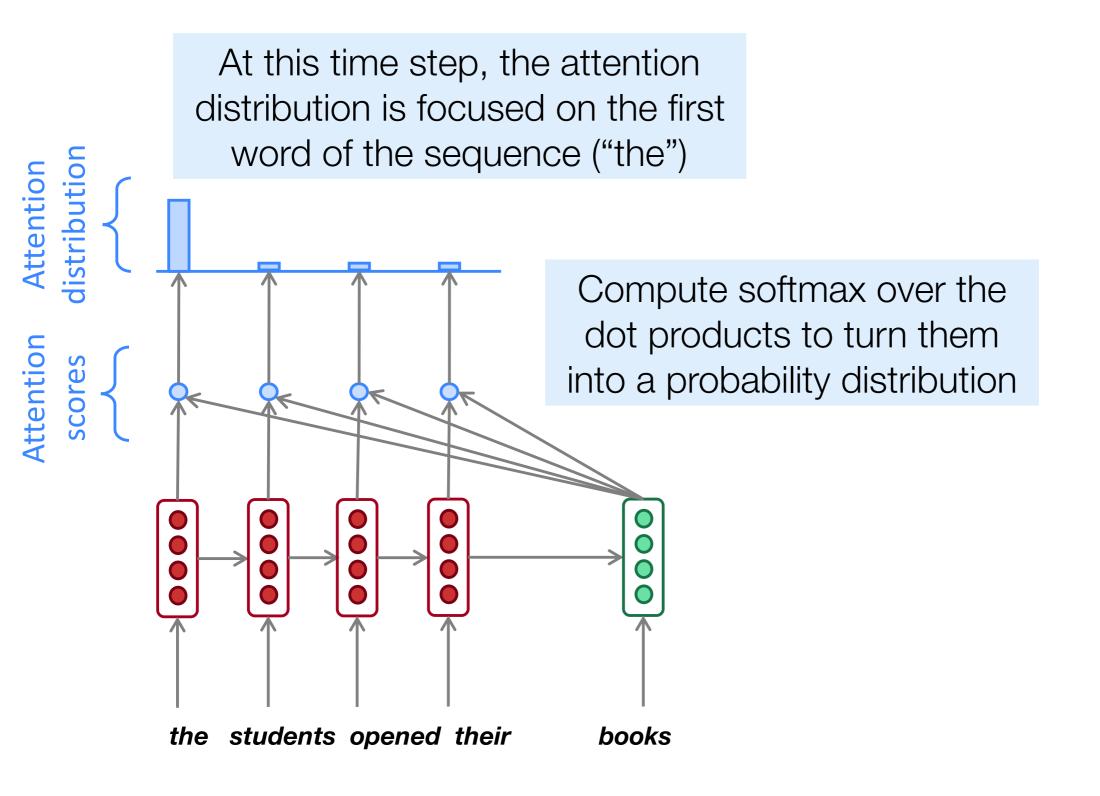
 in general, we have a single query vector and multiple key vectors. We want to score each query-key pair

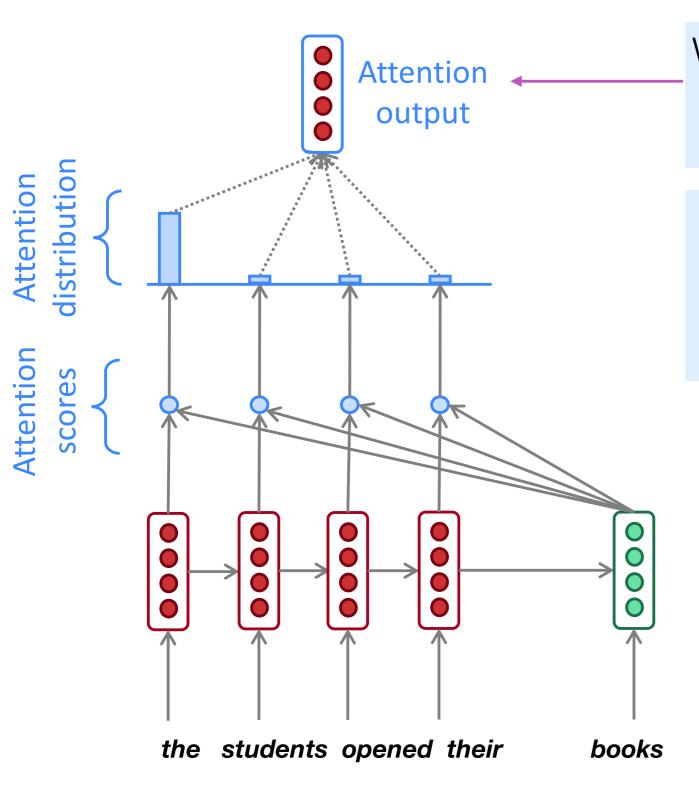
in a neural language model, what are the queries and keys?







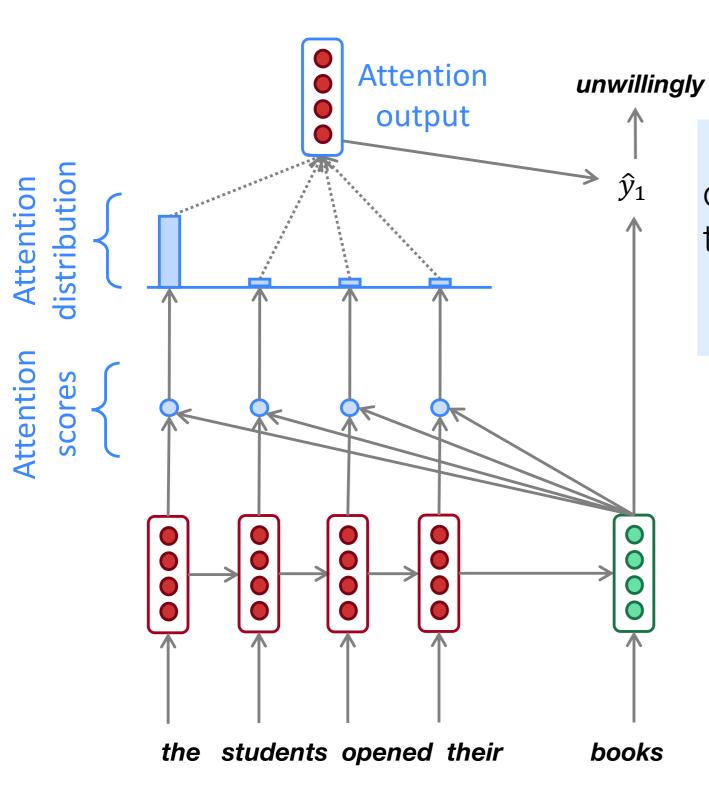




We use the attention distribution to compute a weighted average of the hidden states.

