

Sticky-favoring CRF over vocab {0,1}. Factor scores are in log-scale additive form
 $G(y_1, y_2, y_3) = A(y_1, y_2) + A(y_2, y_3) + B_1(y_1) + B_2(y_2) + B_3(y_3)$

Most probable sequence: $G(\quad, \quad, \quad) =$

Second-most probable sequence: $G(\quad, \quad, \quad) =$

What solution will the greedy algorithm find?

Viterbi in additive form....

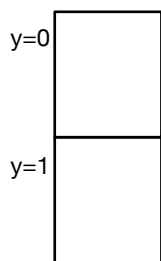
For $t=1..T$,
 For k in $\{0,1\}$,

$$V_t[k] := \max_j (V_{t-1}[j] + A_{t-1}(j, k) + B_t(k))$$

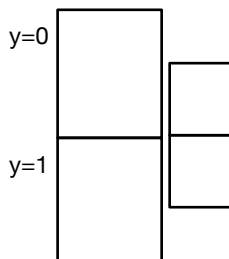
$$Back_t[k] := \arg \max_j (\dots)$$

For $t=1$, assume $A_0(\text{anything})=0$ and $V_0[\text{anything}]=0$
 Final backtrace step: take best-scoring from last VT, follow the backpointers all the way back

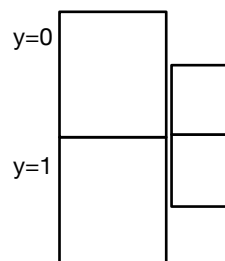
Run Viterbi and fill out the trellis with arcs like in the textbook's HMM example.



V_1



V_2 Back₂



V_3 Back₃

Solution $y^* = (\quad, \quad, \quad)$