CS 690: Human-Centric Machine Learning

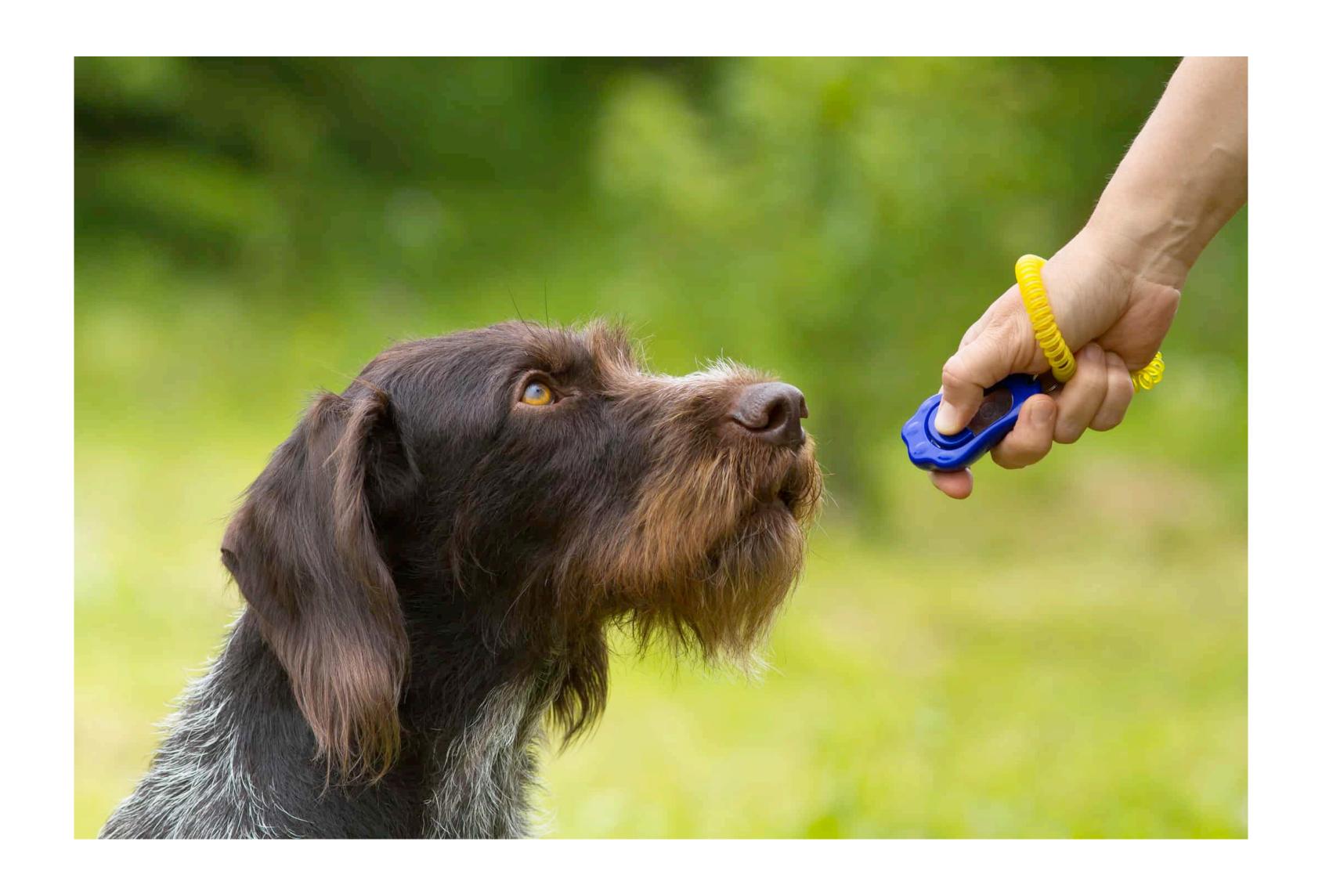
Prof. Scott Niekum

Interactive RL

Reward design is hard, demonstrations are hard

What about feedback?