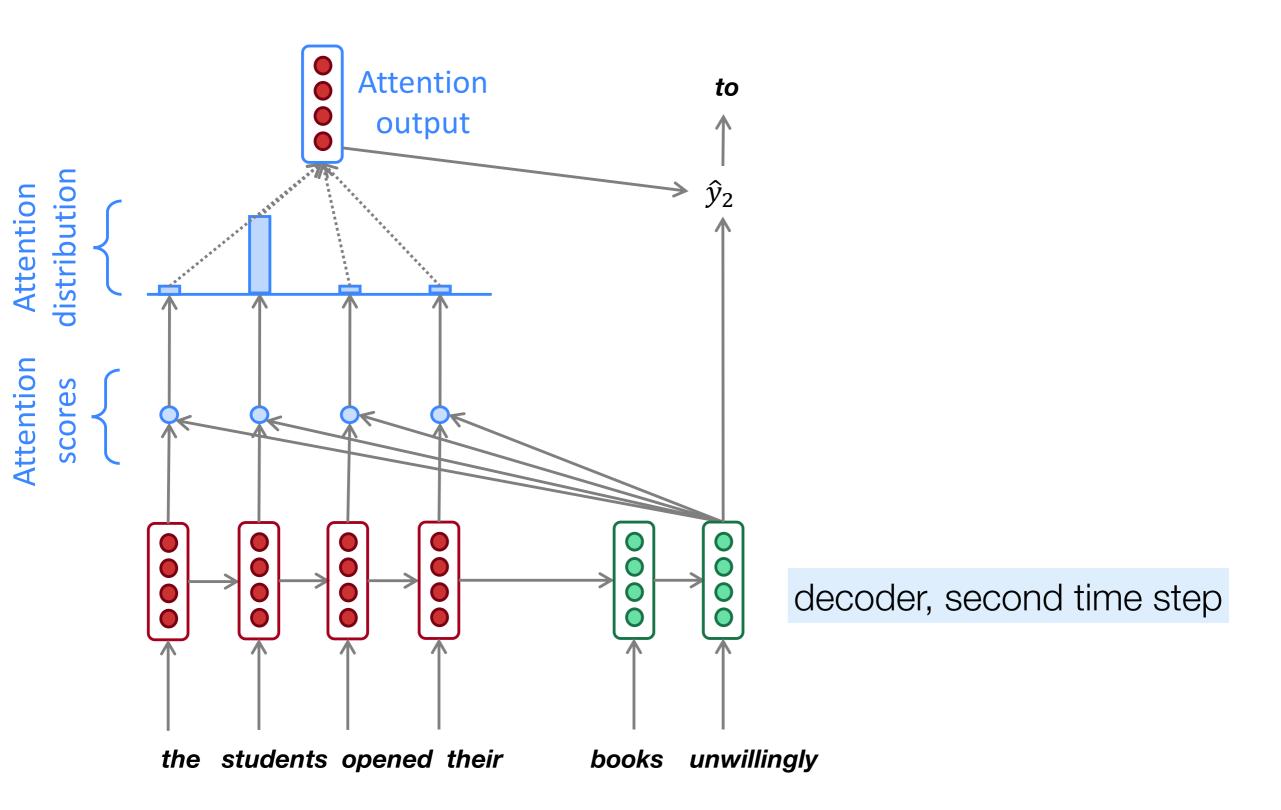
Intuitively, the resulting attention output contains information from hidden states that received high attention scores

Sequence-to-sequence with attention

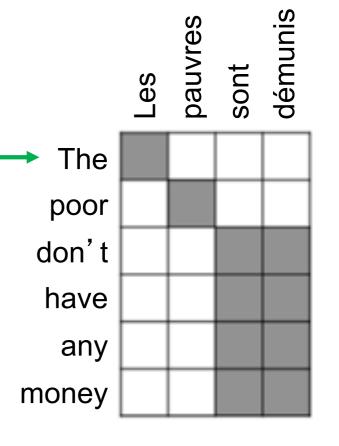


Concatenate (or otherwise compose) the attention output with the current hidden state, then pass through a softmax layer to predict the next word

Sequence-to-sequence with attention



- Attention solves the bottleneck problem
 - Attention allows decoder to look directly at source; bypass bottleneck
- Attention helps with vanishing gradient problem
 - Provides shortcut to faraway states
- Attention provides some interpretability
 - By inspecting attention distribution, we can see what the decoder was focusing on
 - We get alignment for free!
 - This is cool because we never explicitly trained an alignment system
 - The network just learned alignment by itself



Many variants of attention

- Original formulation: $a(\mathbf{q}, \mathbf{k}) = w_2^T \tanh(W_1[\mathbf{q}; \mathbf{k}])$
- Bilinear product: $a(\mathbf{q}, \mathbf{k}) = \mathbf{q}^T W \mathbf{k}$

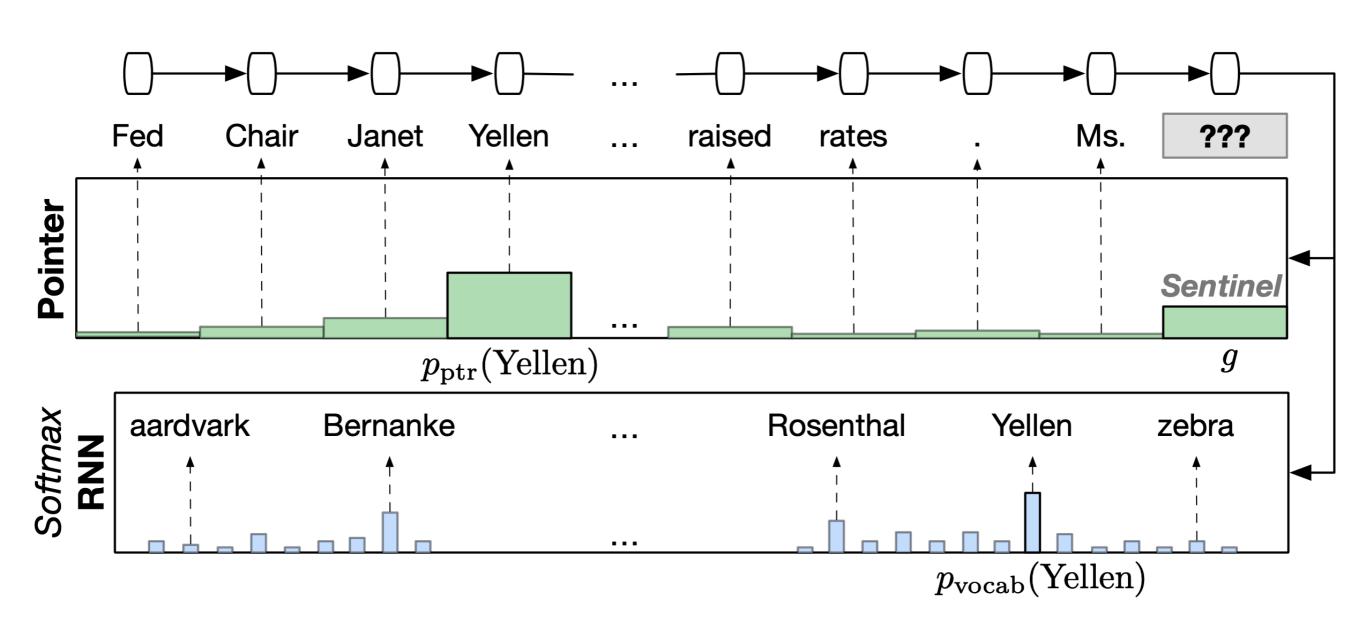
Luong et al., 2015

• Dot product: $a(\mathbf{q}, \mathbf{k}) = \mathbf{q}^T \mathbf{k}$

Luong et al., 2015

• Scaled dot product: $a(\mathbf{q}, \mathbf{k}) = \frac{\mathbf{q}^T \mathbf{k}}{\sqrt{|\mathbf{k}|}}$ Vaswani et al., 2017

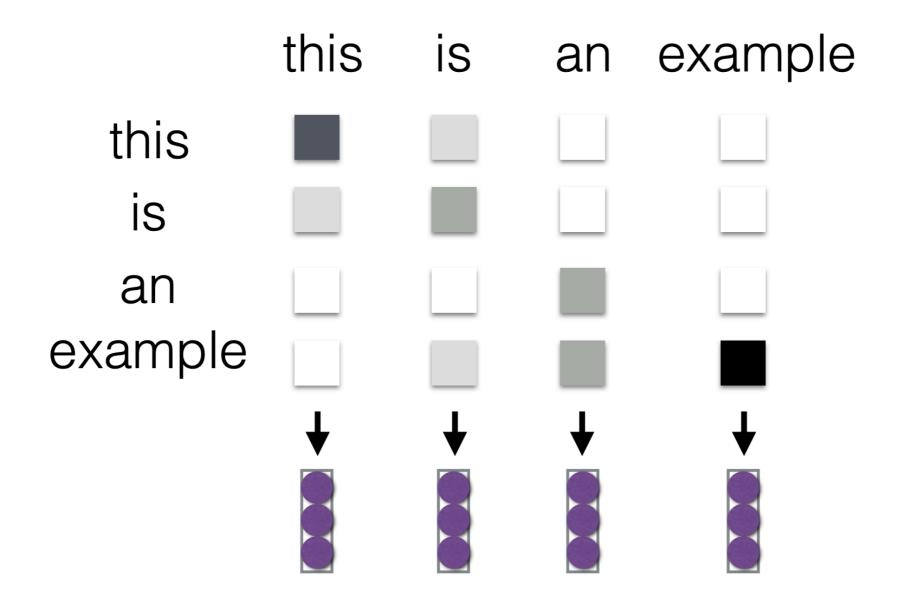
Attention can also be used to copy tokens from the context!



$$p(\text{Yellen}) = g \ p_{\text{vocab}}(\text{Yellen}) + (1 - g) \ p_{\text{ptr}}(\text{Yellen})$$

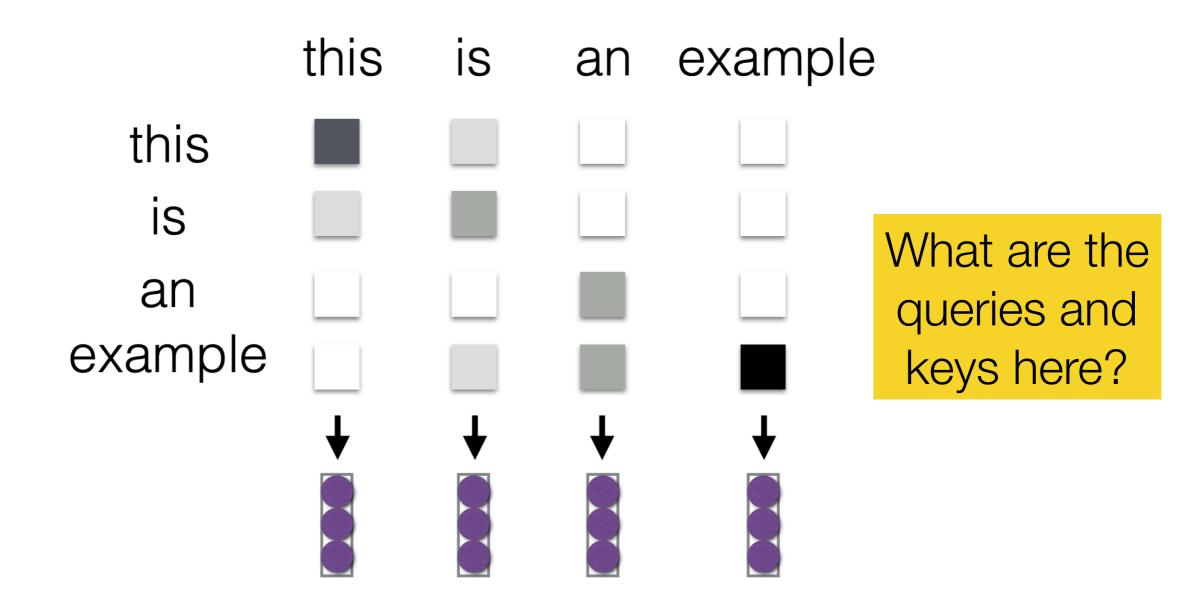
Self-attention can completely replace recurrence!