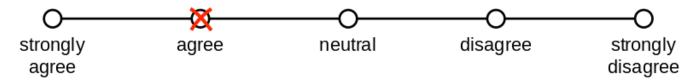
Feedback: Clicker training



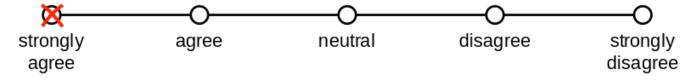
Feedback: Likert ratings

Website User Survey

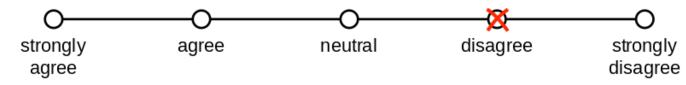
1. The website has a user friendly interface.



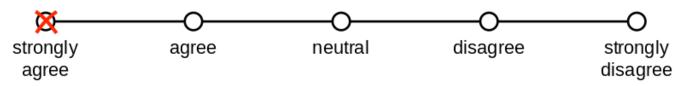
2. The website is easy to navigate.



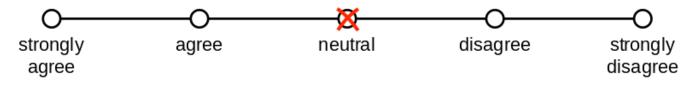
3. The website's pages generally have good images.



4. The website allows users to upload pictures easily.



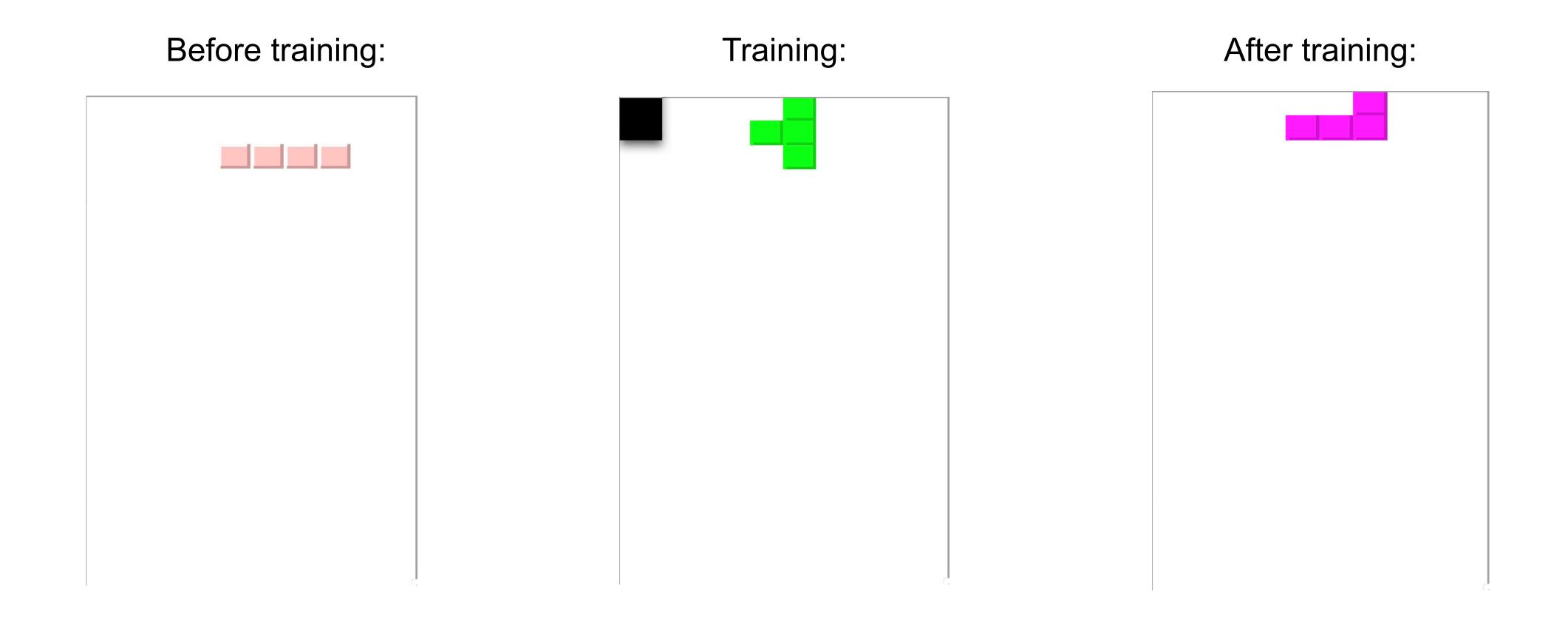
5. The website has a pleasing color scheme.