Each element in the sentence attends to the other elements

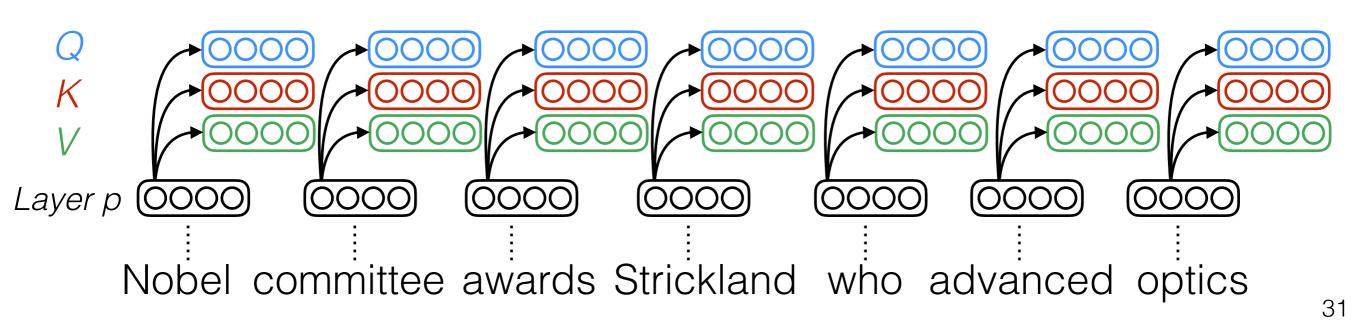


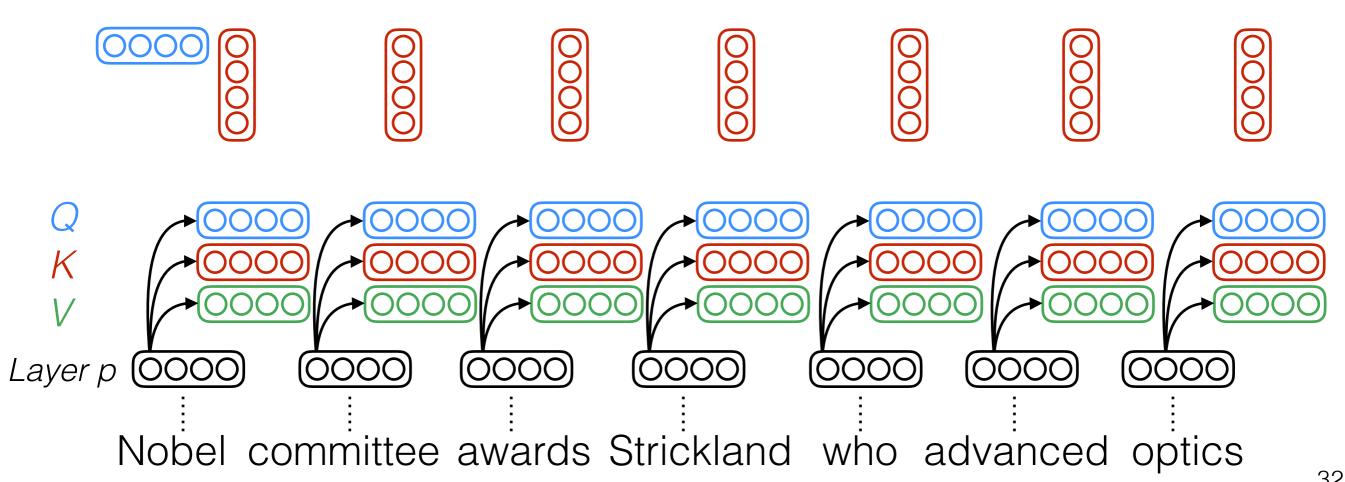
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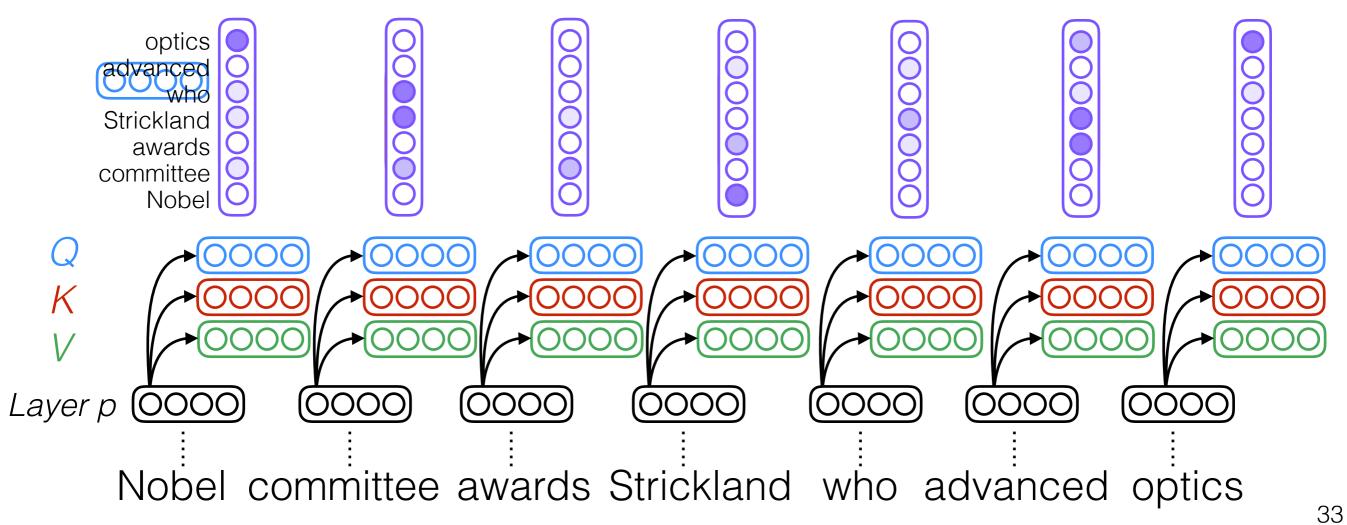
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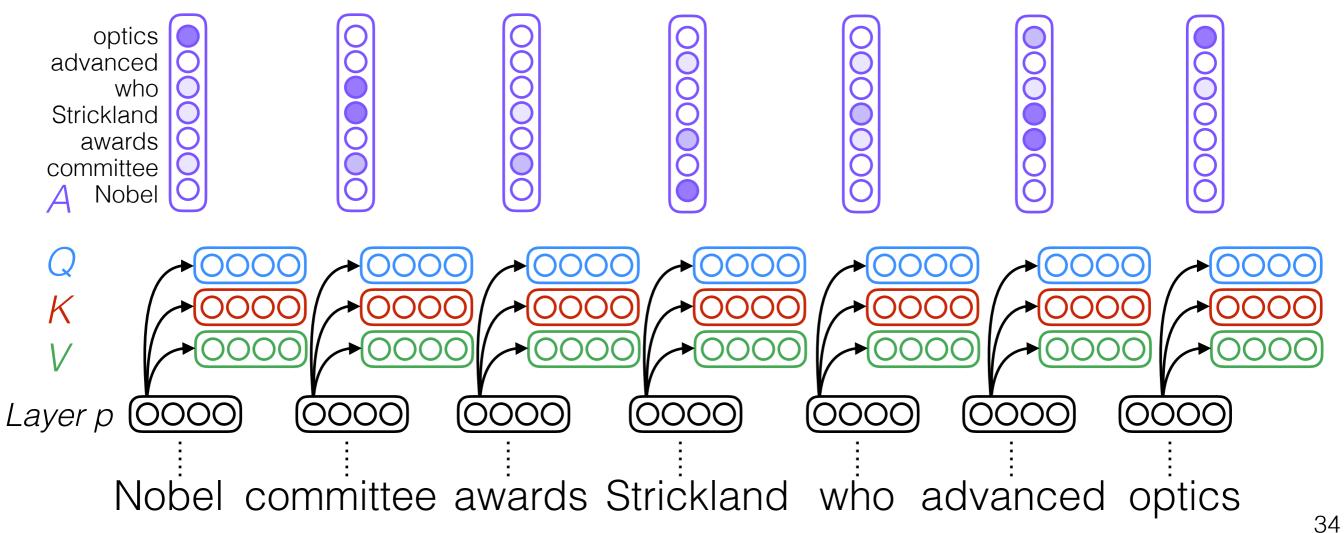


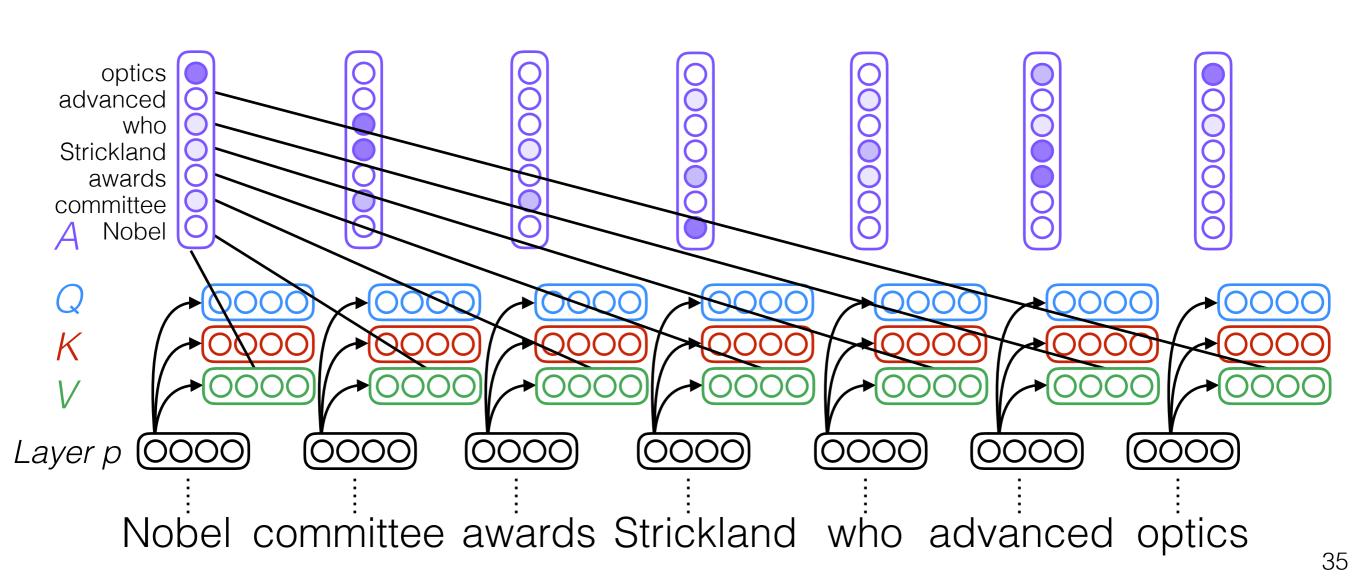
Cheng et al., 2016 30 Figure: Graham Neubig