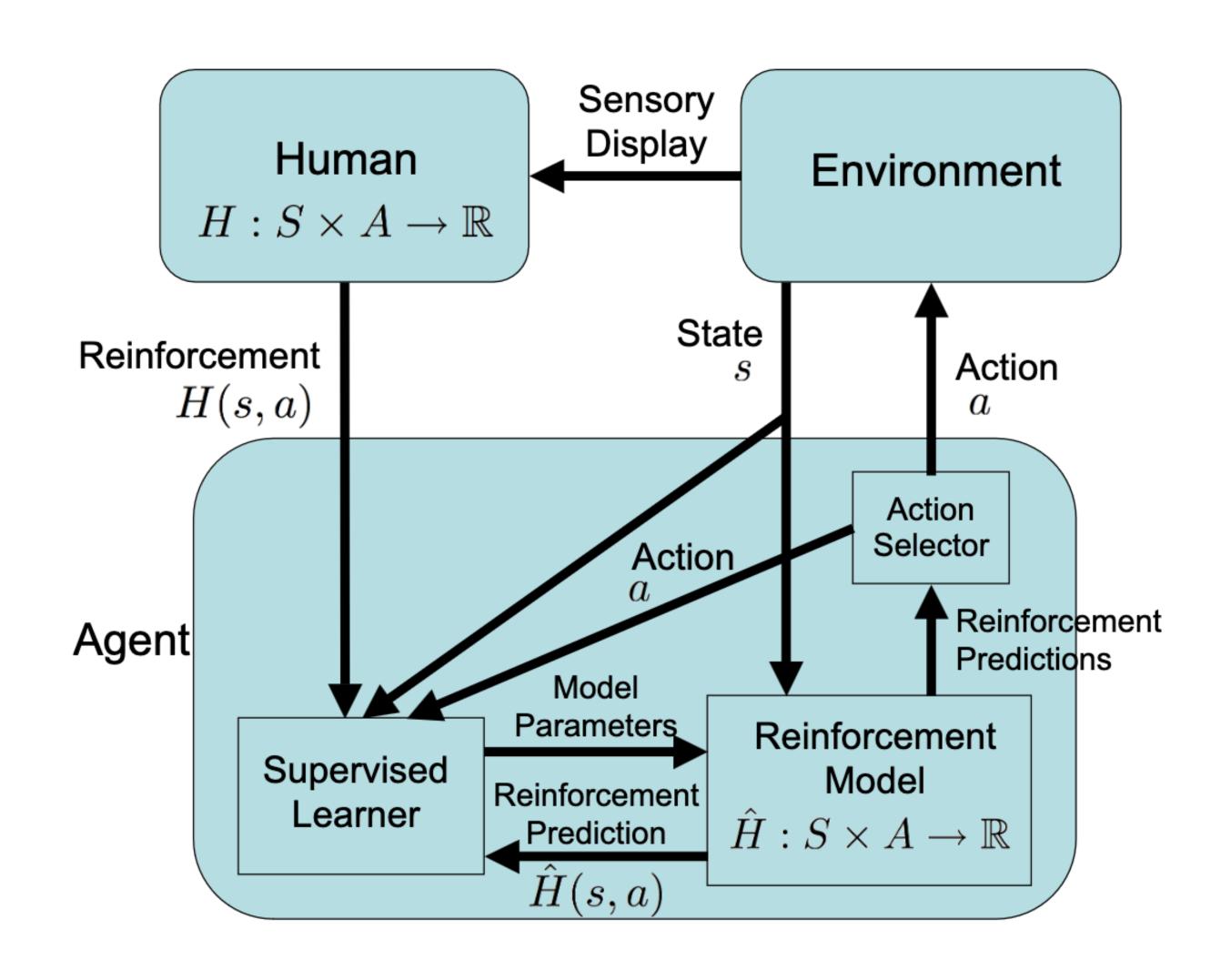


Feedback: Implicit feedback









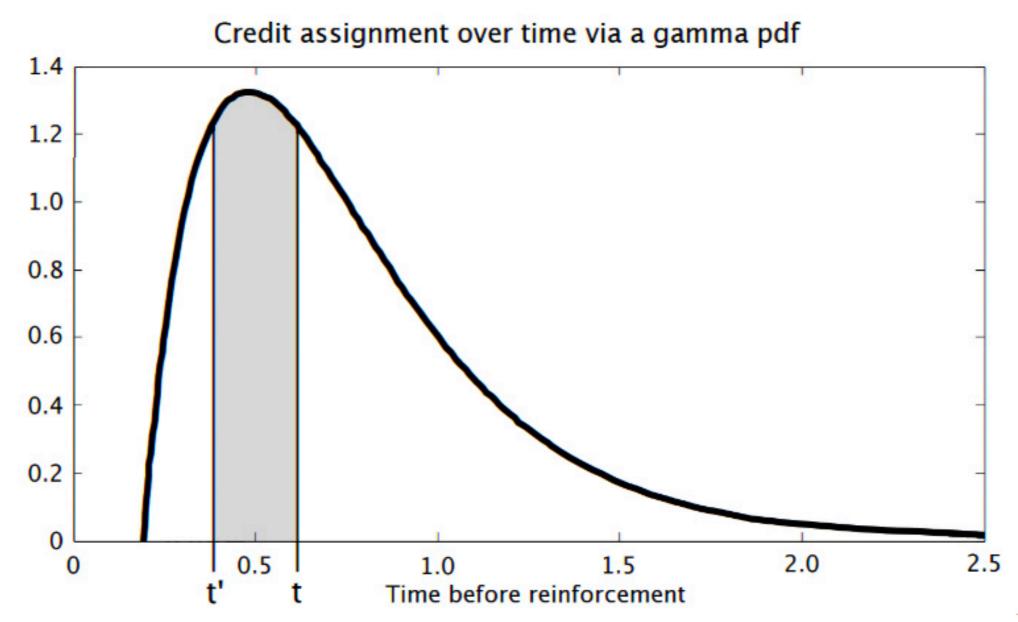


Figure 3: Probability density function f(x) for a gamma(2.0, 0.28) distribution. Reinforcement signal h is received at time 0. If t and t' are times of consecutive time steps, credit for the time step at t is $\int_{t'}^{t} f(x)dx$. Note that time moves backwards as one moves right along the x-axis.