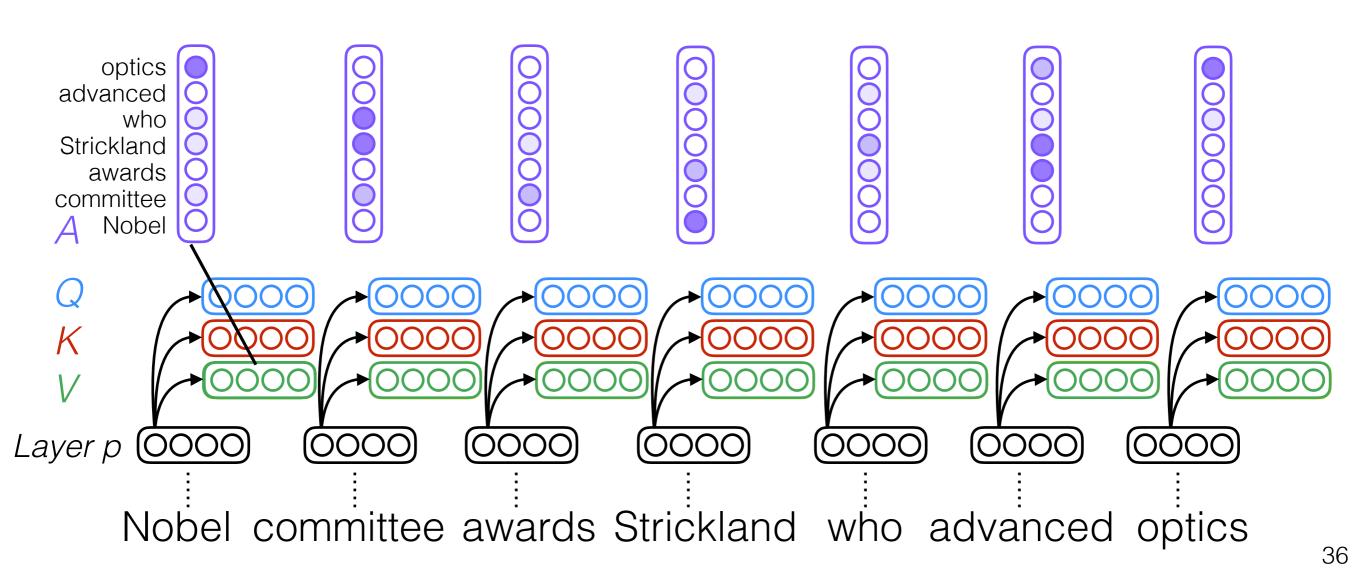


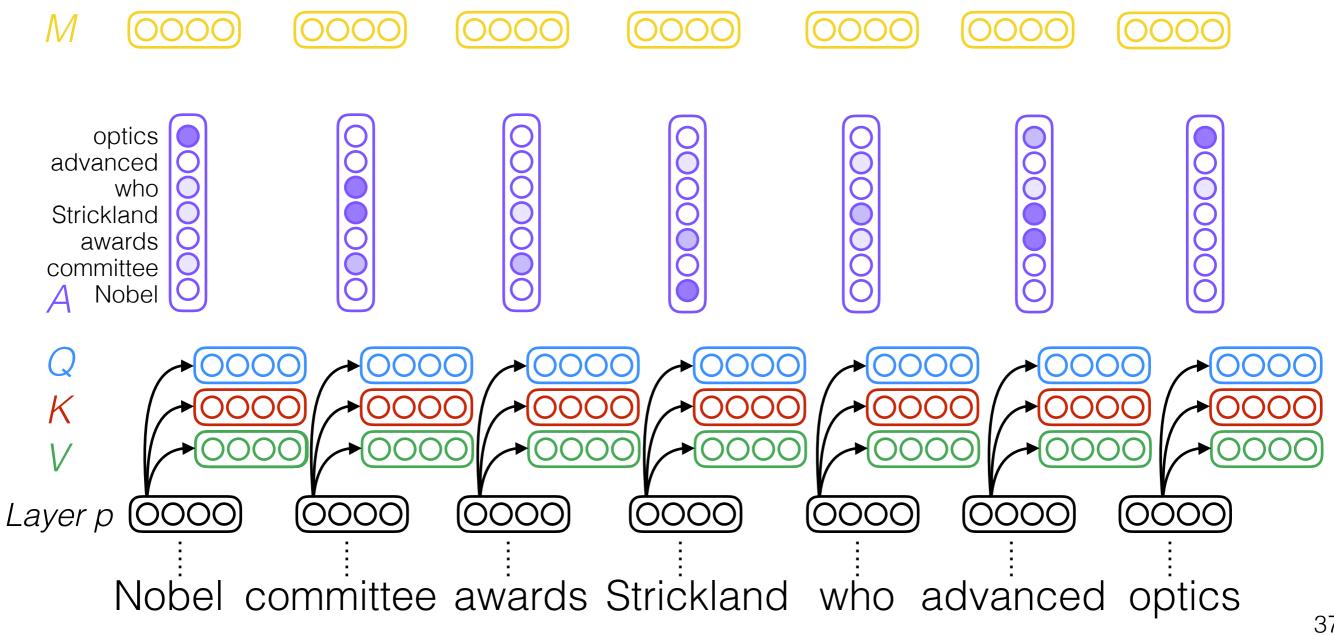


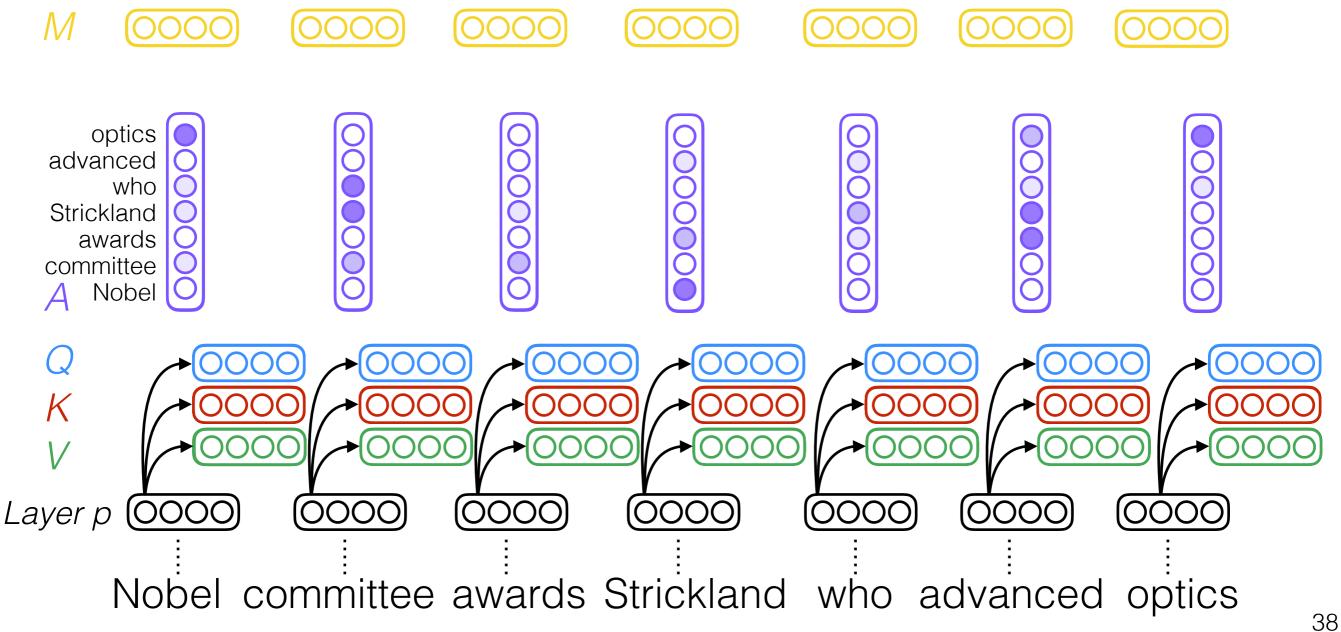




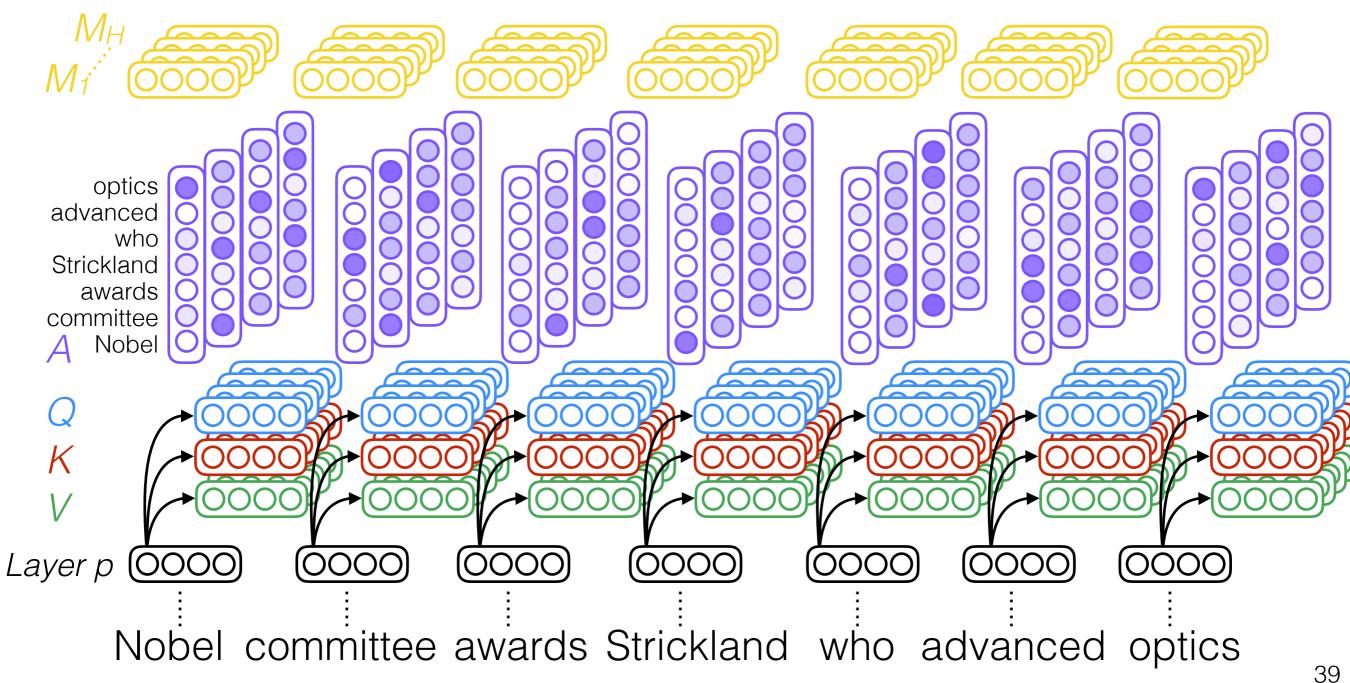