Go to



Look away

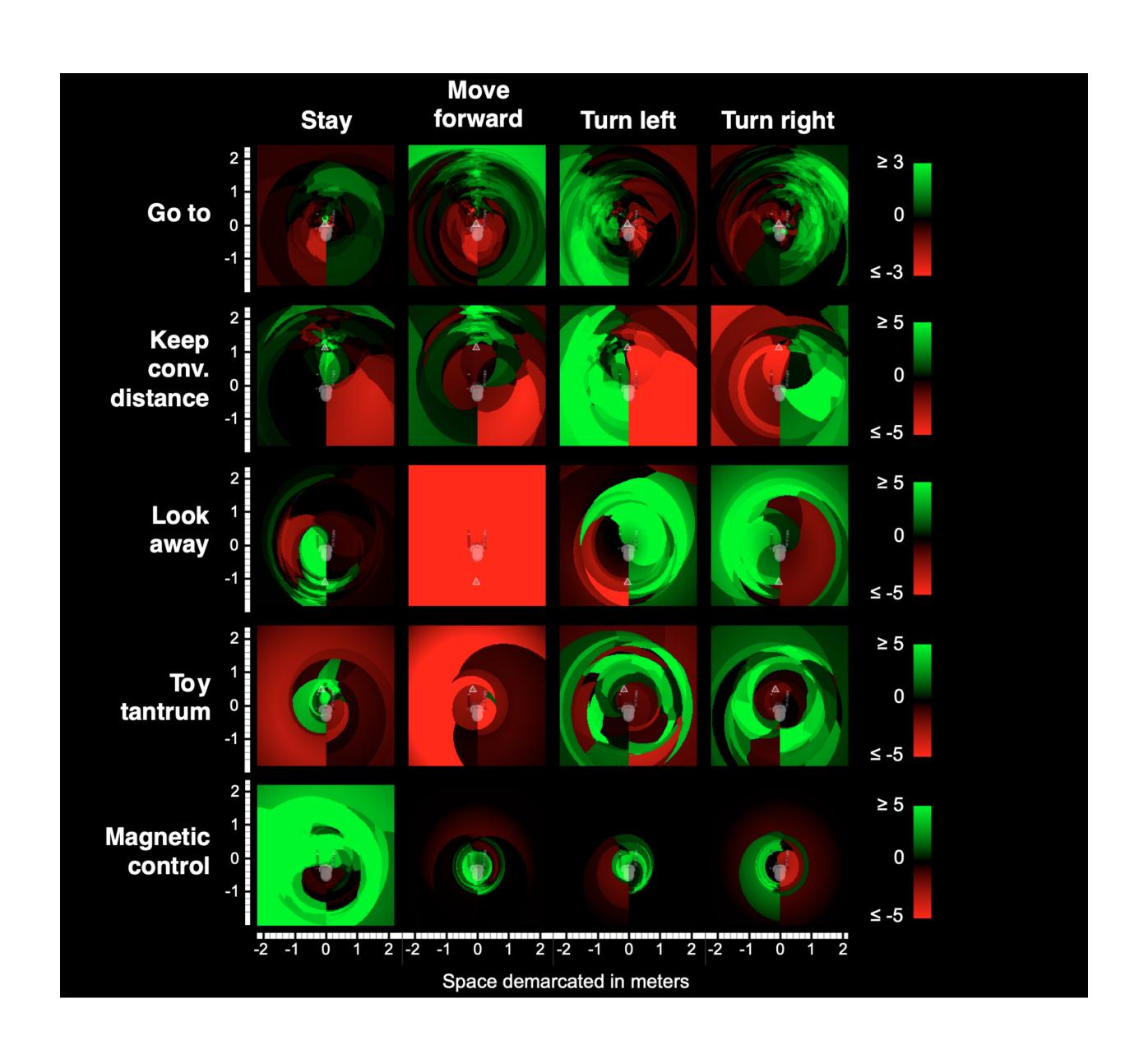


Toy tantrum



Magnetic control





TAMER feedback interpretation: (correlated with) $Q^*(s,a)$

COACH feedback interpretation: (correlated with) $A^{\pi}(s,a)$

$$A^{\pi}(s, a) = Q^{\pi}(s, a) - V^{\pi}(s).$$

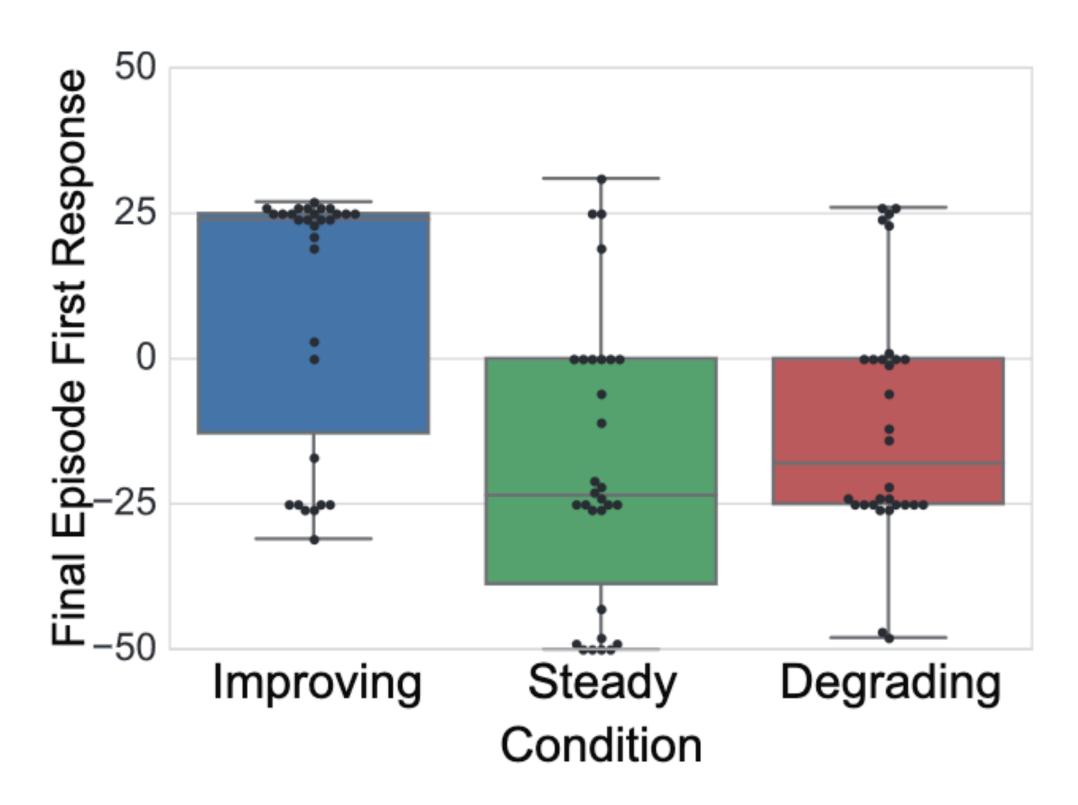


Figure 2. The feedback distribution for first step of the final episode for each condition. Feedback tended to be positive for improving behavior, but negative otherwise.

$$\Delta\theta = \alpha\nabla_{\theta}\rho$$

$$\nabla_{\theta} \rho = \sum_{s} d^{\pi}(s) \sum_{a} \nabla_{\theta} \pi(s, a) Q^{\pi}(s, a)$$

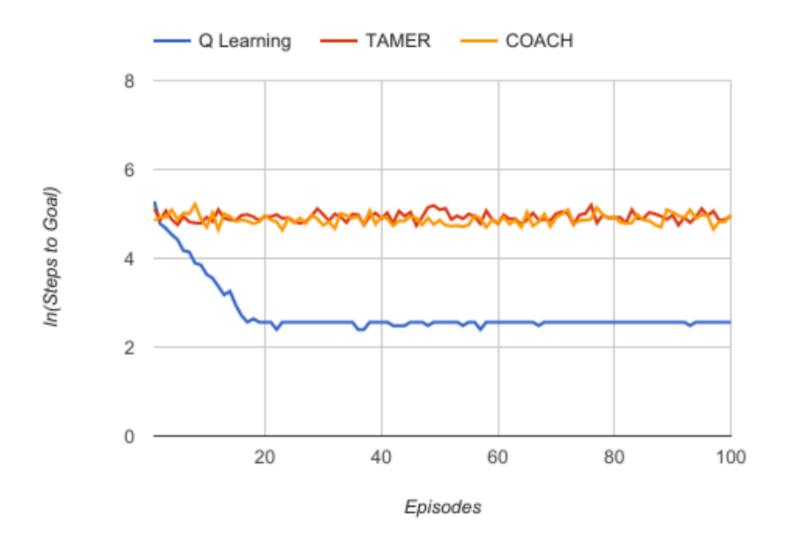
$$= \sum_{s} d^{\pi}(s) \sum_{a} \pi(s, a) \nabla_{\theta} \pi(s, a) \frac{Q^{\pi}(s, a)}{\pi(s, a)}$$

$$= E_{\pi} \left[\nabla_{\theta} \pi(s, a) \frac{Q^{\pi}(s, a)}{\pi(s, a)} \right]$$