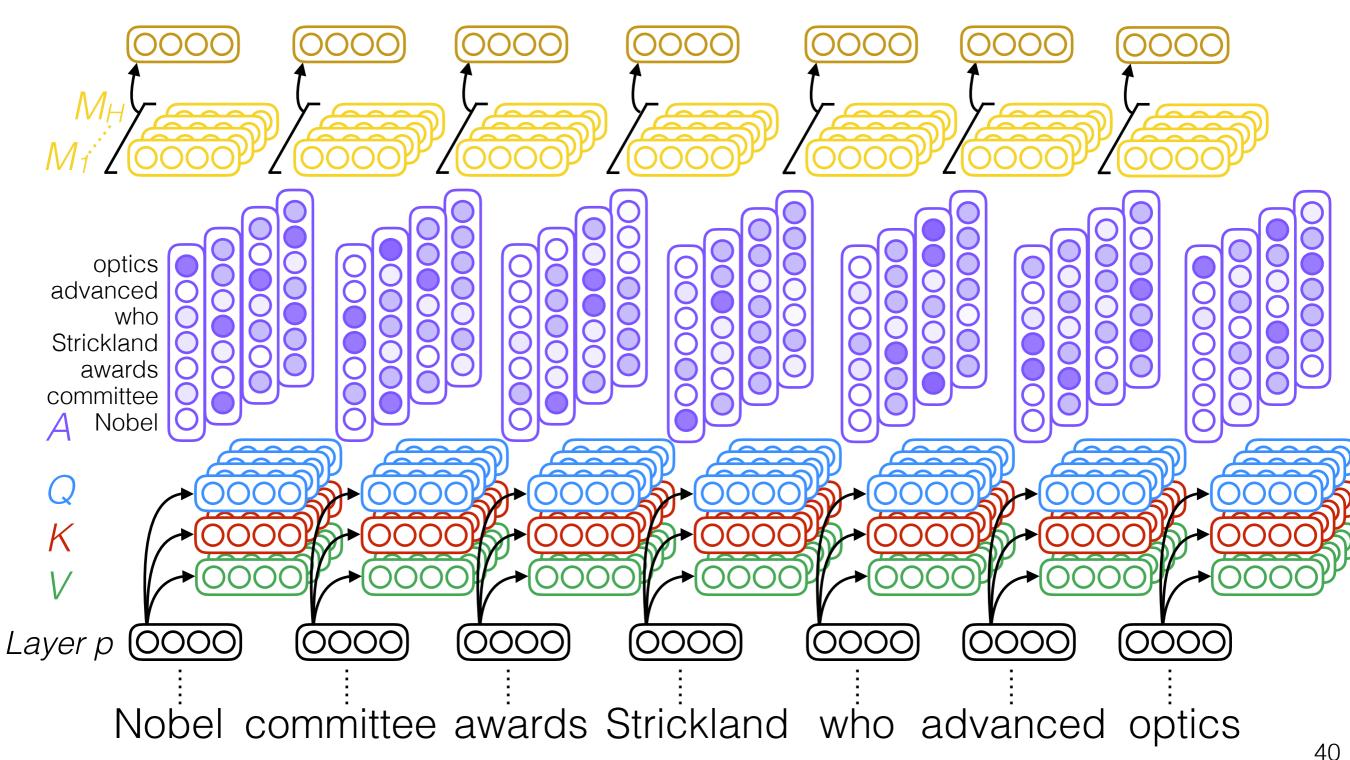


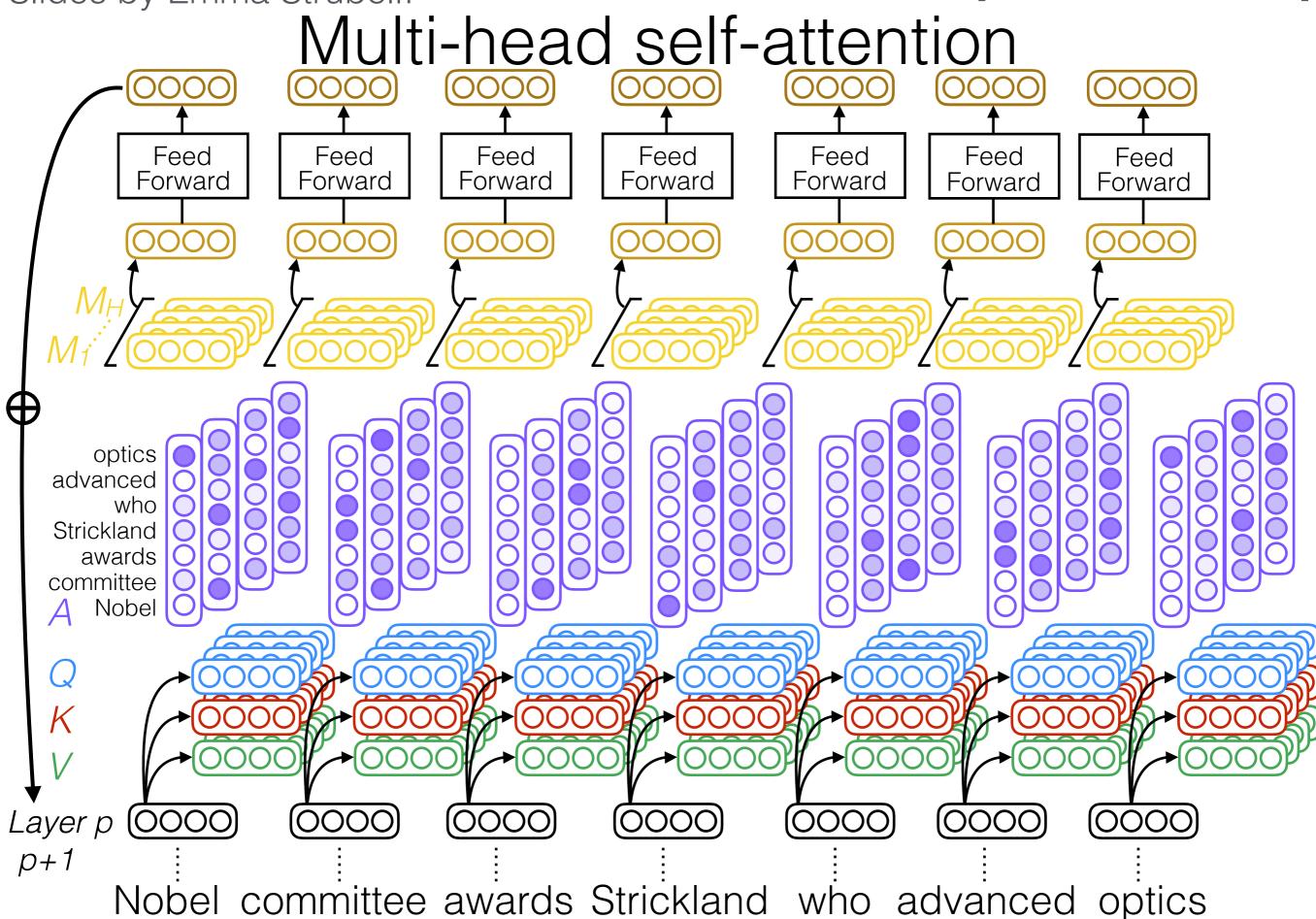


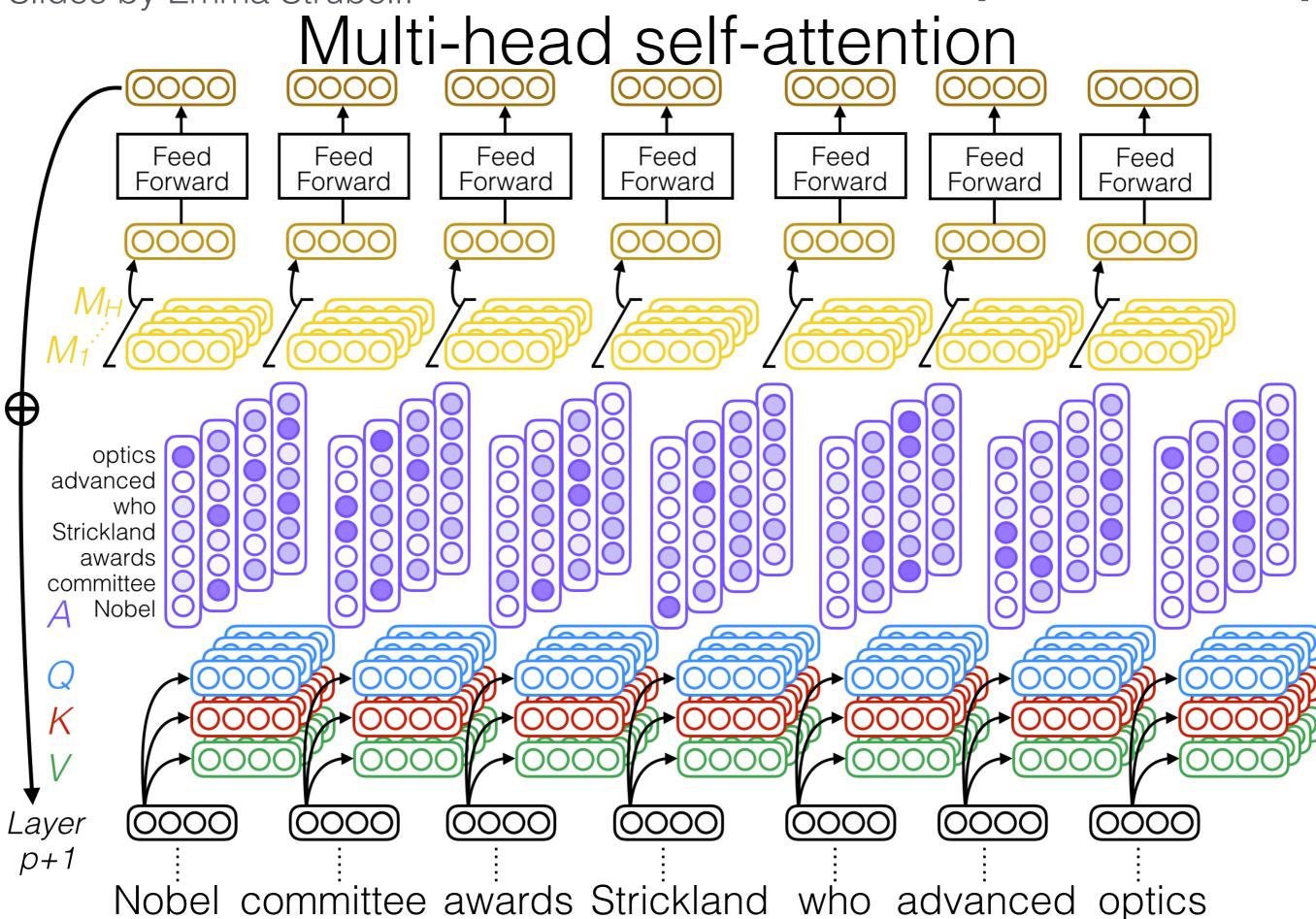
Multi-head self-attention



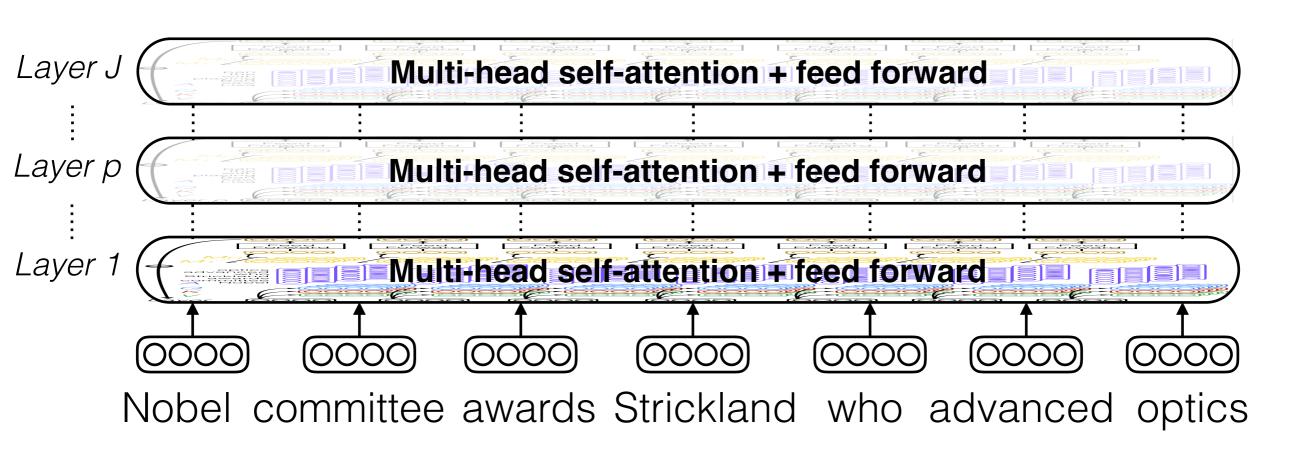
Multi-head self-attention







Multi-head self-attention



For next week:

- The full Transformer architecture
- The encoder/decoder paradigm
- Using neural language models for transfer learning: ELMo and BERT