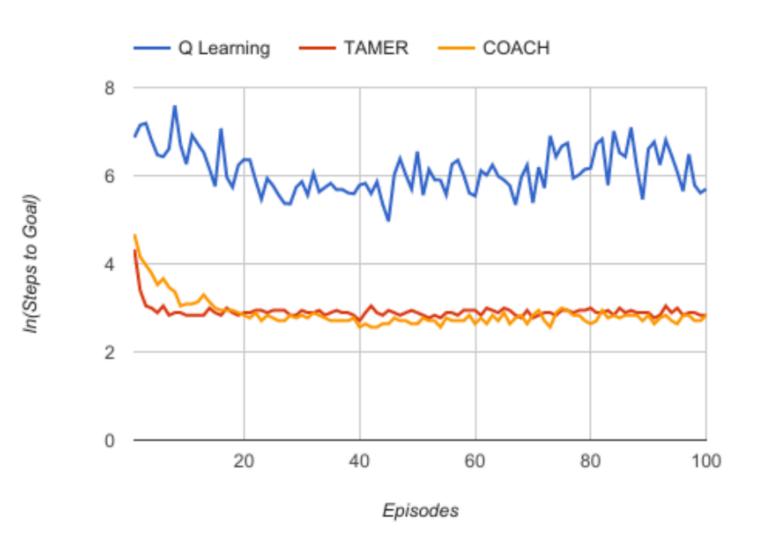
$$\Delta \boldsymbol{\theta}_t = \alpha_t \nabla_{\boldsymbol{\theta}} \pi(s_t, a_t) \frac{f_{t+1}}{\pi(s_t, a_t)}$$

Algorithm 1 Real-time COACH

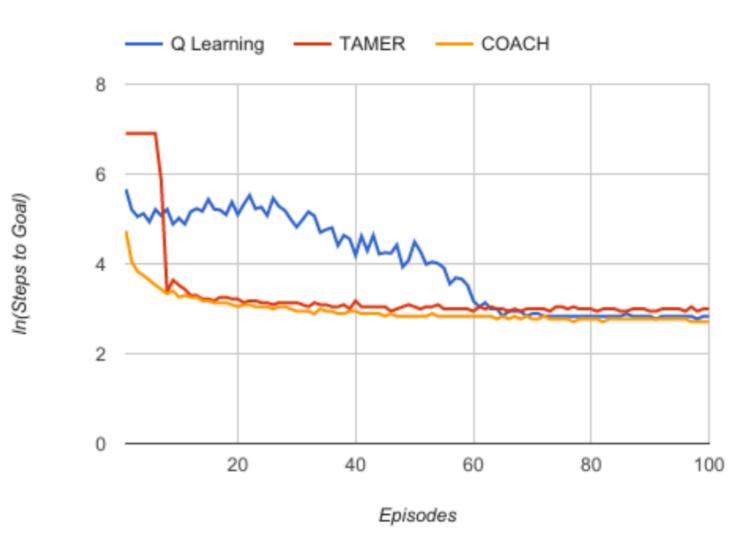
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Require: policy \pi_{\theta_0}, trace set \lambda, delay d, learning rate \alpha
    Initialize traces e_{\lambda} \leftarrow \mathbf{0} \ \forall \lambda \in \boldsymbol{\lambda}
    observe initial state s_0
    for t=0 to \infty do
         select and execute action a_t \sim \pi_{\theta_t}(s_t,\cdot)
         observe next state s_{t+1}, sum feedback f_{t+1}, and \lambda
         for \lambda' \in \lambda do
             e_{\lambda'} \leftarrow \lambda' e_{\lambda'} + \frac{1}{\pi_{\theta_t}(s_{t-d}, a_{t-d})} \nabla_{\theta_t} \pi_{\theta_t}(s_{t-d}, a_{t-d})
         end for
         \boldsymbol{\theta}_{t+1} \leftarrow \boldsymbol{\theta}_t + \alpha f_{t+1} \boldsymbol{e}_{\lambda}
    end for
```







(b) Action feedback



(c) Improvement feedback

